

**Can we improve descriptions
of nuclear effects
in neutrino interactions
using electron-scattering data?**

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Fermilab Neutrino Seminar
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Outline

1) **Introduction**

- Why do we need to model nuclear effects accurately?
- What can we learn from electron scattering?

2) **Spectral function approach**

- Short-range correlations
- Are final-state interactions relevant?

3) **Measurement of the spectral function of ^{40}Ar**

- Physics motivation
- Coincidence electron scattering and the spectral function

4) **Summary**

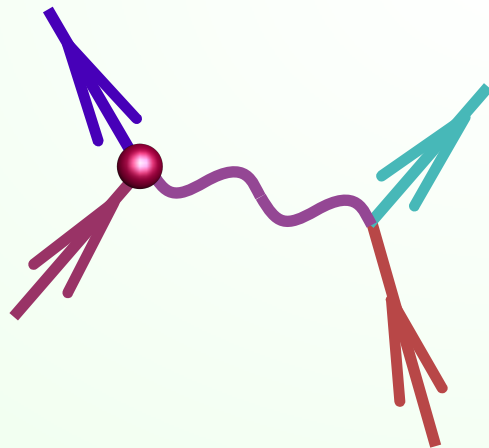


Energy reconstruction

Kinematic reconstruction

In quasielastic scattering off **free nucleons**, $\bar{\nu} + p \rightarrow l + n$ and $\nu + n \rightarrow l + p$, we can deduce the neutrino energy from the charged lepton's kinematics.

No need to reconstruct the nucleon kinematics.

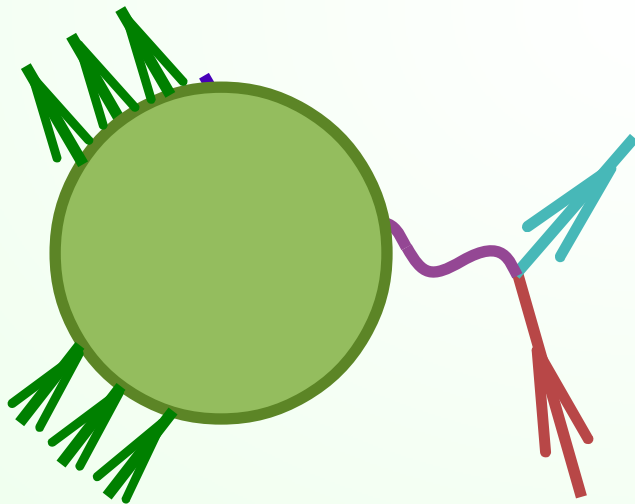


E' and θ known

$$E = \frac{ME' + \text{const}}{M - E' + |\mathbf{k}'| \cos \theta}$$

Kinematic reconstruction

In **nuclei** the reconstruction becomes an approximation due to the binding energy, Fermi motion, final-state interactions, two-body interactions etc.

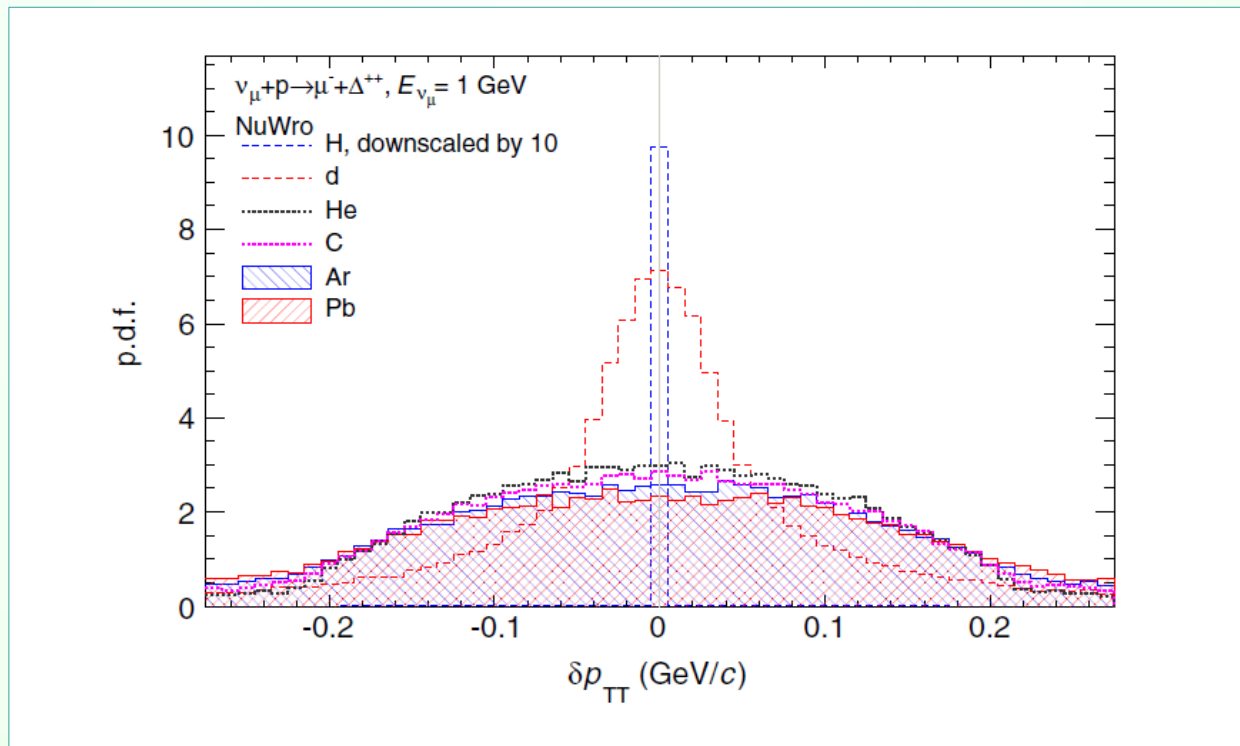


E' and θ known

$$E \simeq \frac{(M - \epsilon) E' + \text{const}}{M - \epsilon - E' + |\mathbf{k}'| \cos \theta}$$

Free-proton events

For targets containing H, the (ν and $\bar{\nu}$) pion-production events on free protons could be separated out, based on the balance of the transverse momentum.

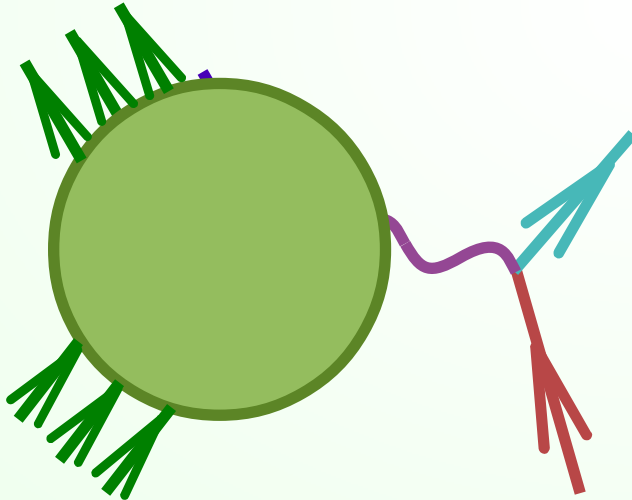


Lu *et al.*, PRD 92, 051302 (2015)

Unknown monochromatic beam

Consider the simplest (unrealistic) case:

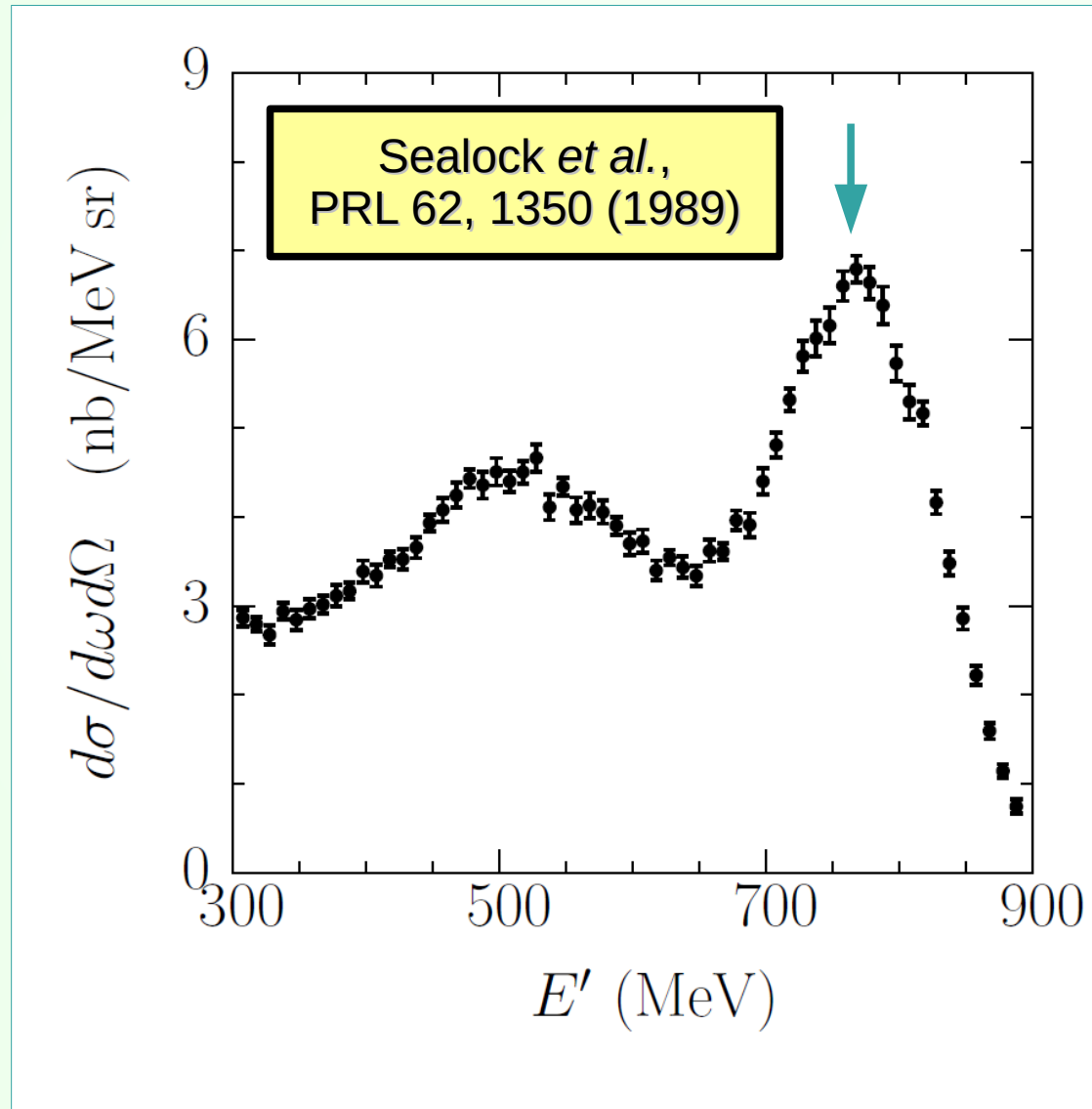
the beam is **monochromatic** but its energy is **unknown** and has to be reconstructed



E' and θ known

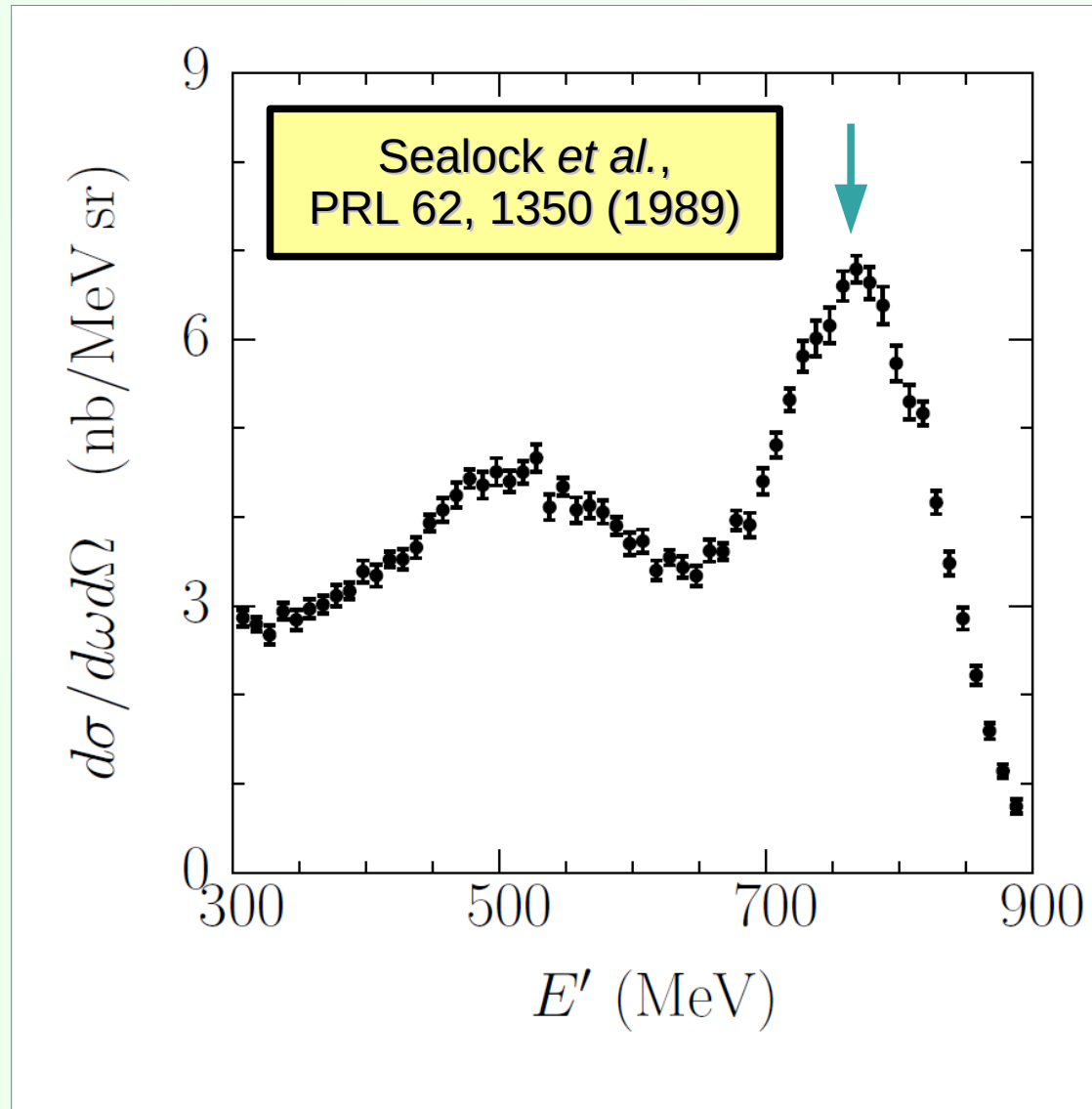
$E = ?$

“Unknown” monochromatic e^- beam



$E' = 768$ MeV
 $\theta = 37.5$ deg
 $\Delta E' = 5$ MeV

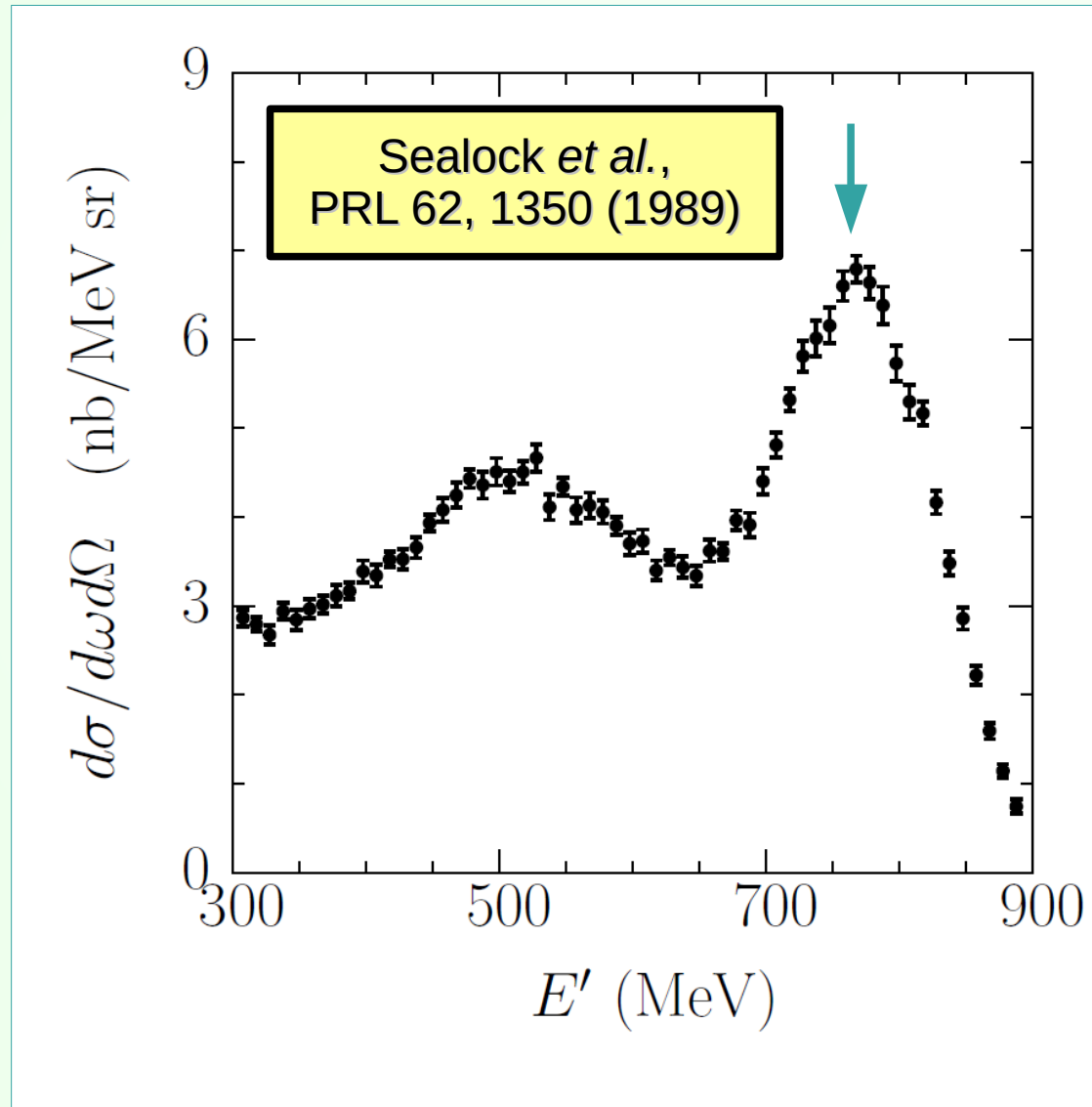
“Unknown” monochromatic e^- beam



$$\begin{aligned} E' &= 768 \text{ MeV} \\ \theta &= 37.5 \text{ deg} \\ \Delta E' &= 5 \text{ MeV} \end{aligned}$$

$$\begin{aligned} \text{for } \epsilon &= 25 \text{ MeV} \\ E &= 960 \text{ MeV} \\ \Delta E &= 7 \text{ MeV} \end{aligned}$$

“Unknown” monochromatic e^- beam



$$E' = 768 \text{ MeV}$$
$$\theta = 37.5 \text{ deg}$$
$$\Delta E' = 5 \text{ MeV}$$

for $\epsilon = 25 \text{ MeV}$

$$E = 960 \text{ MeV}$$
$$\Delta E = 7 \text{ MeV}$$

true value

$$E = 961 \text{ MeV}$$

“Unknown” monochromatic e^- beam

θ (deg)	37.5	37.5	37.1	36.0	36.0
E' (MeV)	976	768	615	487.5	287.5
$\Delta E'$ (MeV)	5	5	5	5	2.5

Assuming $\epsilon = 25$ MeV

rec. E	1285 ± 8	960 ± 7	741 ± 7	571 ± 6	333 ± 3
true E	1299	961	730	560	320

“Unknown” monochromatic e^- beam

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Appropriate ϵ value?

true E	1299	961	730	560	320
ϵ	33 ± 5	26 ± 5	16 ± 5	16 ± 3	13 ± 3

Sealock et al.,
PRL 62, 1350
(1989)

O'Connell et al.,
PRC 35, 1063
(1987)

Barreau et al.,
NPA 402, 515
(1983)

“Unknown” monochromatic e^- beam

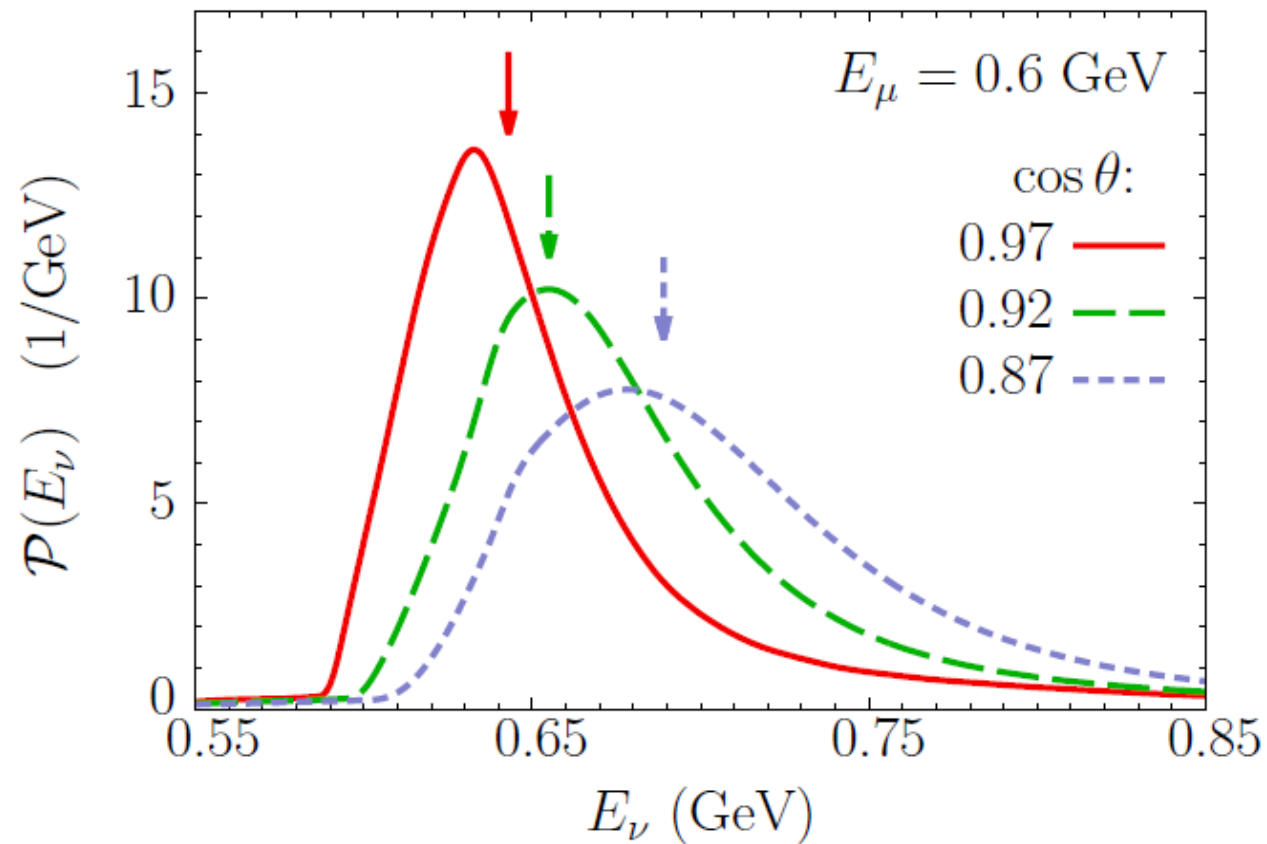
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Appropriate ϵ value?

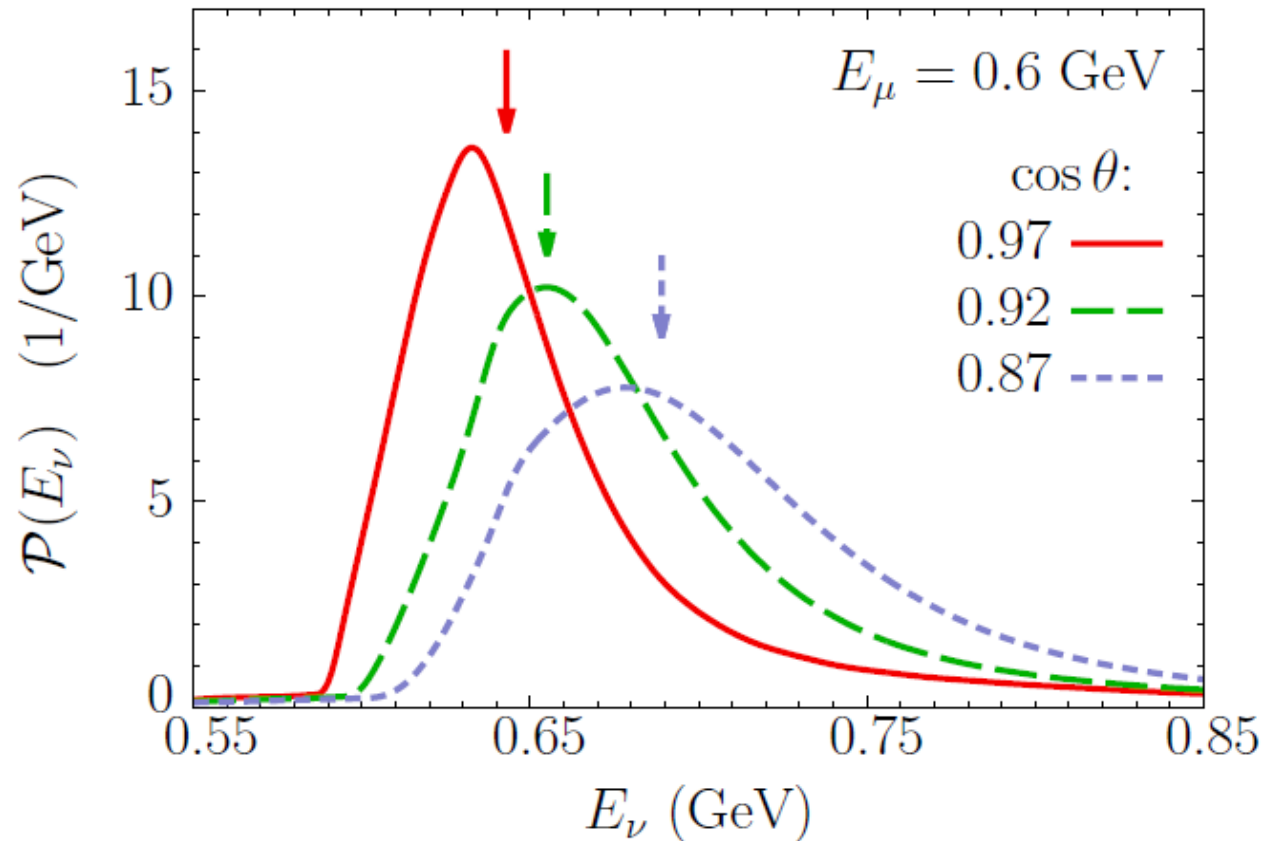
true E	1299	961	730	560	320
ϵ	33 ± 5	26 ± 5	16 ± 5	16 ± 3	13 ± 3

different $E \equiv$ different $Q^2 \equiv$ different θ
 \rightarrow different ϵ

Realistic calculations vs E_{rec}



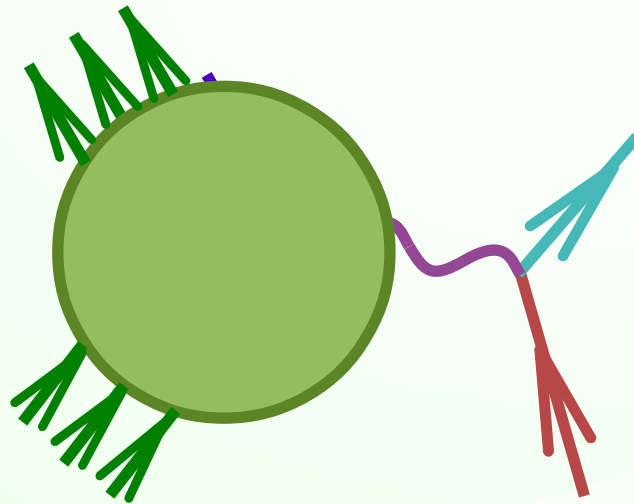
Realistic calculations vs E_{rec}



Same physics drives the QE peak position and relates the kinematics to neutrino energy

Polychromatic beam

In modern experiments, the neutrino beams are not monochromatic, and the **energy must be reconstructed** from the observables, typically E' and $\cos \theta$ under the CCQE event hypothesis.



E' and θ known

$E = ?$

CCQE events

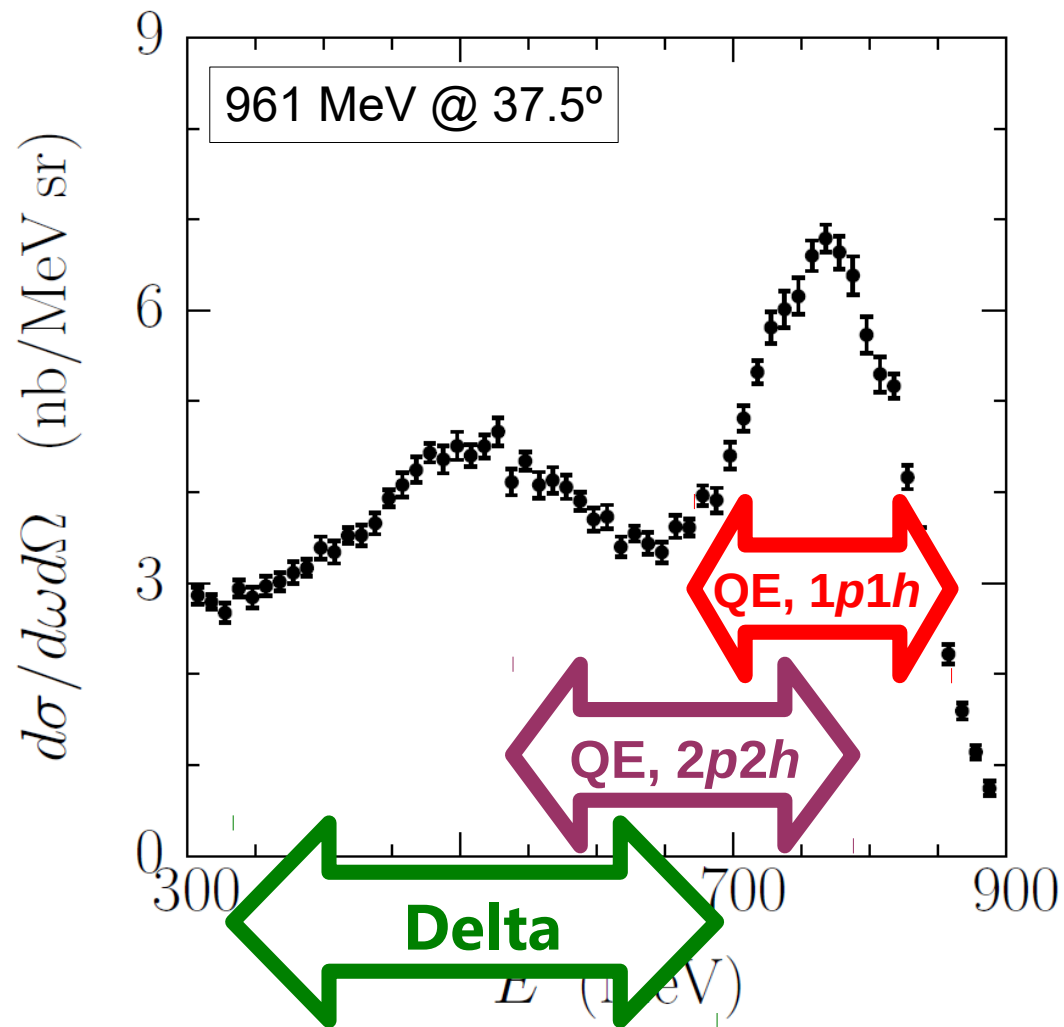
In practice, CCQE event candidates are defined as containing **no pions observed**.

+ CCQE (any number of nucleons)
pion production and followed by absorption
undetected pions

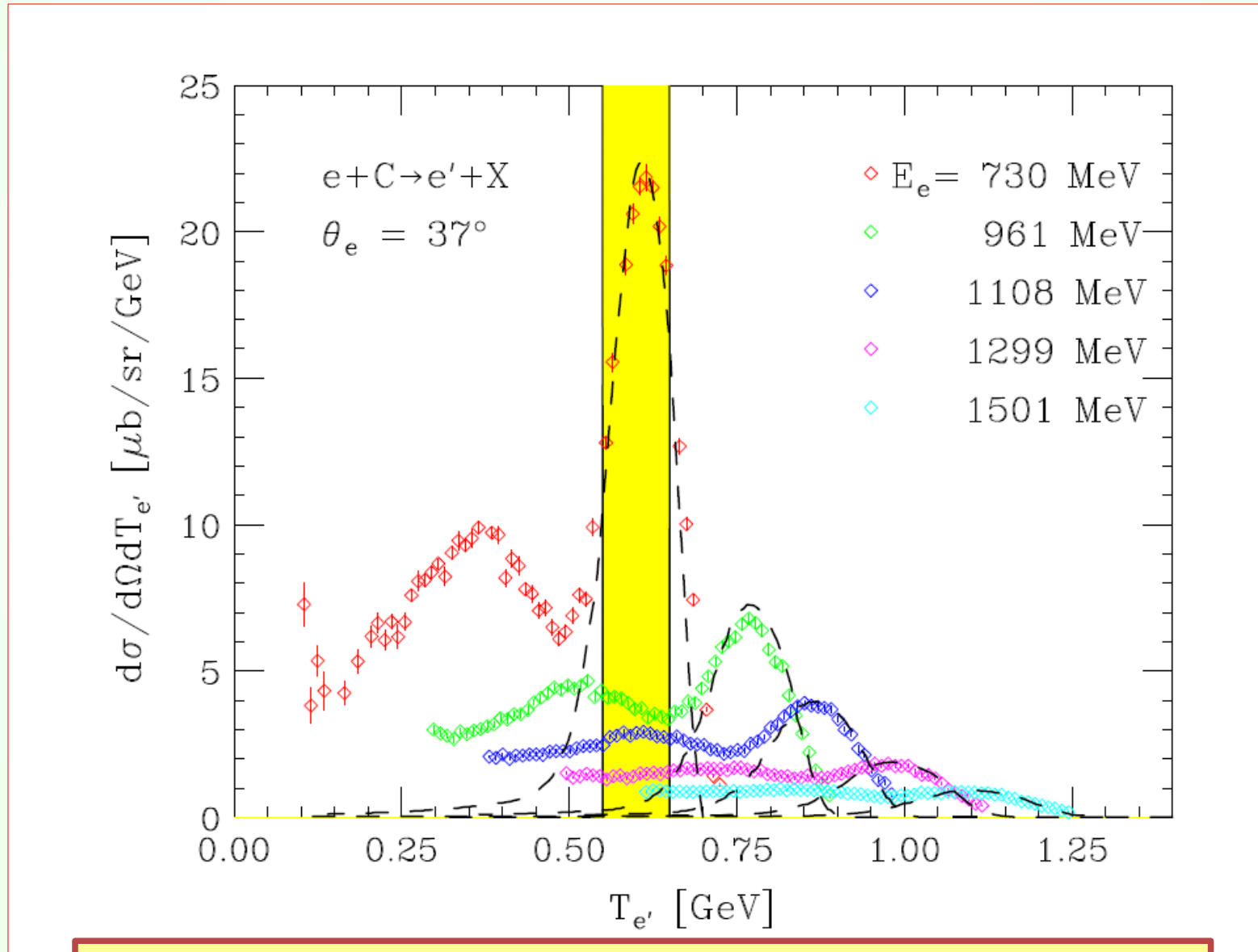
— CCQE with pions from FSI

0π events

Recall the monochromatic-beam case



CCQE events of given l^\pm kinematics

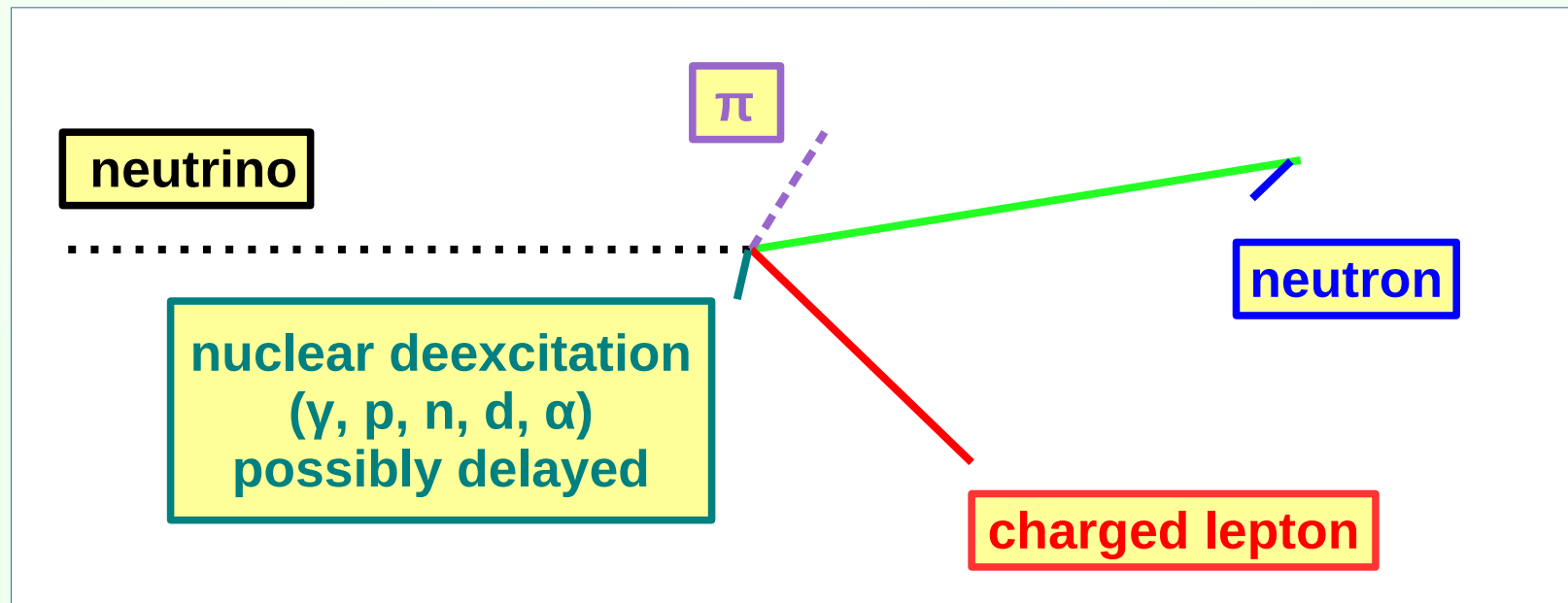


Omar Benhar @ NuFact11, PRL 105, 132301 (2010)

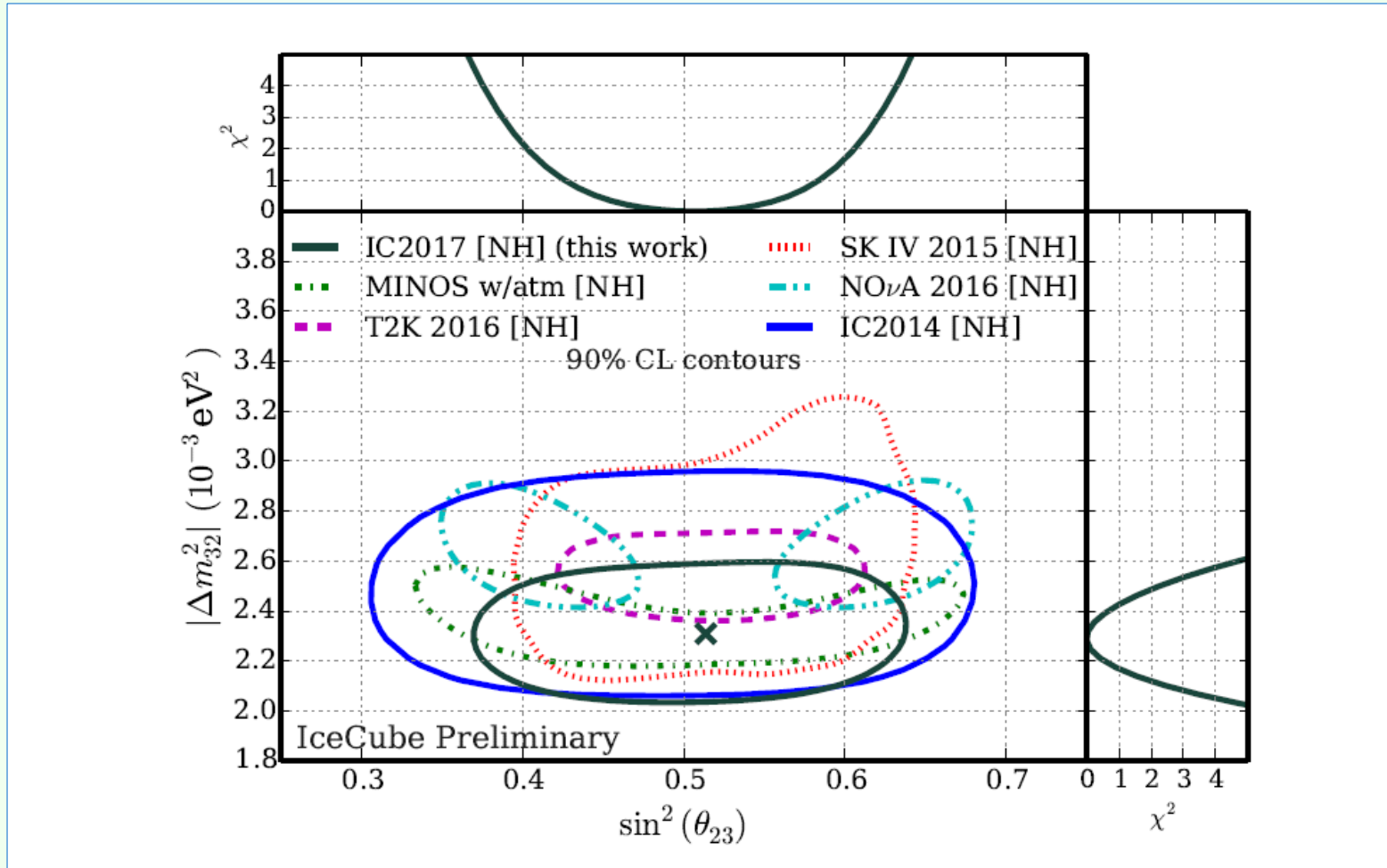
Calorimetric energy reconstruction

- Advantage: applicable to any final states
- Insensitive to nuclear effects when
missing energy \ll neutrino energy
- Otherwise, requires input from nuclear models

A.M.A.,
arXiv:
1704.07835



What precision are we reaching?



J. Hignight (IceCube), APS April Meeting, 2017

What precision are we reaching?

At the T2K kinematics (~ 600 MeV),

- 10% uncertainty (current T2K), ~ 60 MeV
- 2% uncertainty (current global fits), ~ 10 MeV

At the NOvA and DUNE kinematics, values $\times 4-5$.

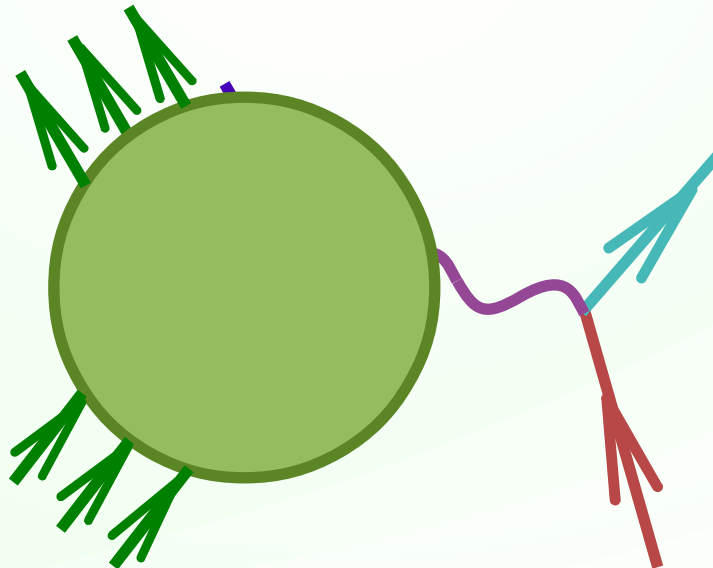
Effects considered to be “small” need to be accounted for accurately to avoid biases.



Impulse approximation

Impulse approximation

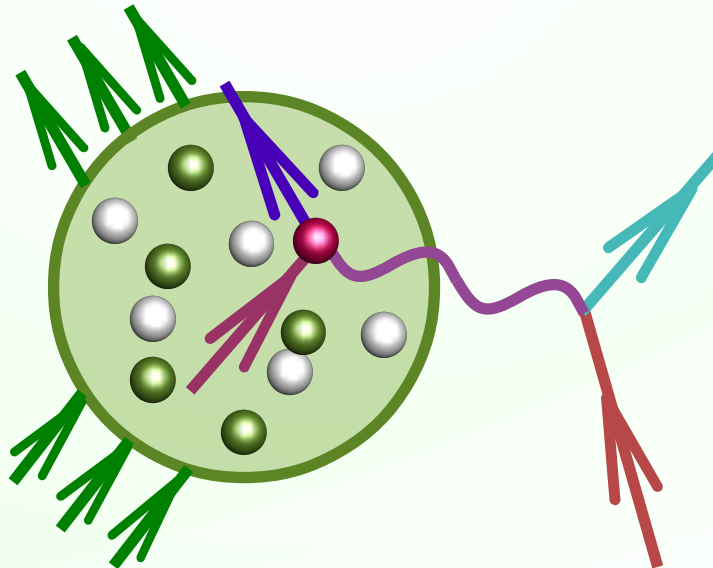
Assumption: the dominant process of lepton-nucleus interaction is **scattering off a single nucleon**, with the remaining nucleons acting as a spectator system.



Impulse approximation

Assumption: the dominant process of lepton-nucleus interaction is **scattering off a single nucleon**, with the remaining nucleons acting as a spectator system.

It is valid when the momentum transfer $|\mathbf{q}|$ is high enough, as the probe's spatial resolution is $\sim 1/|\mathbf{q}|$.



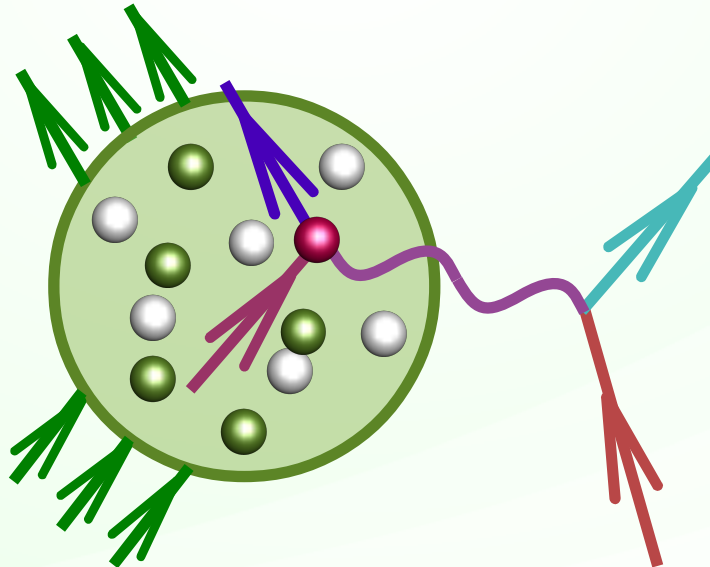
Impulse approximation

$$\frac{d\sigma_{\ell A}^{\text{IA}}}{d\omega d\Omega} = \sum_N \int d^3p dE \underbrace{P_{\text{hole}}^N(\mathbf{p}, E)}_{\text{Spectral function}} \underbrace{\frac{M}{E_p} \frac{d\sigma_{\ell N}^{\text{elem}}}{d\omega d\Omega}}_{\text{Elementary cross section}} \underbrace{P_{\text{part}}^N(\mathbf{p}', \mathcal{T}')}_{\sim \delta(\dots) \times \text{Pauli blocking}}$$

Spectral function

Elementary cross section

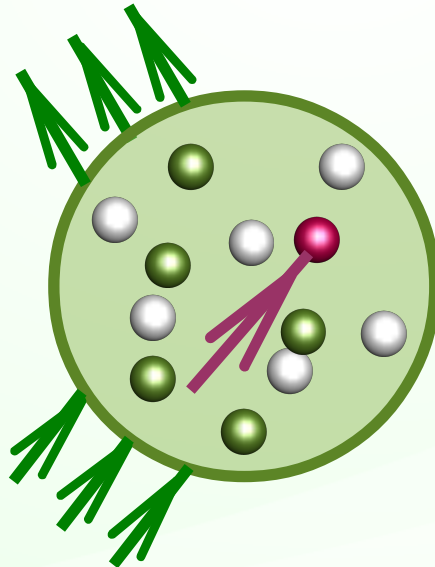
$\sim \delta(\dots)$ x Pauli blocking



Impulse approximation

$$\frac{d\sigma_{\ell A}^{\text{IA}}}{d\omega d\Omega} = \sum_N \int d^3p dE \underbrace{P_{\text{hole}}^N(\mathbf{p}, E)} \frac{M}{E_p} \frac{d\sigma_{\ell N}^{\text{elem}}}{d\omega d\Omega} P_{\text{part}}^N(\mathbf{p}', \mathcal{T}')$$

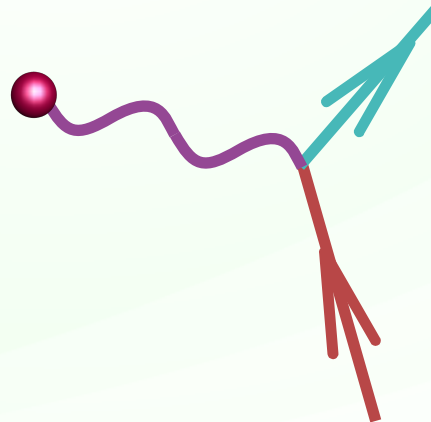
The (hole) spectral function describes the ground-state properties of the target nucleus.



Impulse approximation

$$\frac{d\sigma_{\ell A}^{\text{IA}}}{d\omega d\Omega} = \sum_N \int d^3p dE P_{\text{hole}}^N(\mathbf{p}, E) \frac{M}{E_{\mathbf{p}}} \frac{d\sigma_{\ell N}^{\text{elem}}}{d\omega d\Omega} P_{\text{part}}^N(\mathbf{p}', \mathcal{T}')$$

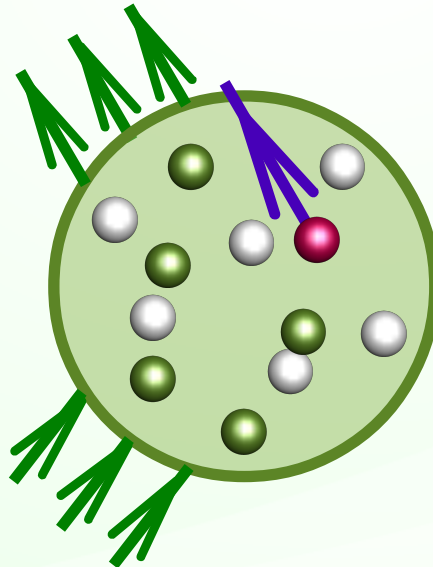
The elementary cross section characterizes the vertex



Impulse approximation

$$\frac{d\sigma_{\ell A}^{\text{IA}}}{d\omega d\Omega} = \sum_N \int d^3p dE P_{\text{hole}}^N(\mathbf{p}, E) \frac{M}{E_p} \frac{d\sigma_{\ell N}^{\text{elem}}}{d\omega d\Omega} \underline{P_{\text{part}}^N(\mathbf{p}', \mathcal{T}')}$$

Ensures the energy conservation and Pauli blocking



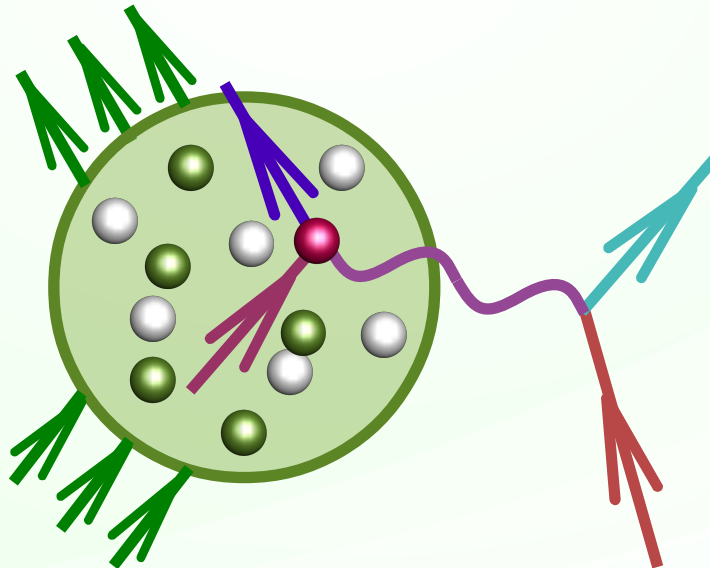
Impulse approximation

$$\frac{d\sigma_{\ell A}^{\text{IA}}}{d\omega d\Omega} = \sum_N \int d^3p dE \underbrace{P_{\text{hole}}^N(\mathbf{p}, E)}_{\text{Spectral function}} \underbrace{\frac{M}{E_p} \frac{d\sigma_{\ell N}^{\text{elem}}}{d\omega d\Omega}}_{\text{Elementary cross section}} \underbrace{P_{\text{part}}^N(\mathbf{p}', \mathcal{T}')}_{\sim \delta(\dots) \times \text{Pauli blocking}}$$

Spectral function

Elementary cross section

$\sim \delta(\dots)$ x Pauli blocking



Impulse approximation

For scattering in a given angle, neutrinos and electrons differ only due to **the elementary cross section**.

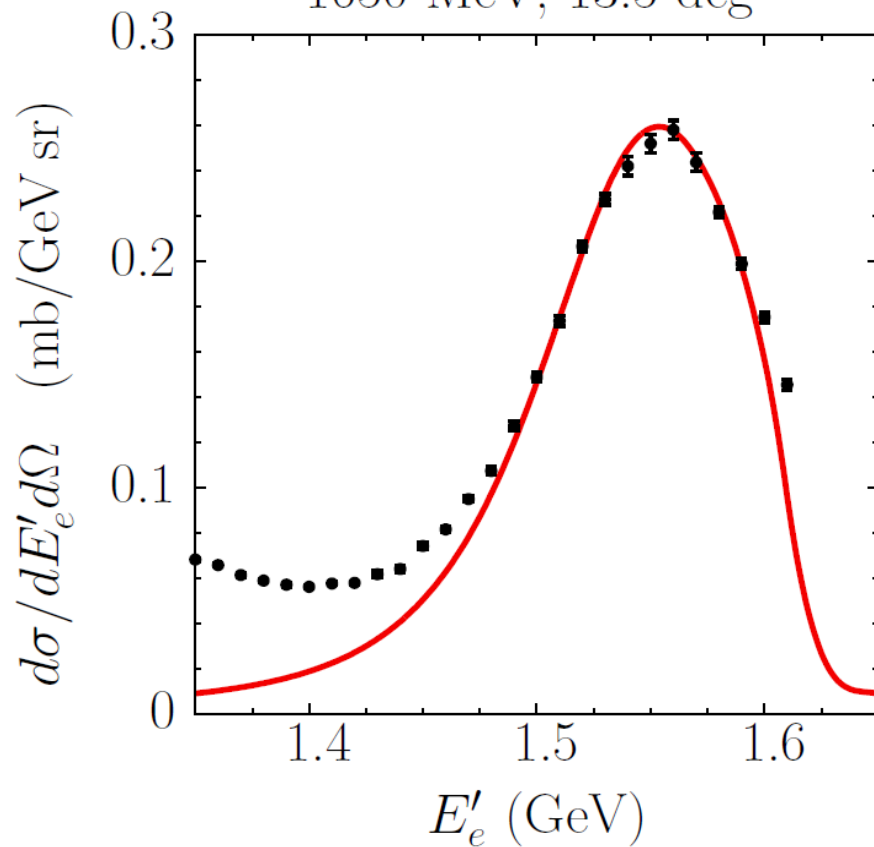
In neutrino scattering, uncertainties come from (i) interaction dynamics and (ii) **nuclear effects**.

It is **highly improbable** that theoretical approaches unable to reproduce (e,e') data would describe nuclear effects in neutrino interactions at similar kinematics.

Much more than the vector part...

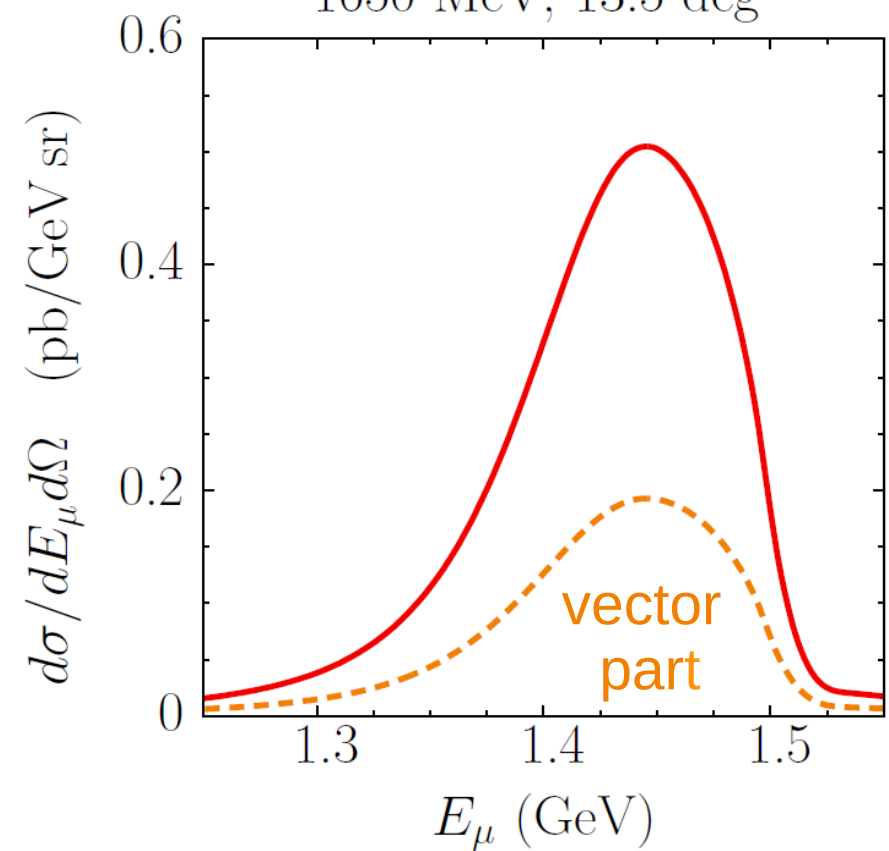
electrons

1650 MeV, 13.5 deg



muon neutrinos

1650 MeV, 13.5 deg



Can we trust our models and MCs?



Can we trust our models and MCs?

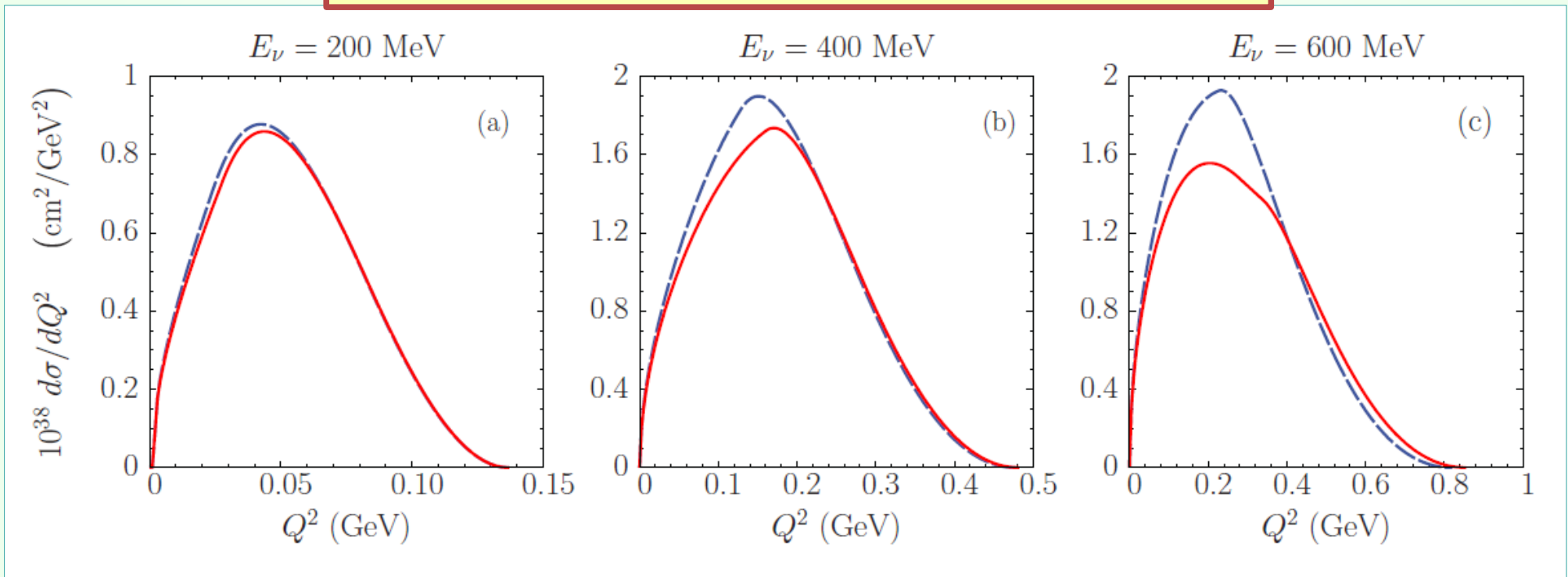


"Trusting Too Much Kills You" by Bryan Teves

and lacking precision

Side remark: relativistic kinematics

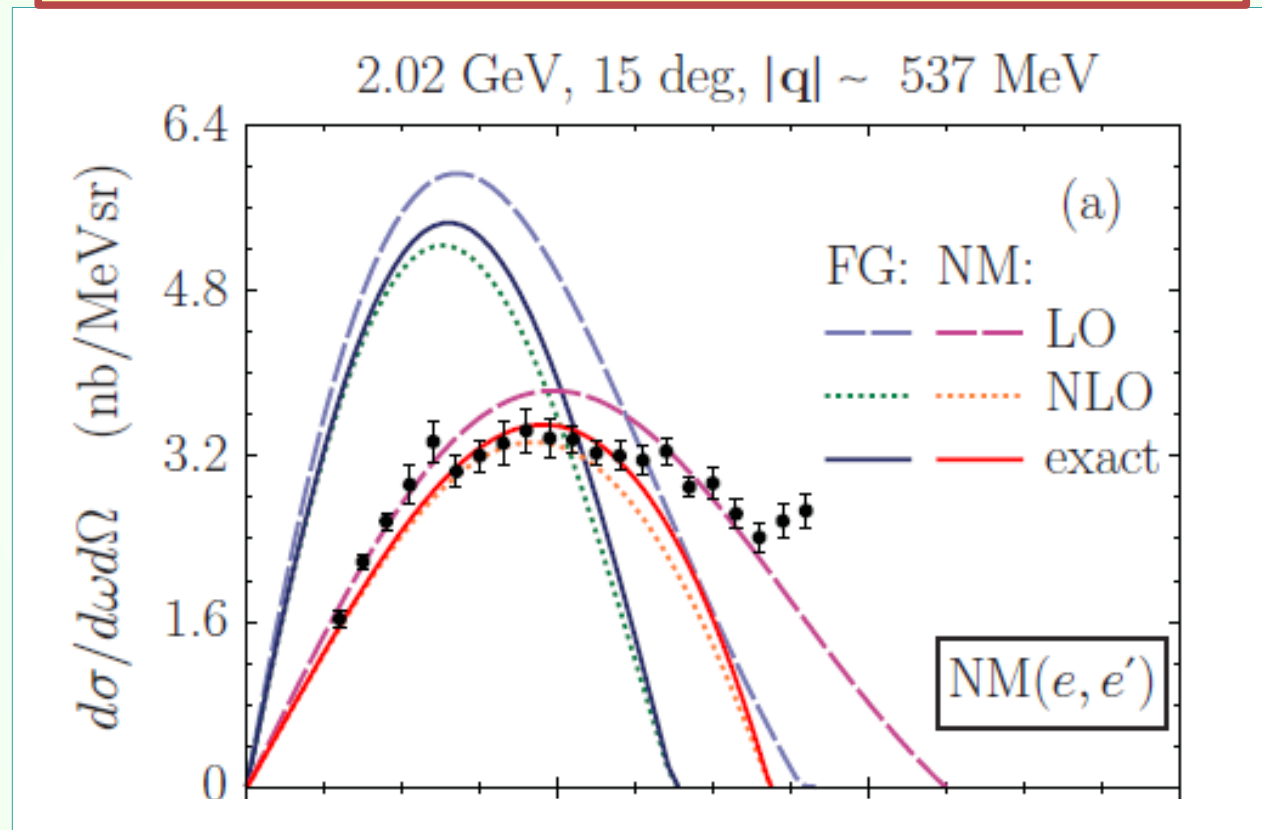
A.M.A. & O. Benhar, PRC 83, 054616 (2011)



Sizable differences between the **relativistic** and **nonrelativistic** results at neutrino energies ~ 500 MeV.

Side remark: relativistic kinematics

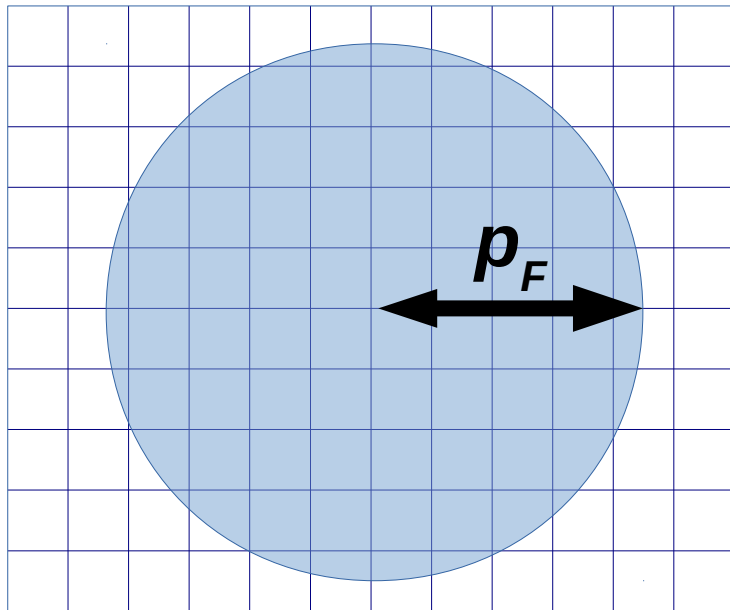
A.M.A. & O. Benhar, PRC 83, 054616 (2011)



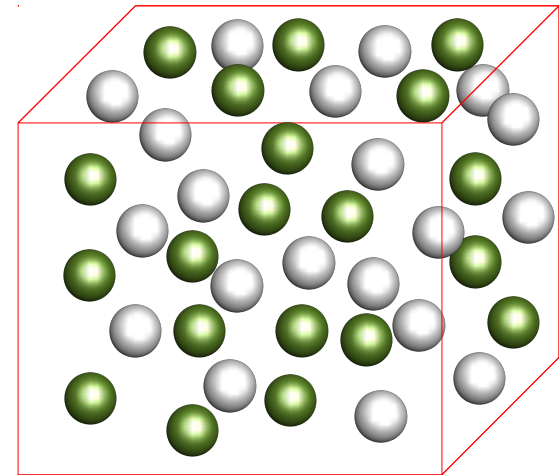
At $|q| \sim 540$ MeV, semi-relativistic result is **5% lower** than the exact cross section.

Fermi gas model

In an infinite infinite space filled uniformly with nucleons, the eigenstates can be labeled using the momentum.

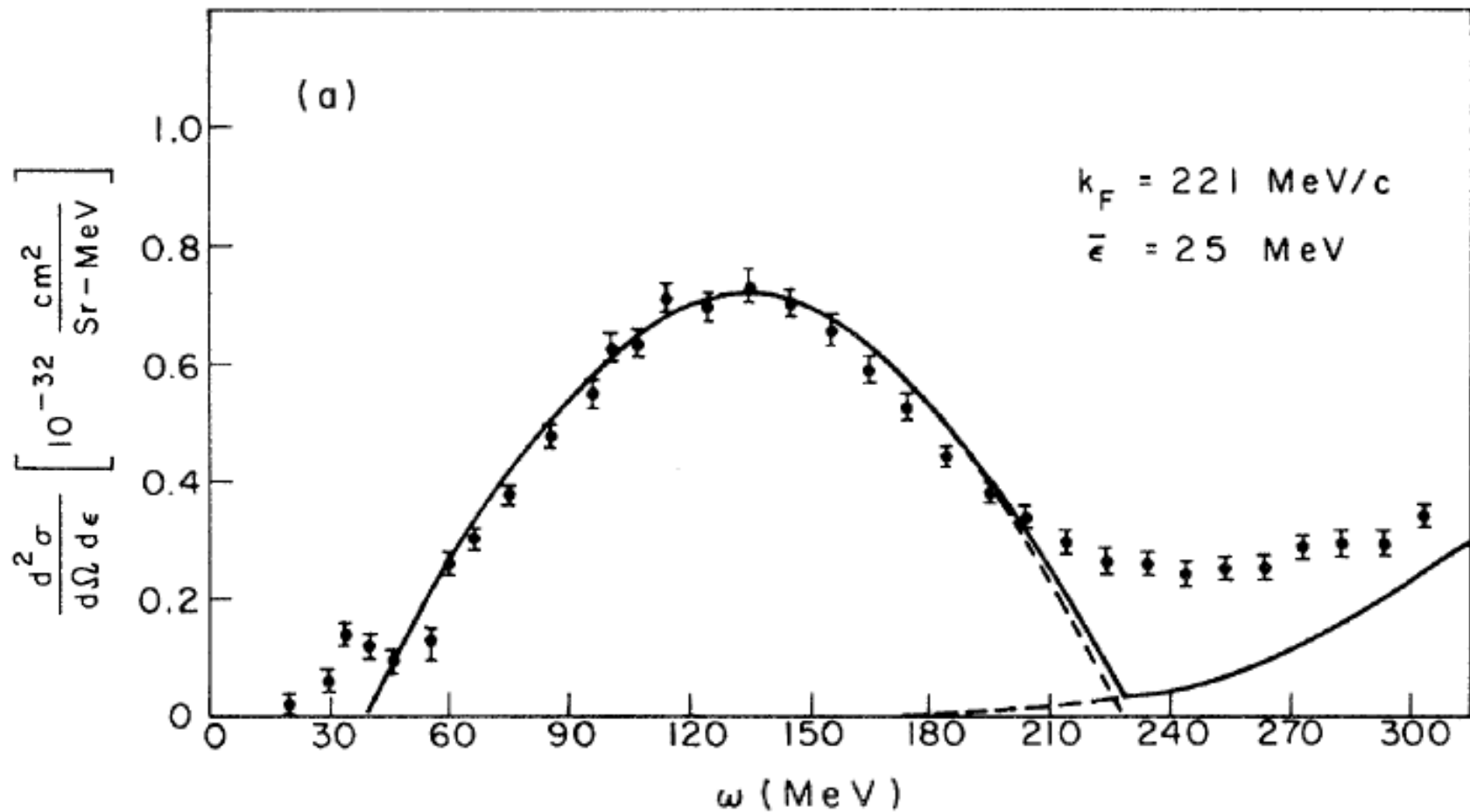


Momentum space



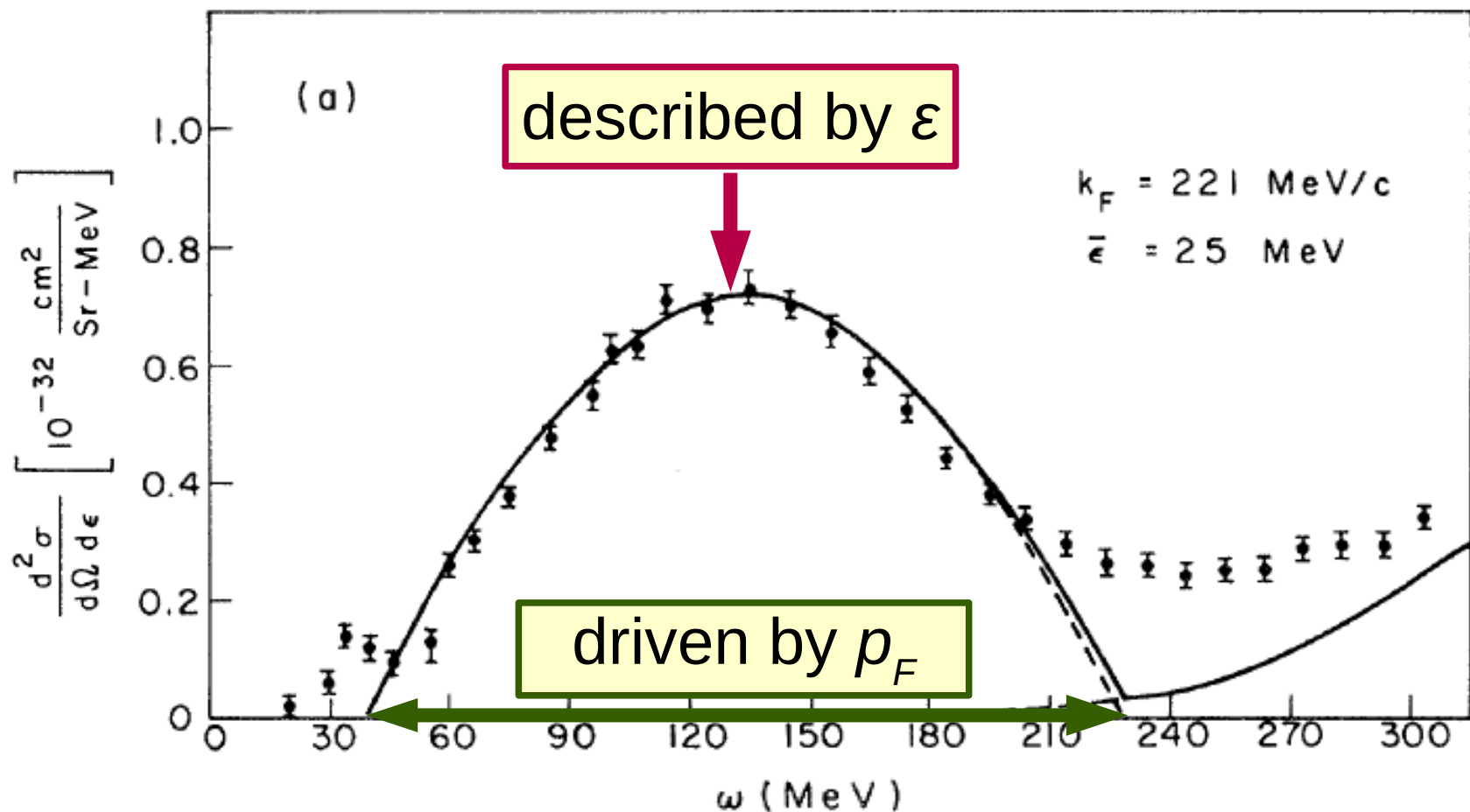
Coordinate space

Electron scattering off carbon, 500 MeV, 60 deg



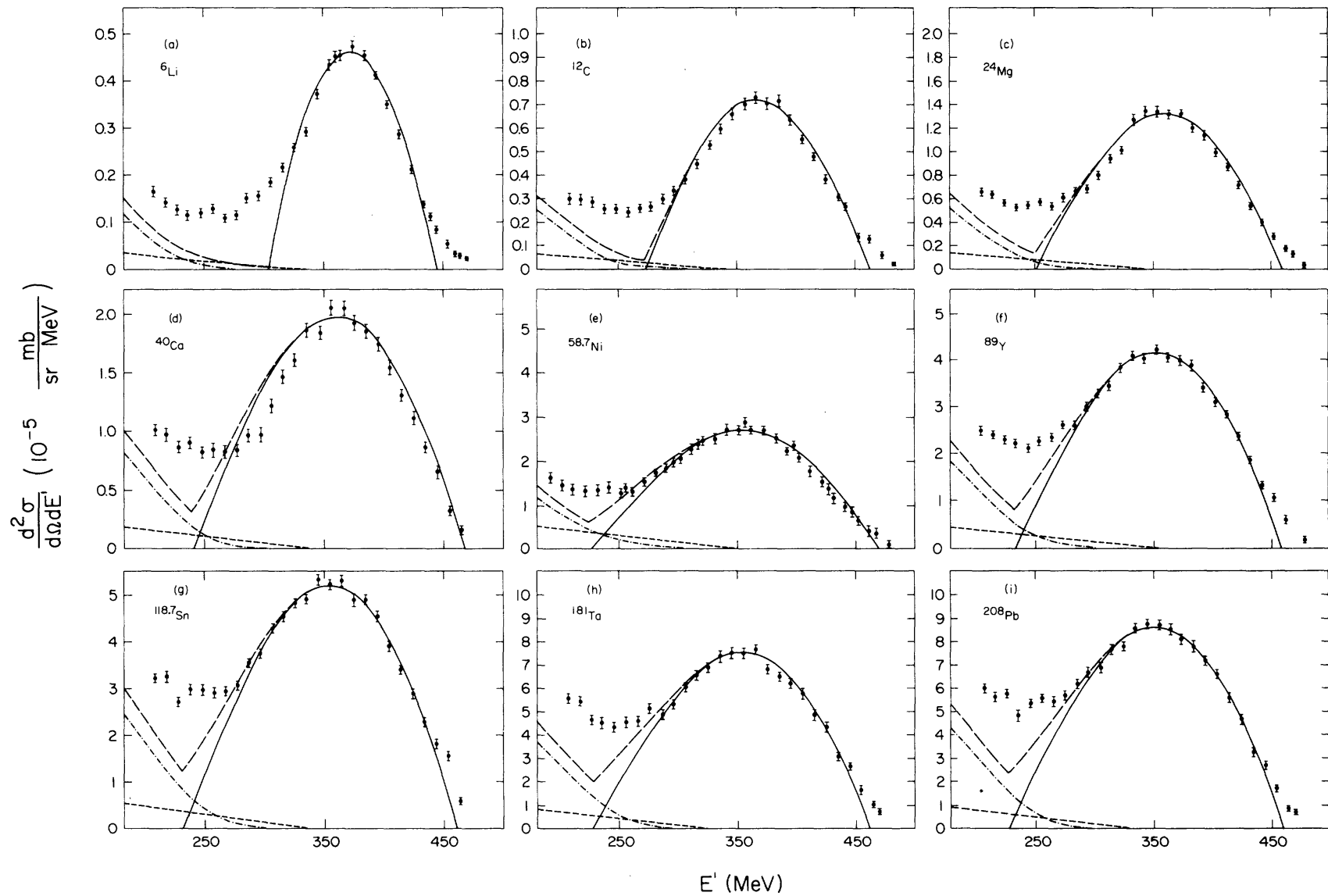
Moniz *et al.*, PRL 26, 445 (1971)

Electron scattering off carbon, 500 MeV, 60 deg



Moniz *et al.*, PRL 26, 445 (1971)

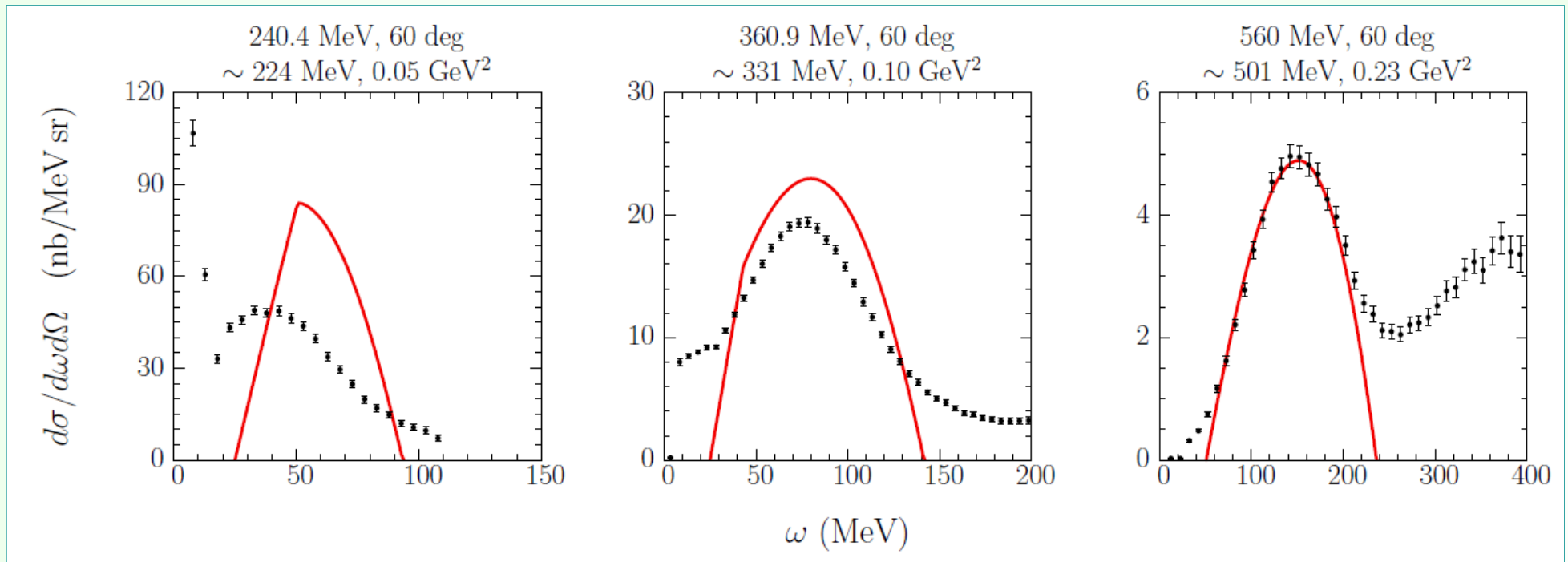
Fermi gas model



Whitney *et al.*, PRC 9, 2230 (1974)

Fermi gas model

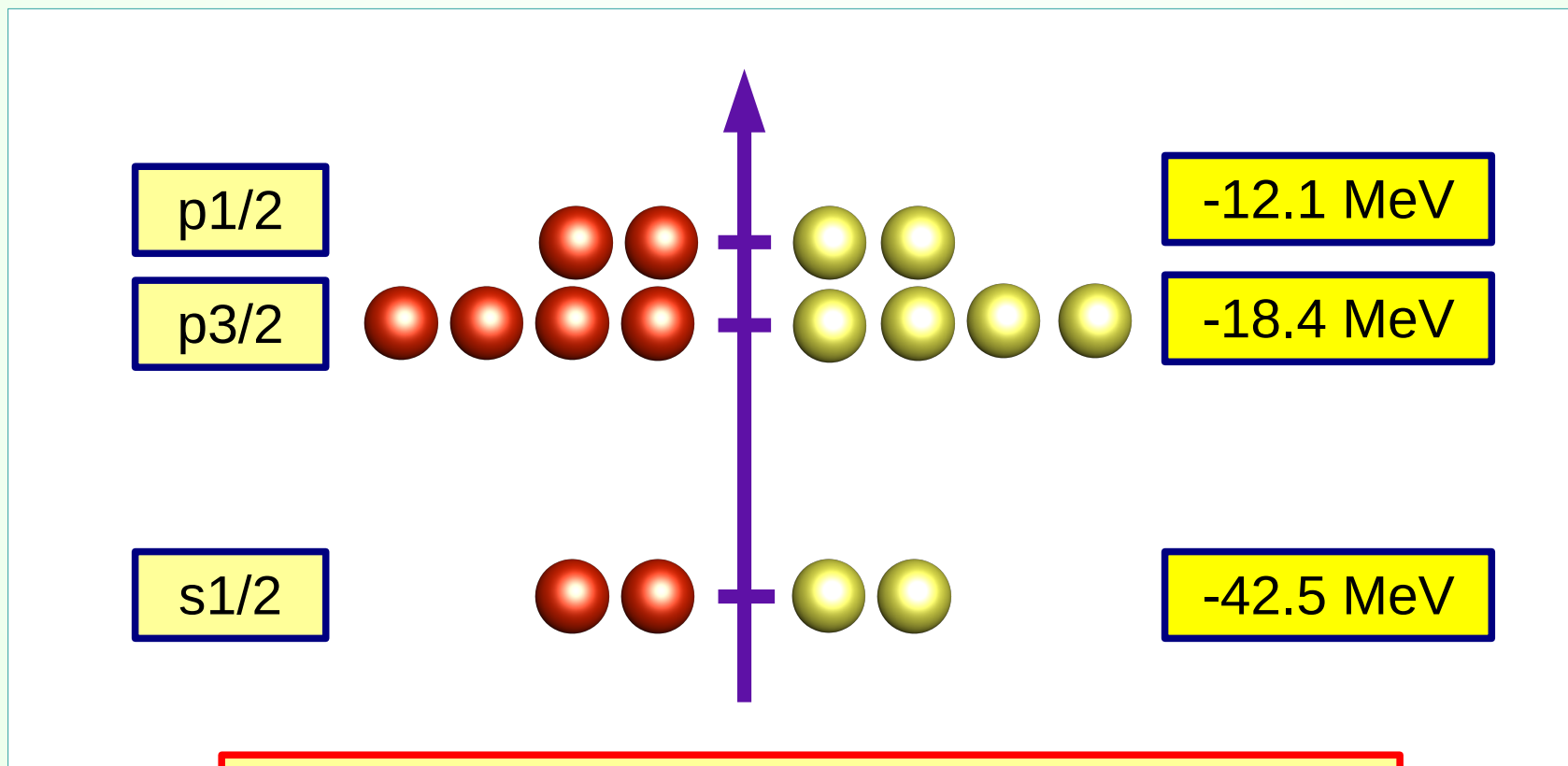
What happens at kinematics other than 500 MeV, 60 deg?



Barreau *et al.*, NPA 402, 515 (1983)

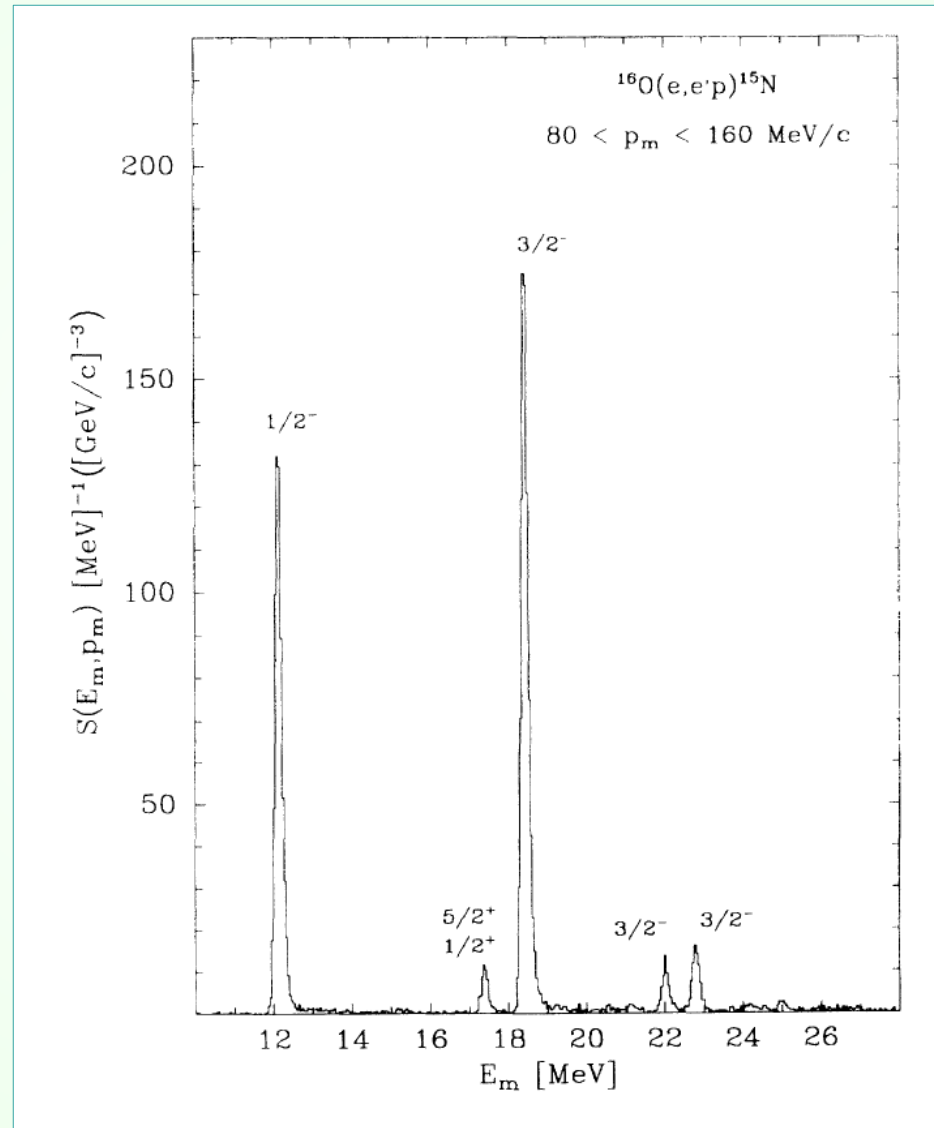
Shell model

In a spherically symmetric potential, the eigenstates can be labeled using the total angular momentum.



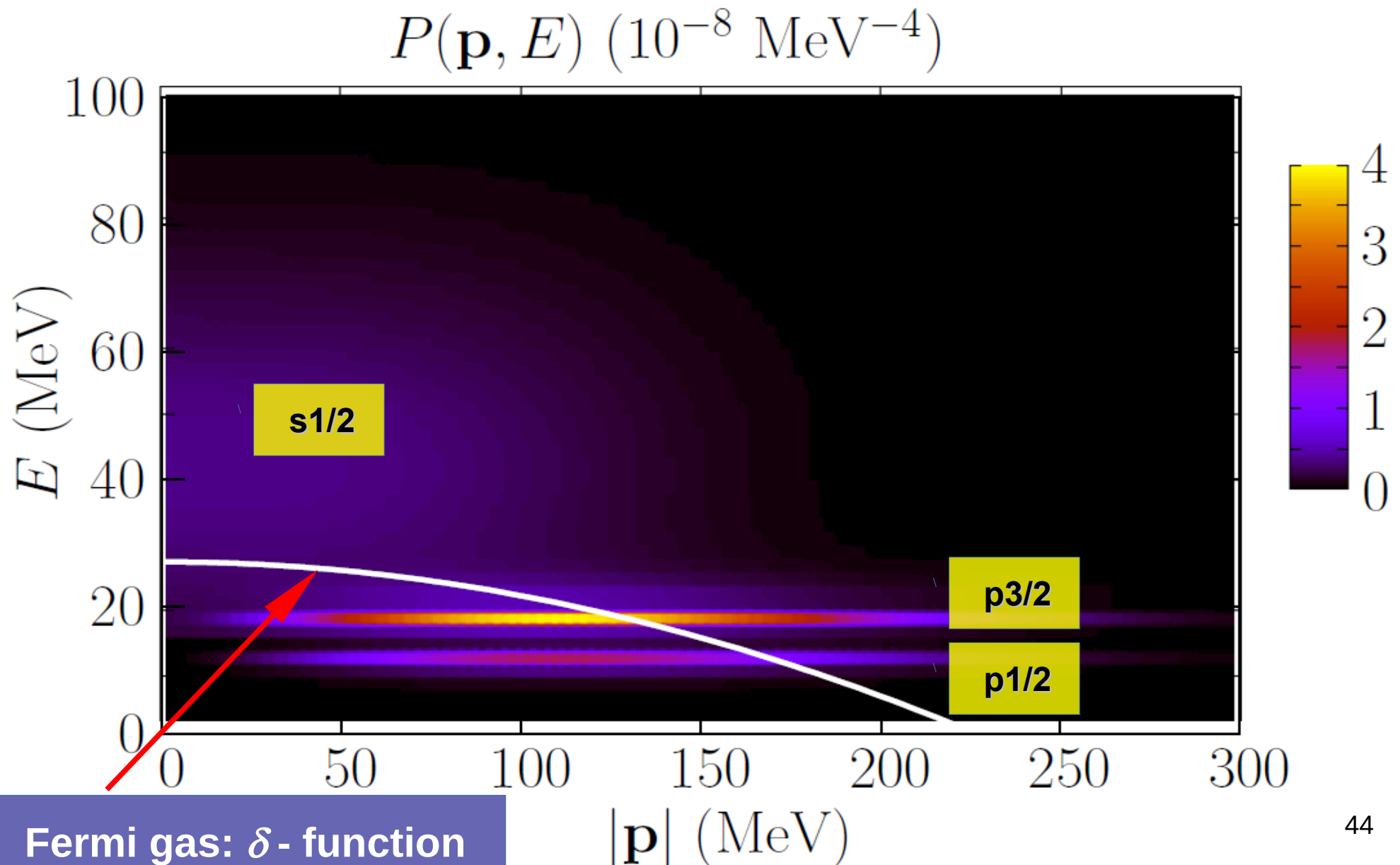
See e.g. Cohen, Concepts of Nuclear Physics,
McGraw-Hill, 1971

Example: oxygen nucleus

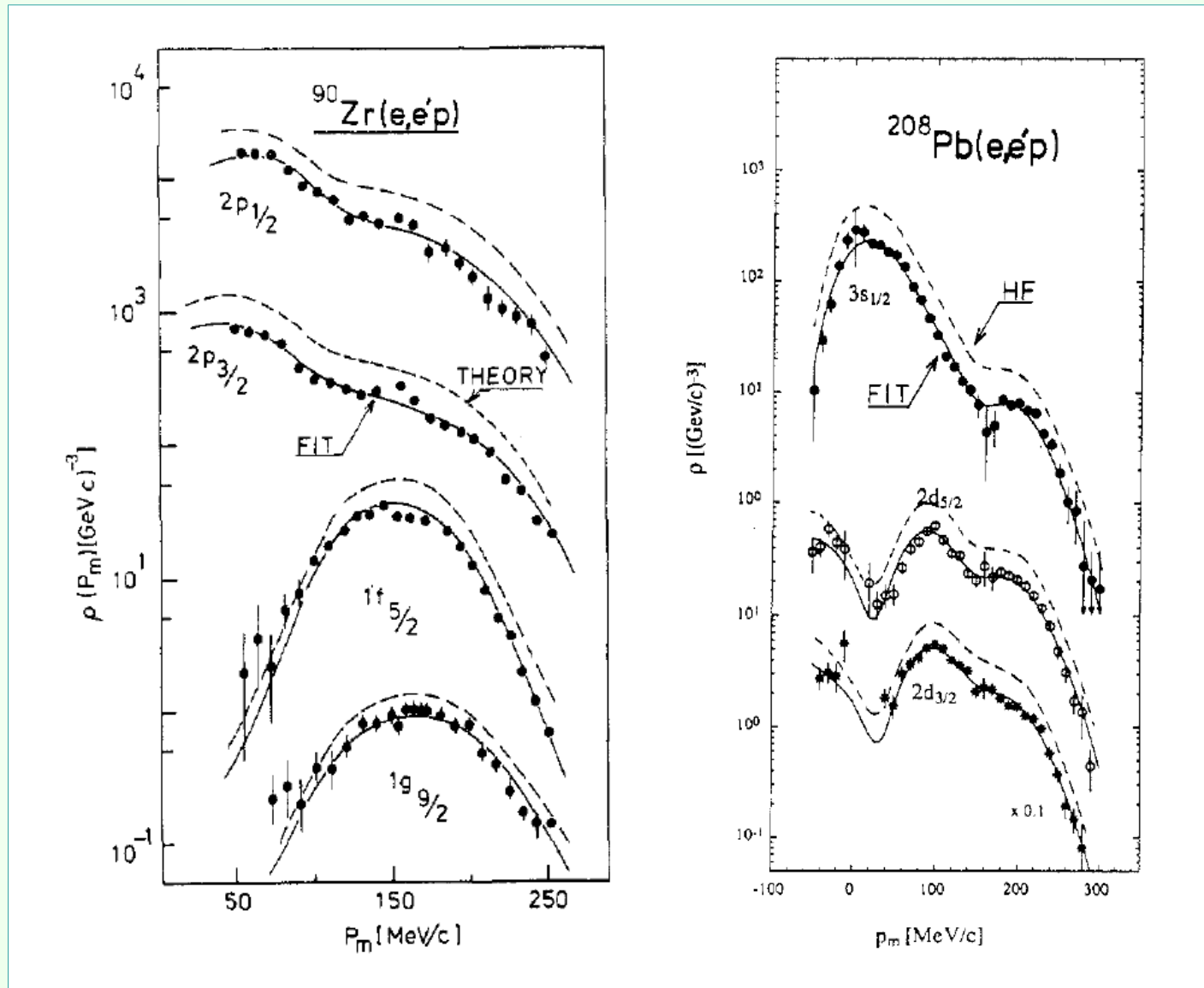


Leuschner *et al.*, PRC 49, 955 (1994)

Example: oxygen spectral function



Depletion of the shell-model states

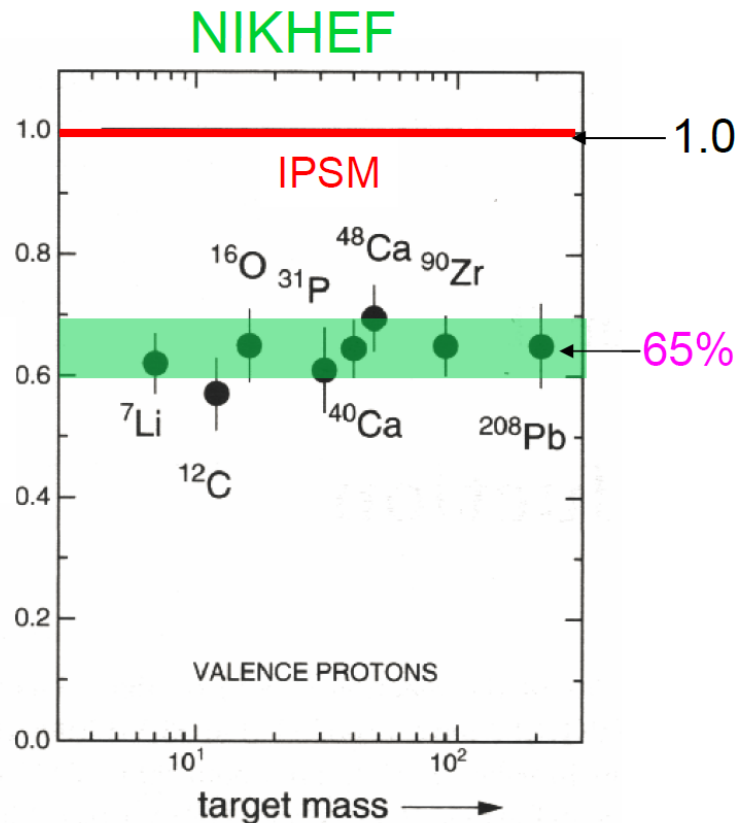


De Witt Huberts, JPG 16, 507 (1990)

Depletion of the shell-model states

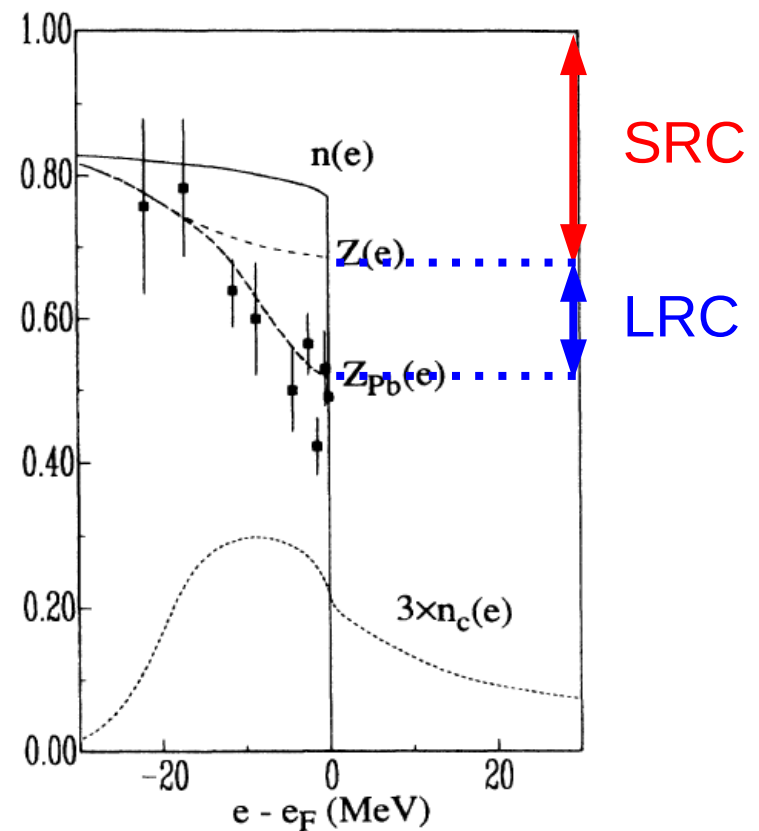
The observed depletion is ~35% for the valence shells (LRC and SRC) and ~20% when higher missing energy is probed (SRC).

Spectroscopic strengths/IPSM



D. Rohe, NuInt05

NIKHEF: $^{208}\text{Pb}(e,e'p)^{207}\text{Tl}$



Benhar et al, PRC 41, R24 (1990)

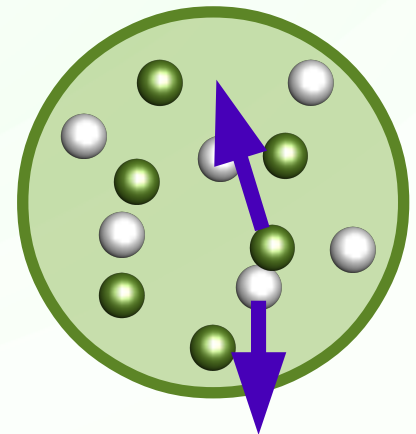


Spectral function approach

Short-range correlations

The main source of the depletion of the shell-model states at high E are **short-range nucleon-nucleon correlations**.

Yielding NN pairs (typically pn pairs) with high relative momentum, they move ~20% of nucleons to the states of high removal energies.



Short-range correlations

The hole spectral function can be expressed as

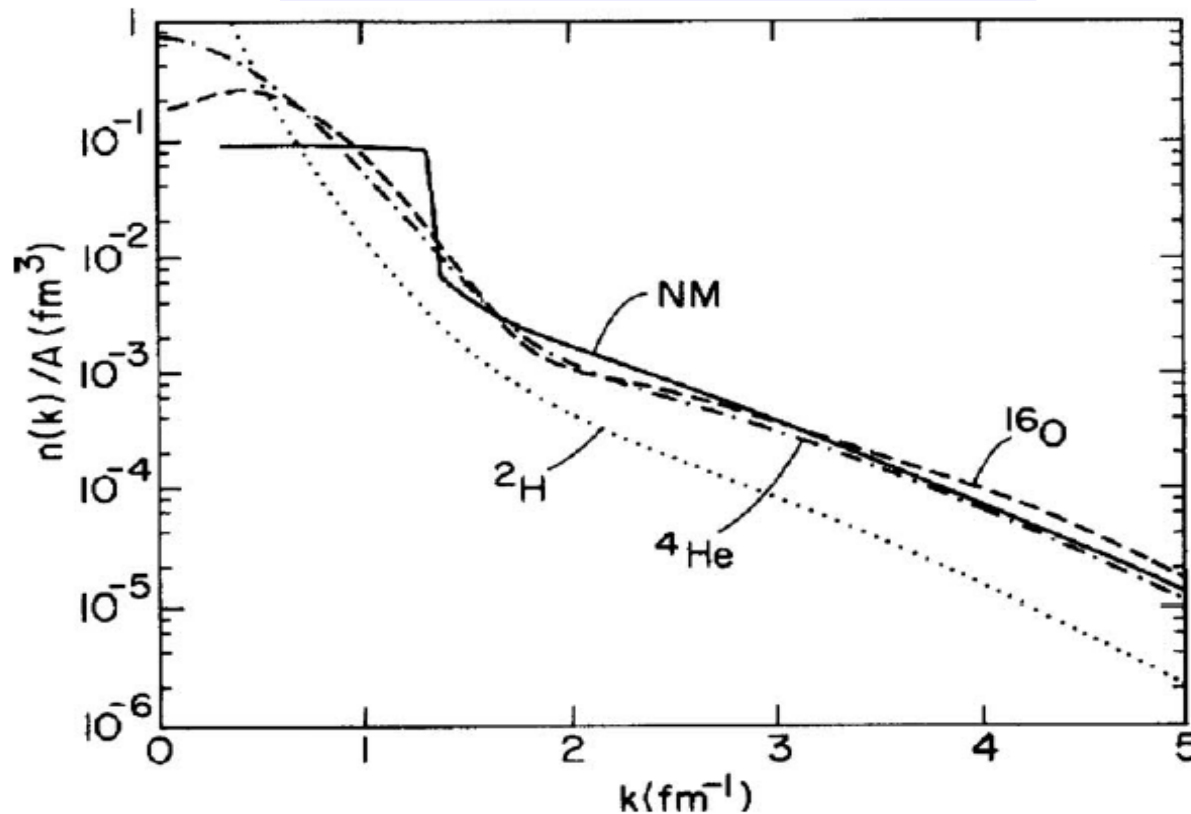
$$P_N(\mathbf{p}, E) = \sum_{\alpha} n_{\alpha} |\phi_{\alpha}|^2 f_{\alpha}(E - E_{\alpha}^N) + \underline{P_{\text{corr}}^N(\mathbf{p}, E)},$$

describes the contribution
of the shell-model states,
vanishes at high $|\mathbf{p}|$ or high E

relevant only
at high $|\mathbf{p}|$ **and** E

Short-range correlations

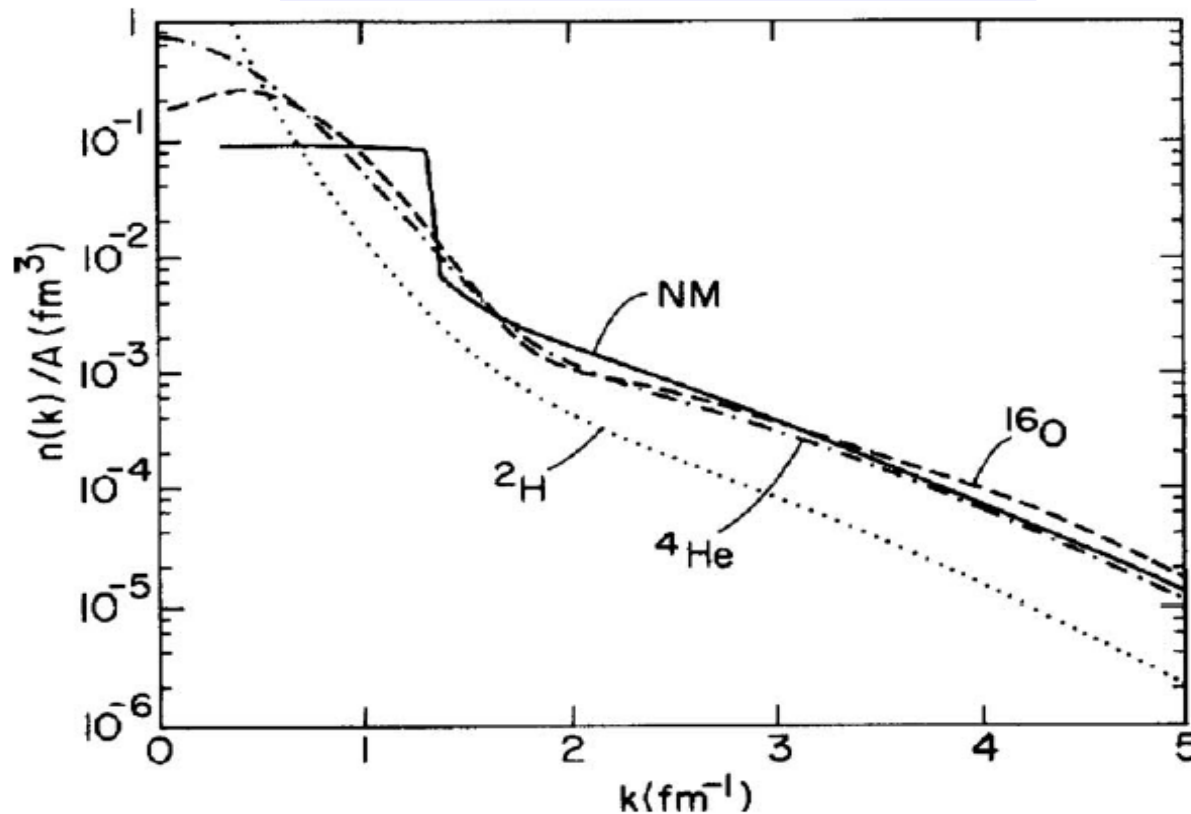
Momentum distributions



Benhar&Pandharipande, RMP 65, 817 (1993)

Short-range correlations

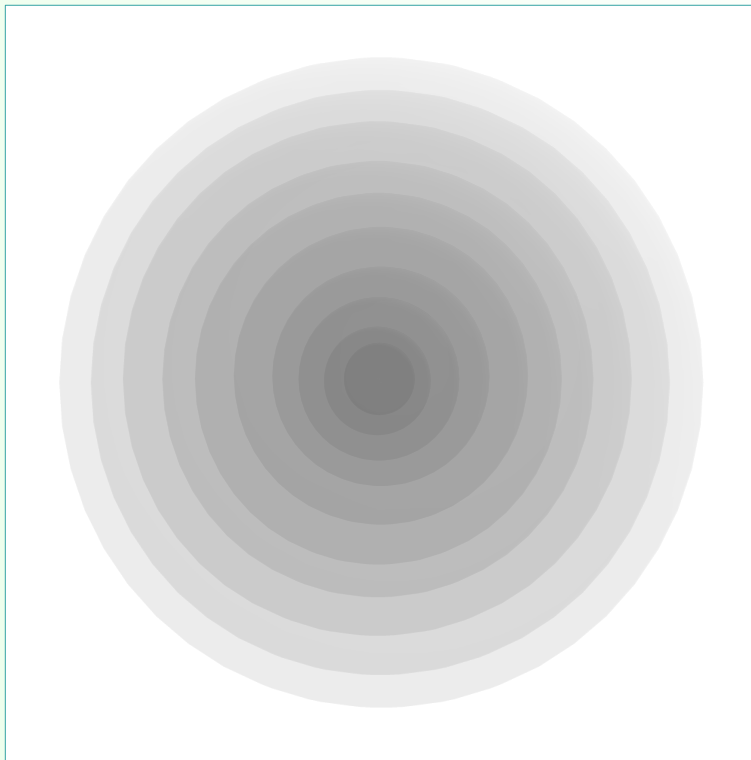
Momentum distributions



SRC don't depend on the shell structure or finite-size effects, only on the density

Local-density approximation

The correlation component in nuclei can be obtained combining the results for infinite nuclear matter obtained at different densities:

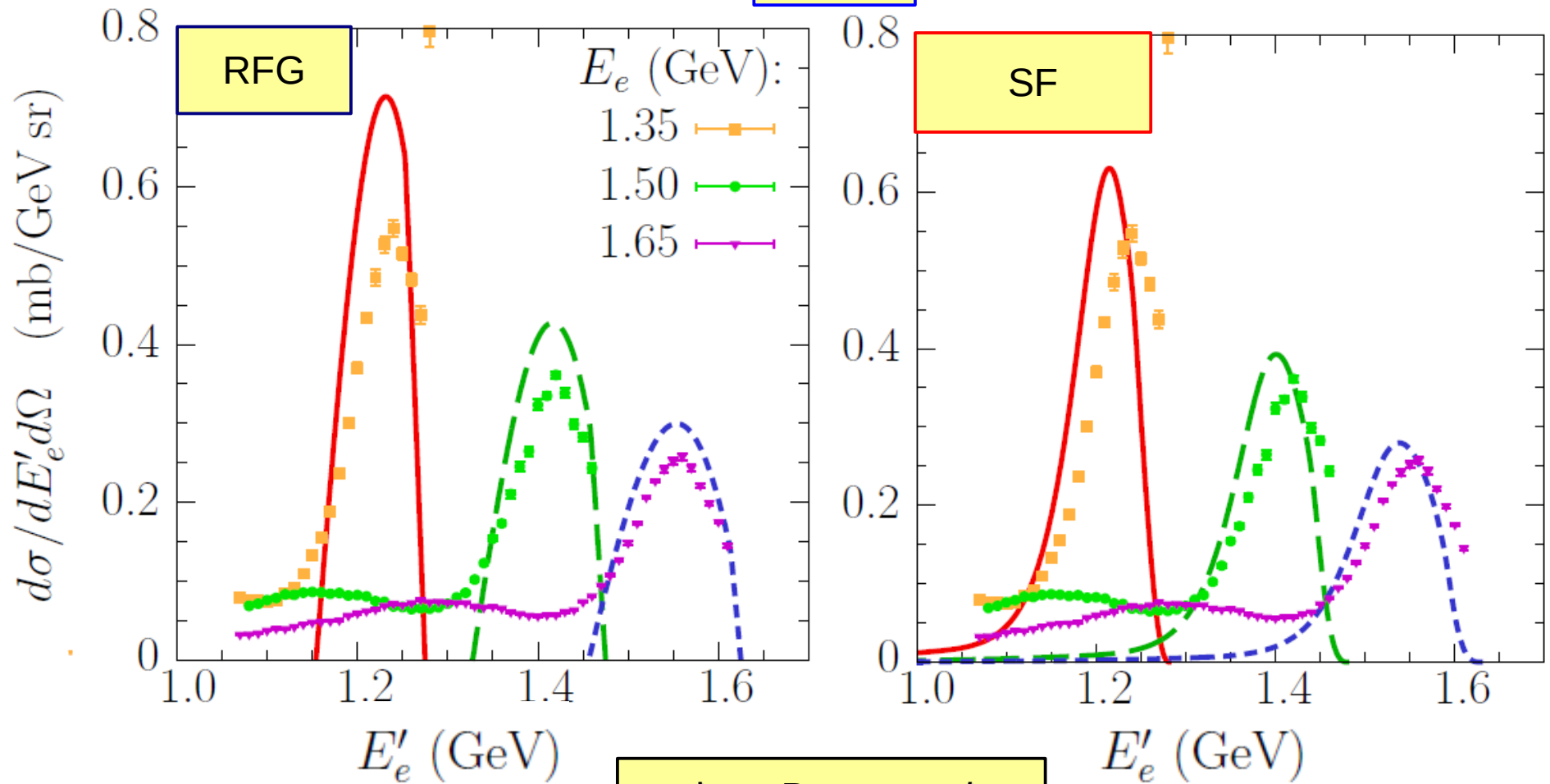


$$P_{\text{corr}}^N(\mathbf{p}, E) = \int dR \rho(R) P_{\text{corr}}^{NM,N}(\rho, \mathbf{p}, E).$$

Benhar *et al.*, NPA 579 493, (1994)

Comparison to $C(e, e')$ data

13.5°



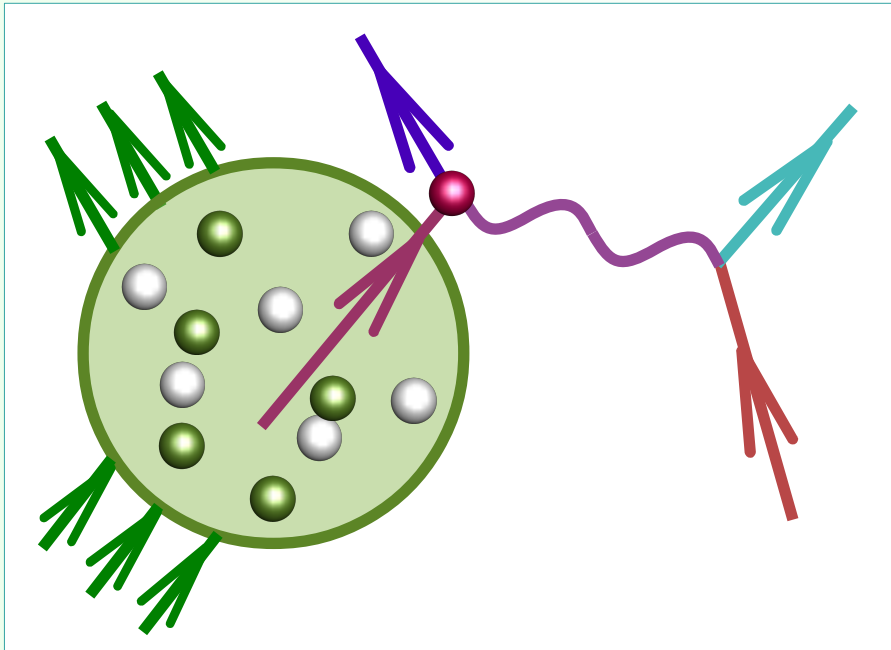
data: Baran *et al.*,
PRL 61, 400 (1988)

Energy conservation

$$E_{\mathbf{k}} + M_A = E_{\mathbf{k}'} + E_{A-1} + E_{\mathbf{p}'}$$

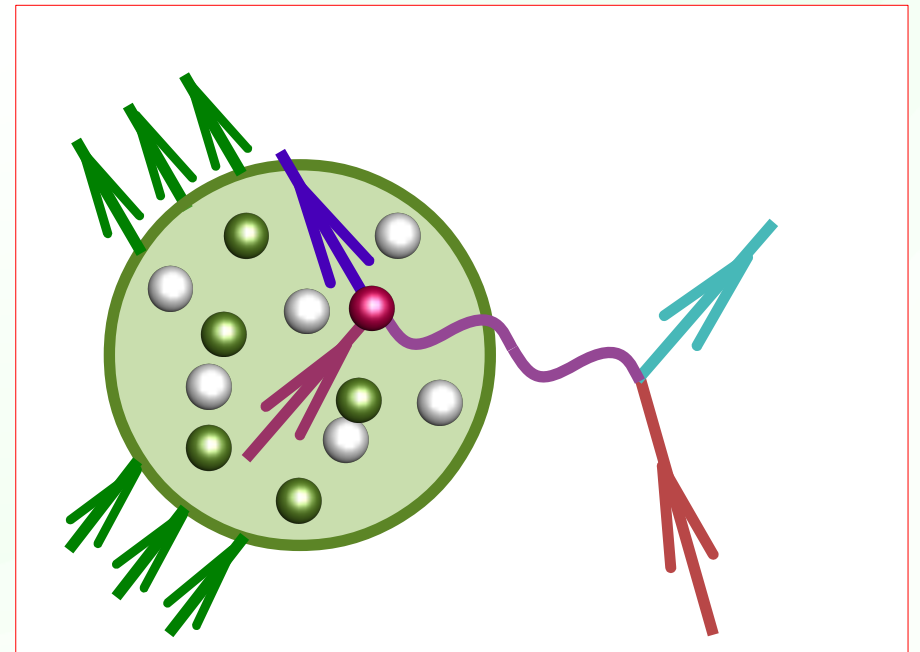
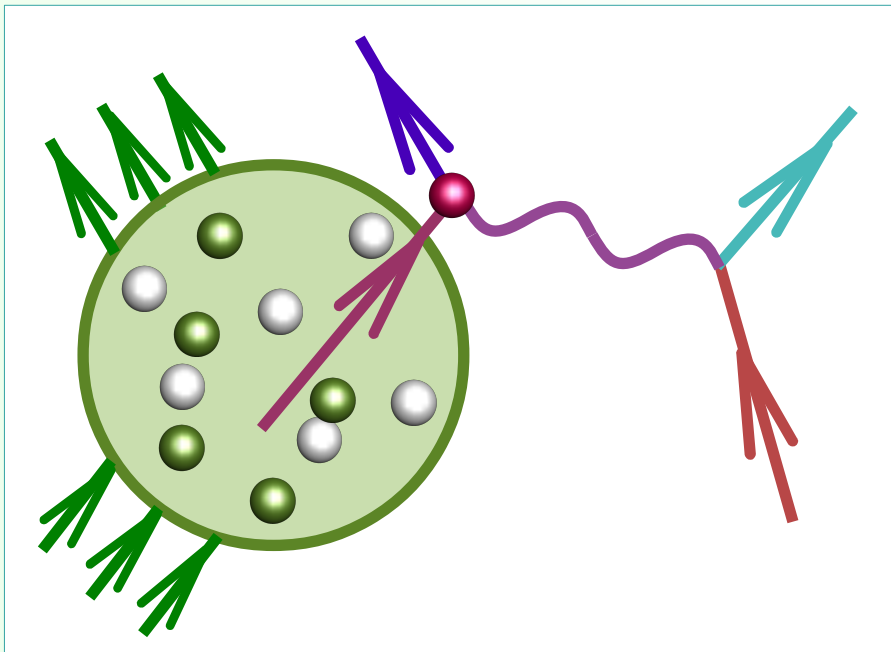
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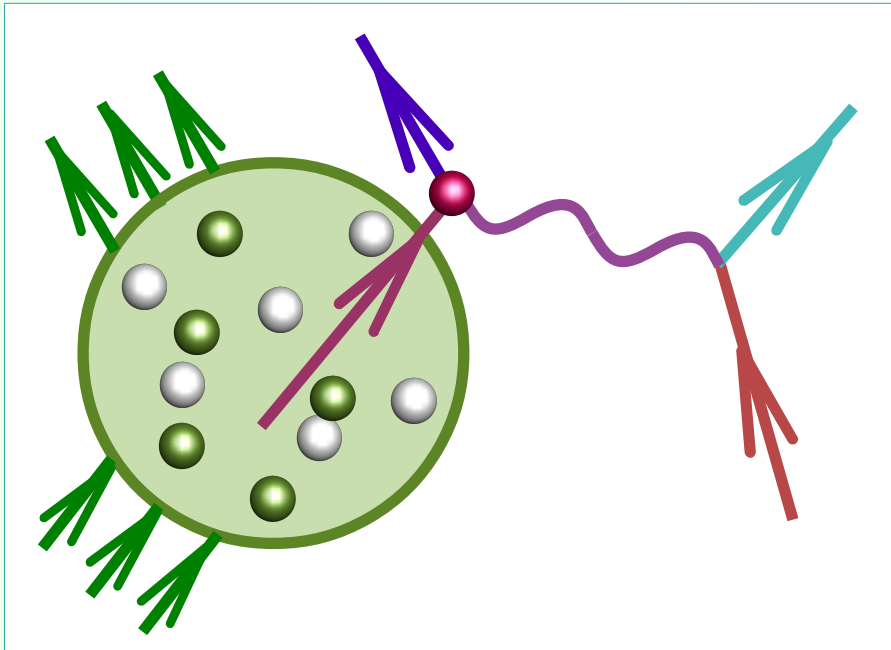
Energy conservation

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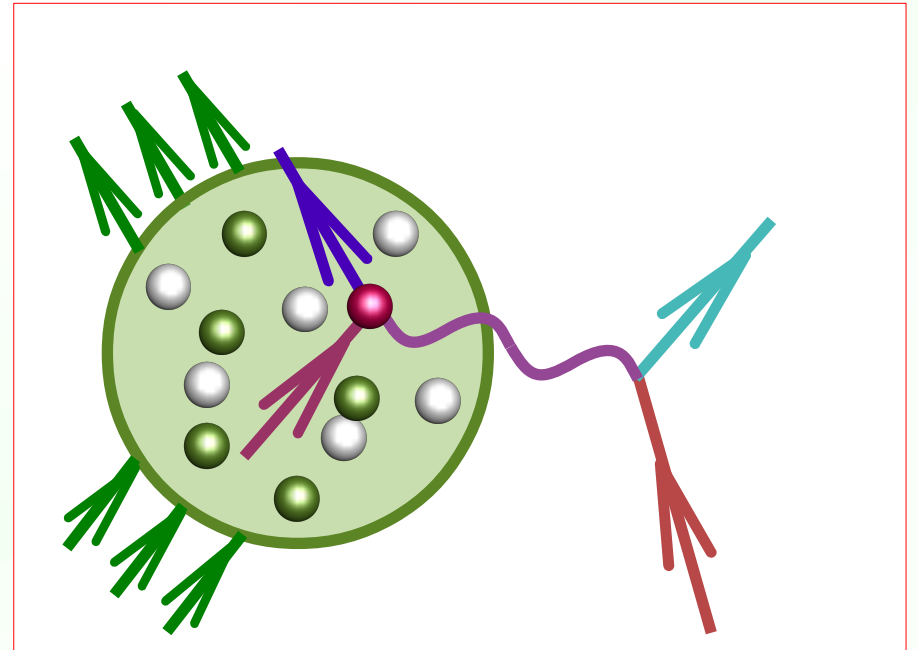


Energy conservation

$$E_{\mathbf{k}} + M_A = E_{\mathbf{k}'} + E_{A-1} + E_{\mathbf{p}'}$$

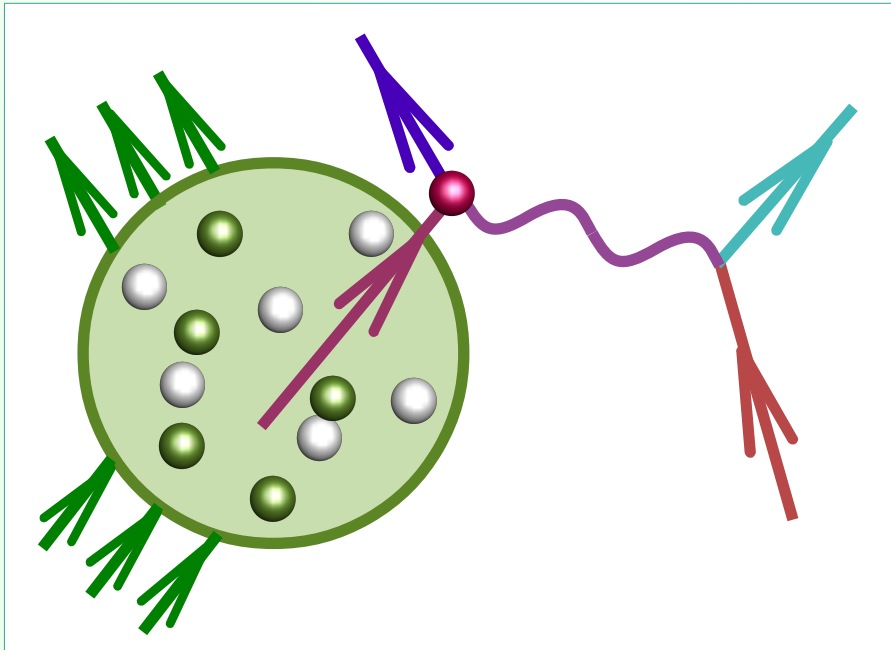


$$E_{\mathbf{k}} + M_A = E_{\mathbf{k}'} + E_{A-1} + E_{\mathbf{p}'} + U_V(\mathbf{p}')$$

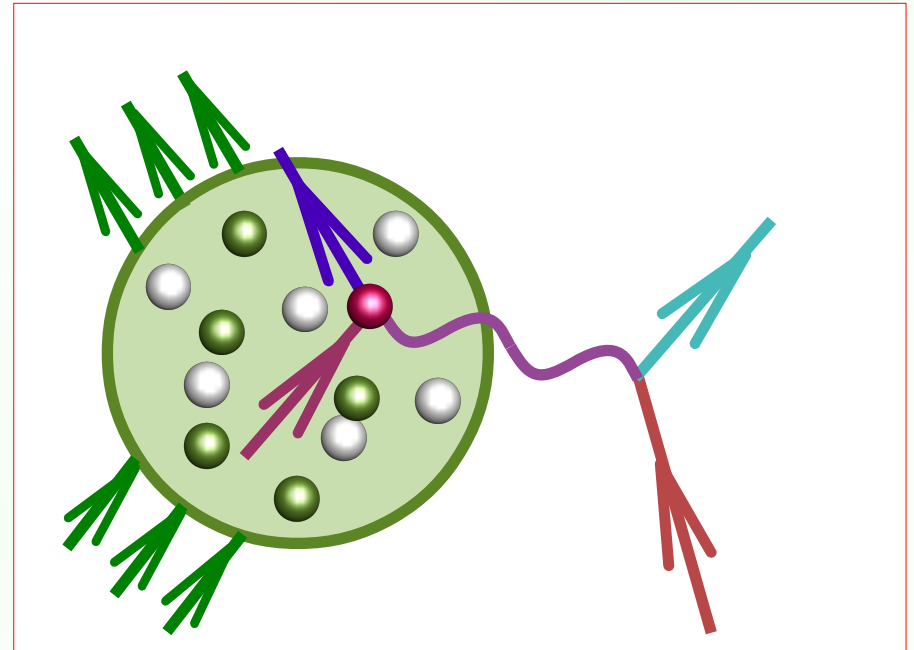


Energy conservation

$$E_{\mathbf{k}} + M_A = E_{\mathbf{k}'} + E_{A-1} + E_{\mathbf{p}'}$$



$$E_{\mathbf{k}} + M_A \approx E_{\mathbf{k}'} + E_{A-1} + E_{\mathbf{p}'} + U_V(\mathbf{p}')$$



Final-state interactions

Their effect on the cross section is easy to understand in terms of the complex optical potential:

- the **real part** modifies the struck nucleon's energy spectrum: it differs from $\sqrt{M^2 + \mathbf{p}^2}$
- the **imaginary part** reduces the single-nucleon final states and produces multinucleon final states

$$e^{i(E+U)t} = e^{i(E+U_V)t} e^{-U_W t}$$

Horikawa *et al.*, PRC 22, 1680 (1980)

Final-state interactions

In the convolution approach,

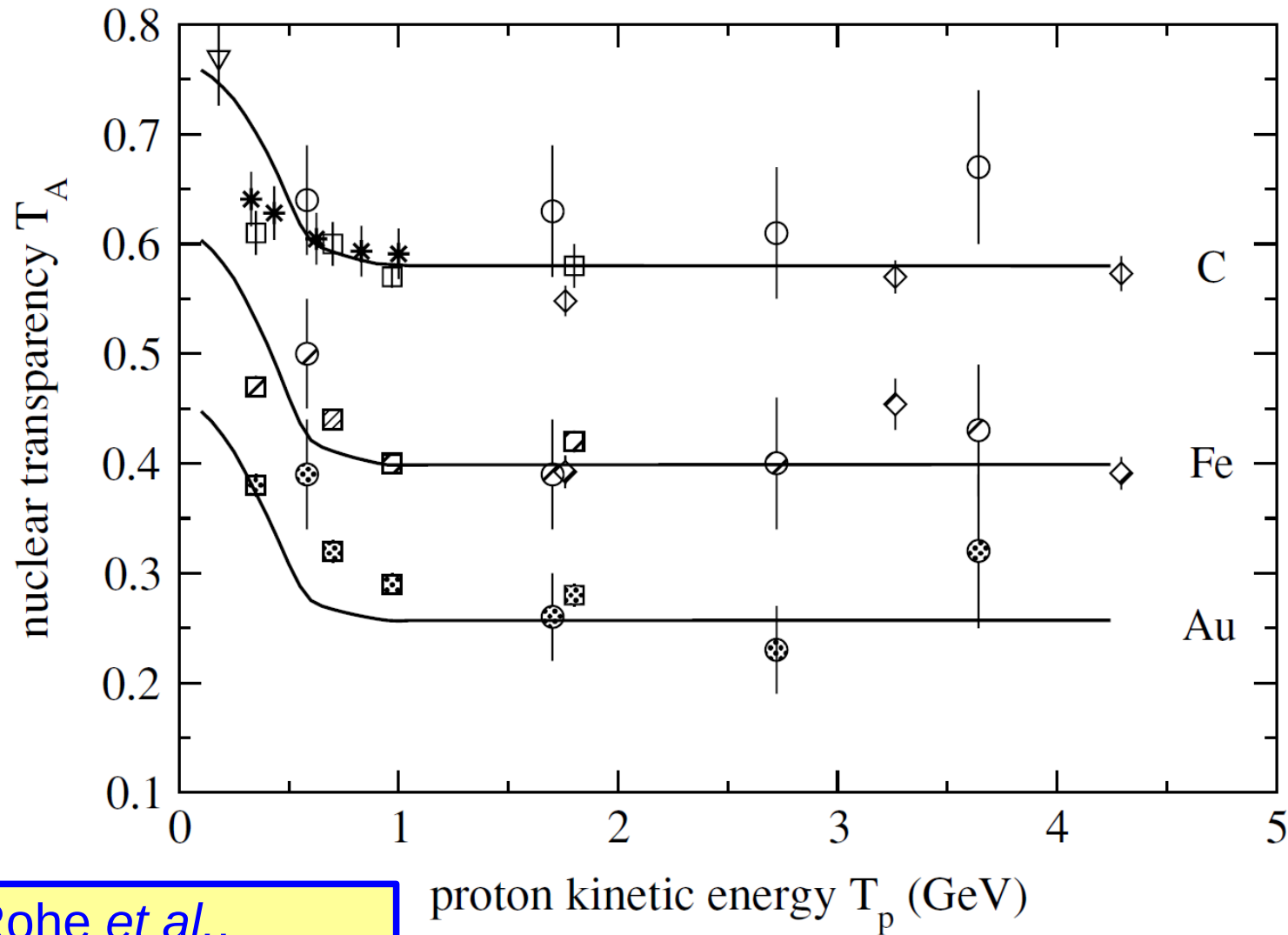
$$\frac{d\sigma^{\text{FSI}}}{d\omega d\Omega} = \int d\omega' f_{\mathbf{q}}(\omega - \omega') \frac{d\sigma^{\text{IA}}}{d\omega' d\Omega},$$

with the folding function

$$f_{\mathbf{q}}(\omega) = \delta(\omega) \sqrt{T_A} + (1 - \sqrt{T_A}) F_{\mathbf{q}}(\omega),$$

Nucl. transparency

Nuclear transparency



Rohe *et al.*,
PRC 72, 054602 (2005)

Real part of the optical potential

We account for the spectrum modification by

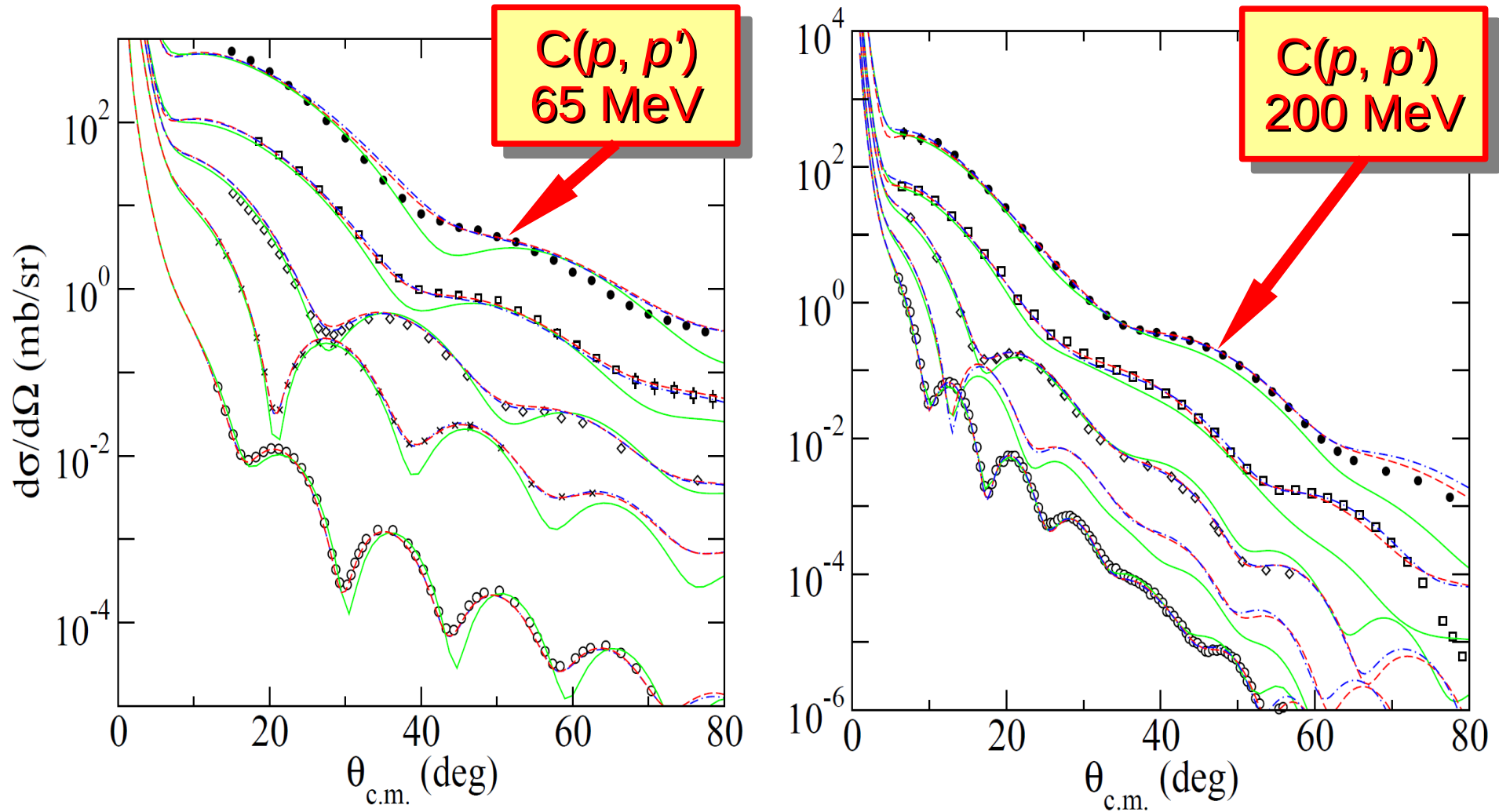
$$f_{\mathbf{q}}(\omega - \omega') \rightarrow f_{\mathbf{q}}(\omega - \omega' - U_V).$$

This procedure is similar to that from the Fermi gas model to introduce the binding energy in the argument of $\delta(\dots)$.

$$U_V = U_V(t_{\text{kin}})$$

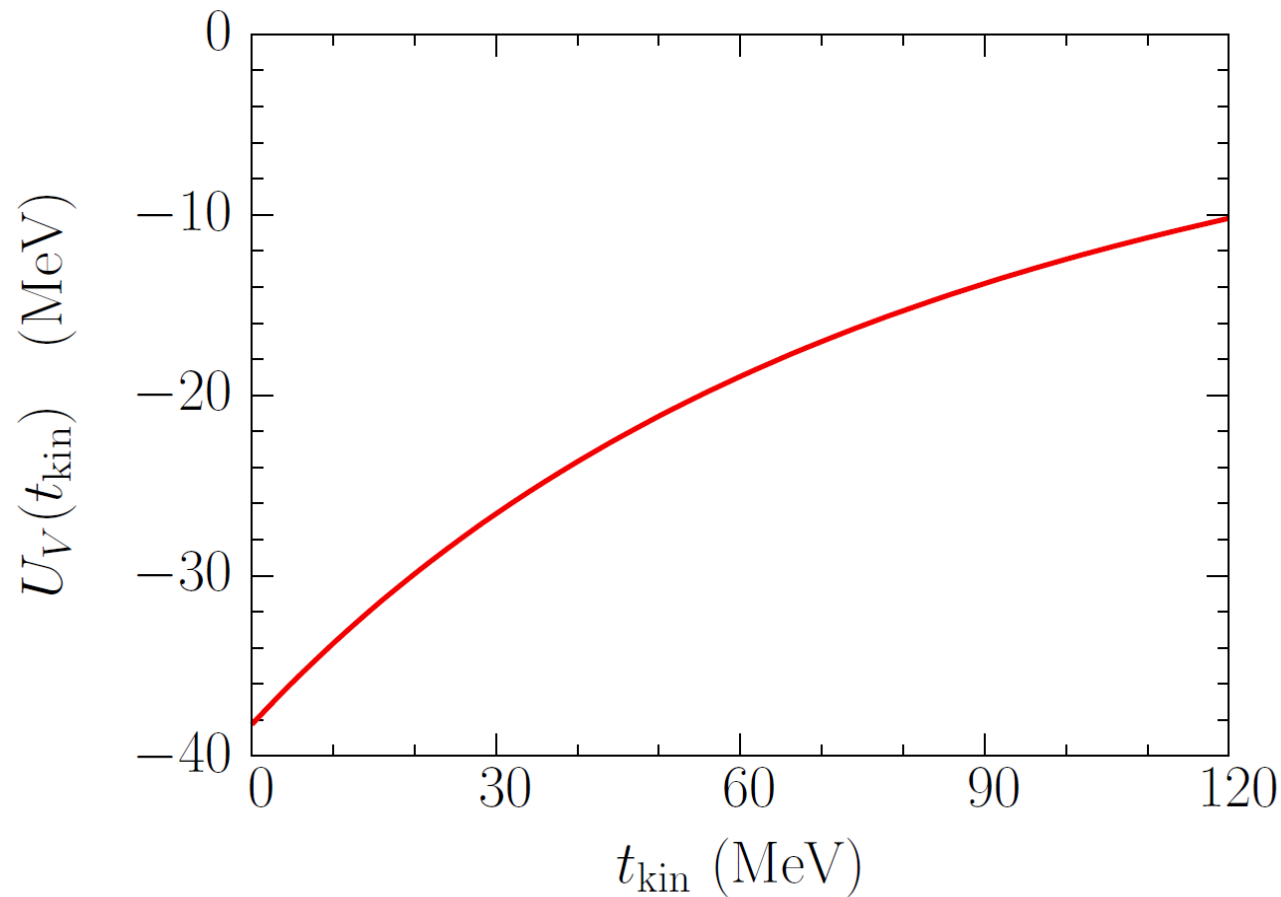
$$t_{\text{kin}} = \frac{E_{\mathbf{k}}^2(1 - \cos \theta)}{M + E_{\mathbf{k}}(1 - \cos \theta)}$$

Optical potential by Cooper *et al.*



Deb *et al.*, PRC 72, 014608 (2005)

Optical potential by Cooper *et al.*



obtained from
Cooper *et al.*, PRC 47, 297 (1993)

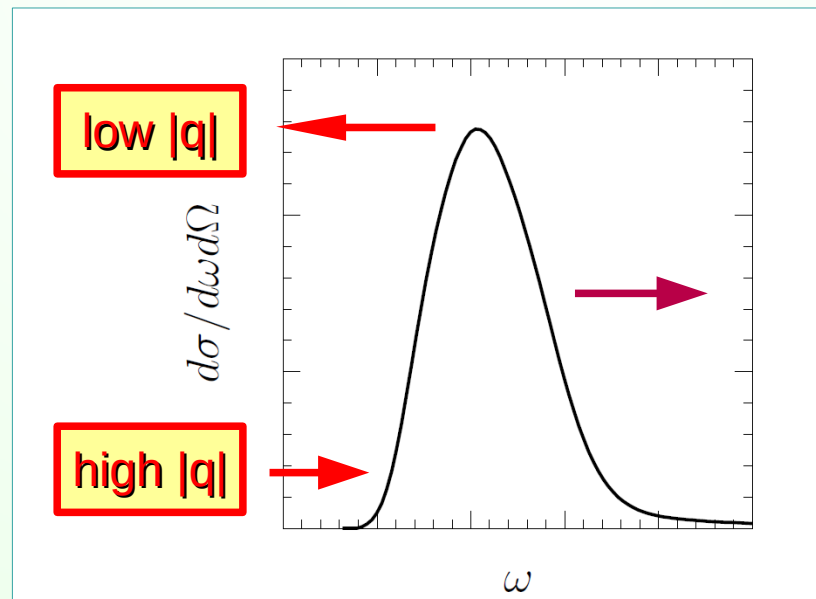
Simple comparison

Real part of the OP

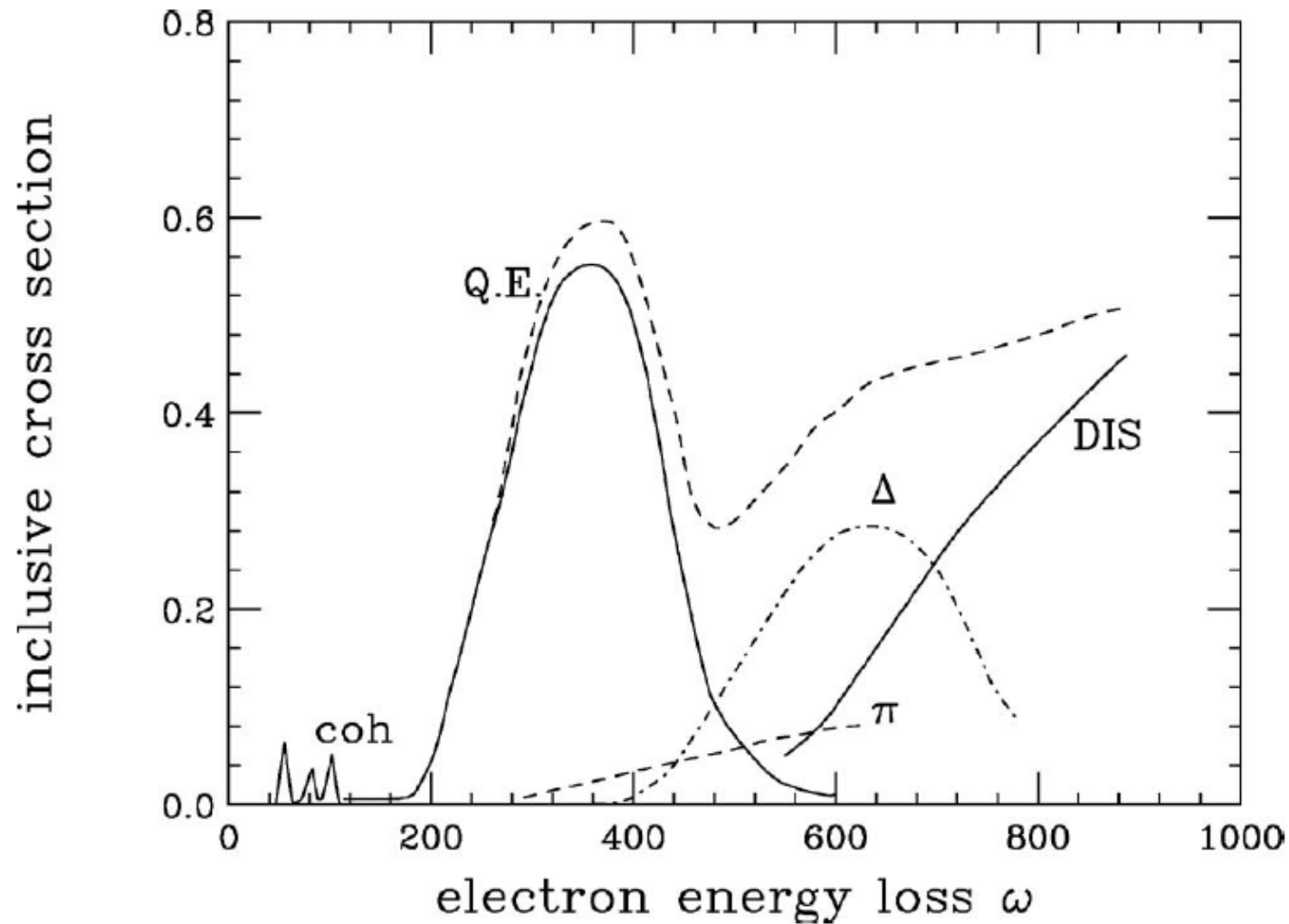
- acts in the **final** state
- shifts the QE peak to **low** ω at low $|\mathbf{q}|$
(to high ω at high $|\mathbf{q}|$)

Binding energy in RFG

- acts in the **initial** state
- shifts the QE peak to **high** ω



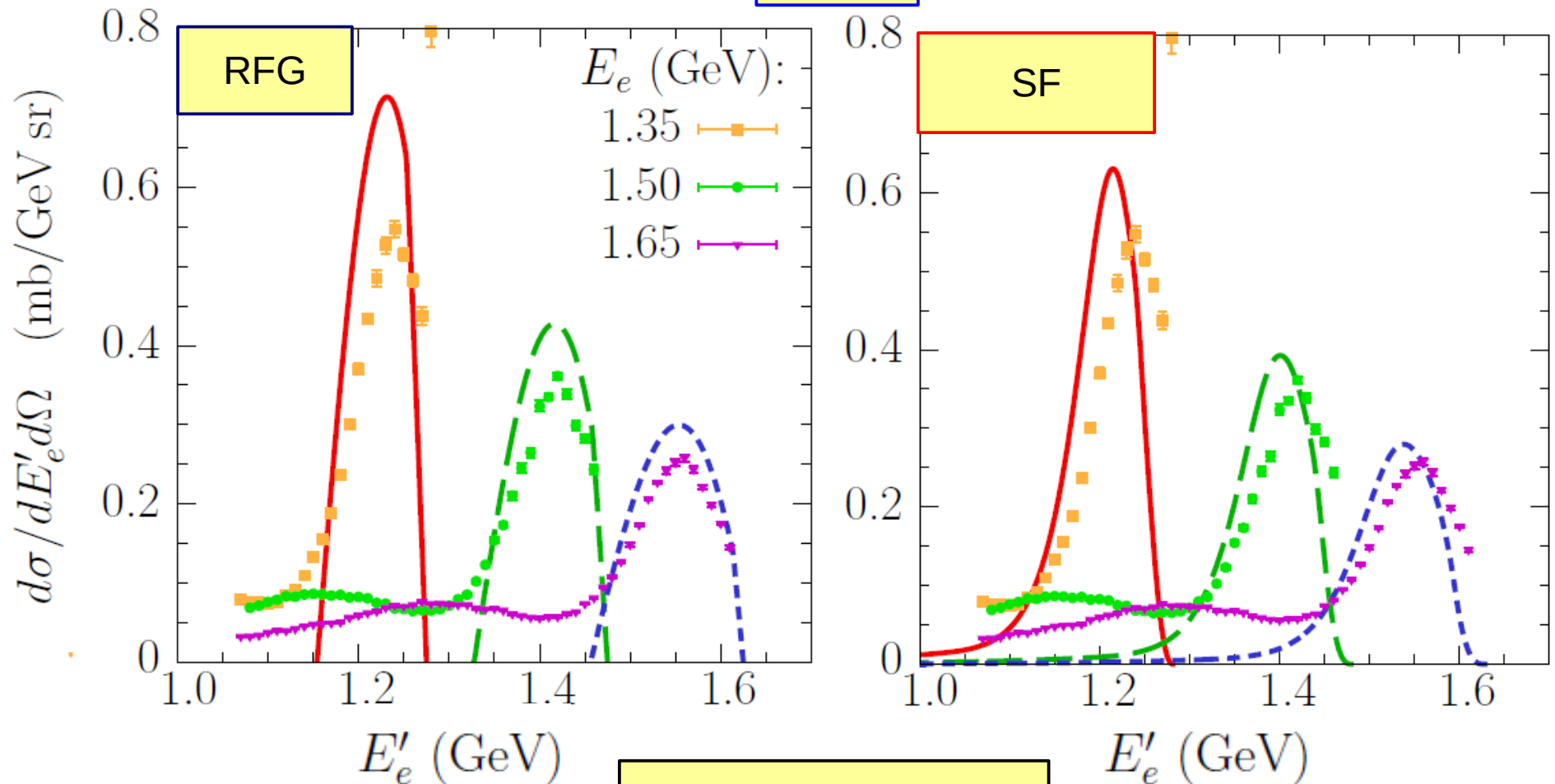
Why to focus on quasielastic?



Benhar *et al.*, RMP 80, 189 (2008)

Comparison to $C(e, e')$ data

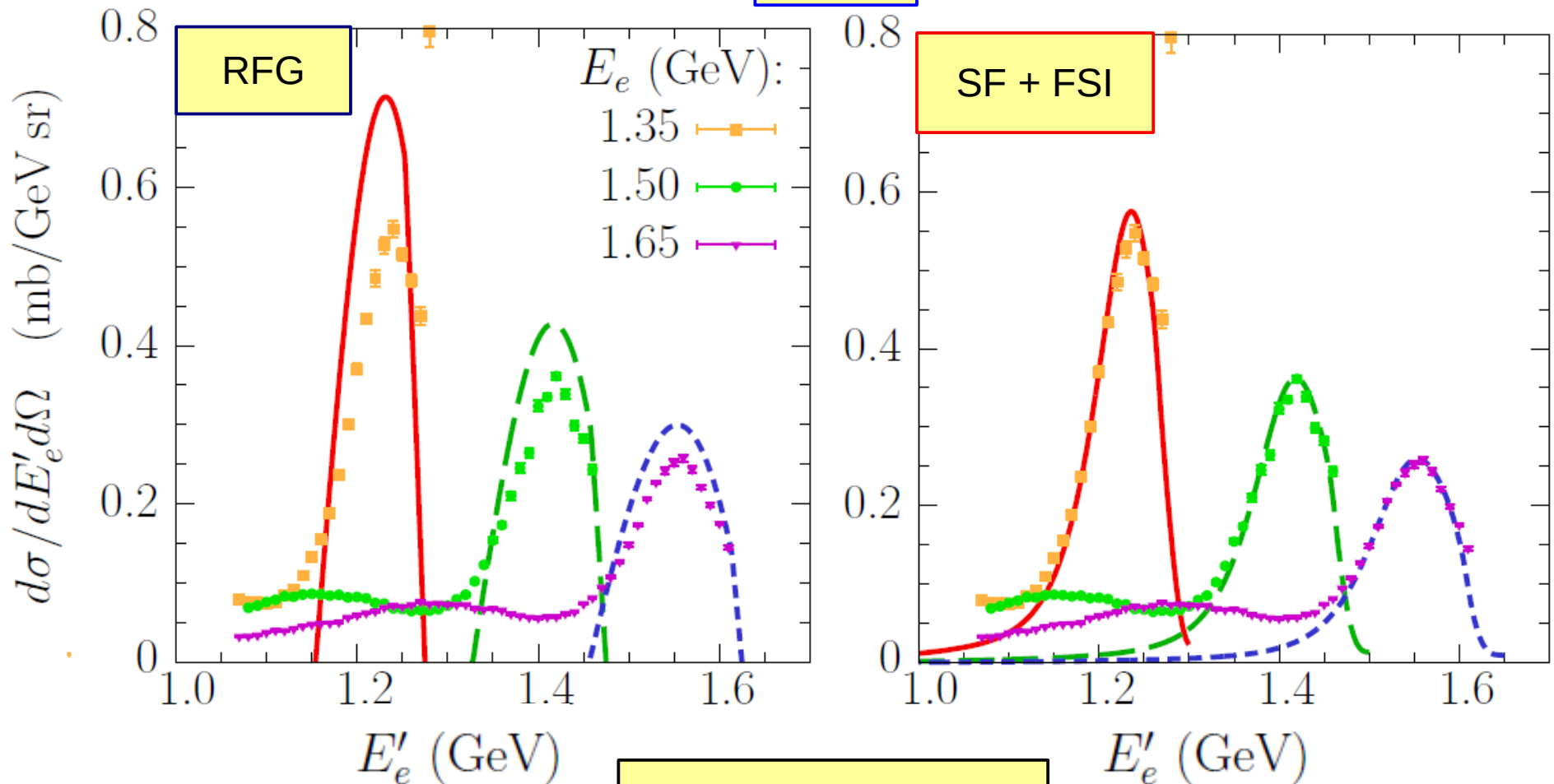
13.5°



data: Baran *et al.*,
PRL 61, 400 (1988)

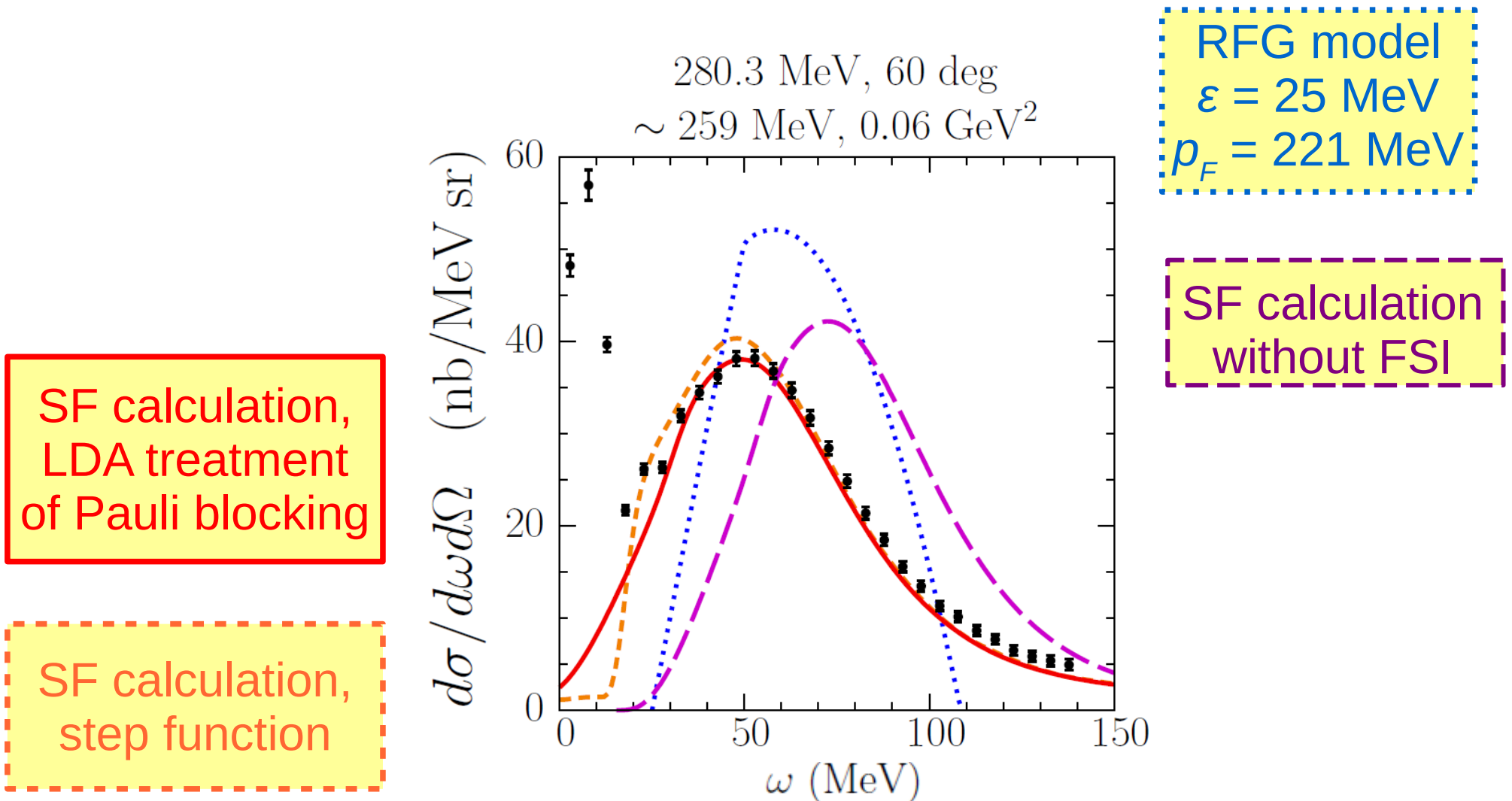
Comparison to $C(e, e')$ data

13.5°

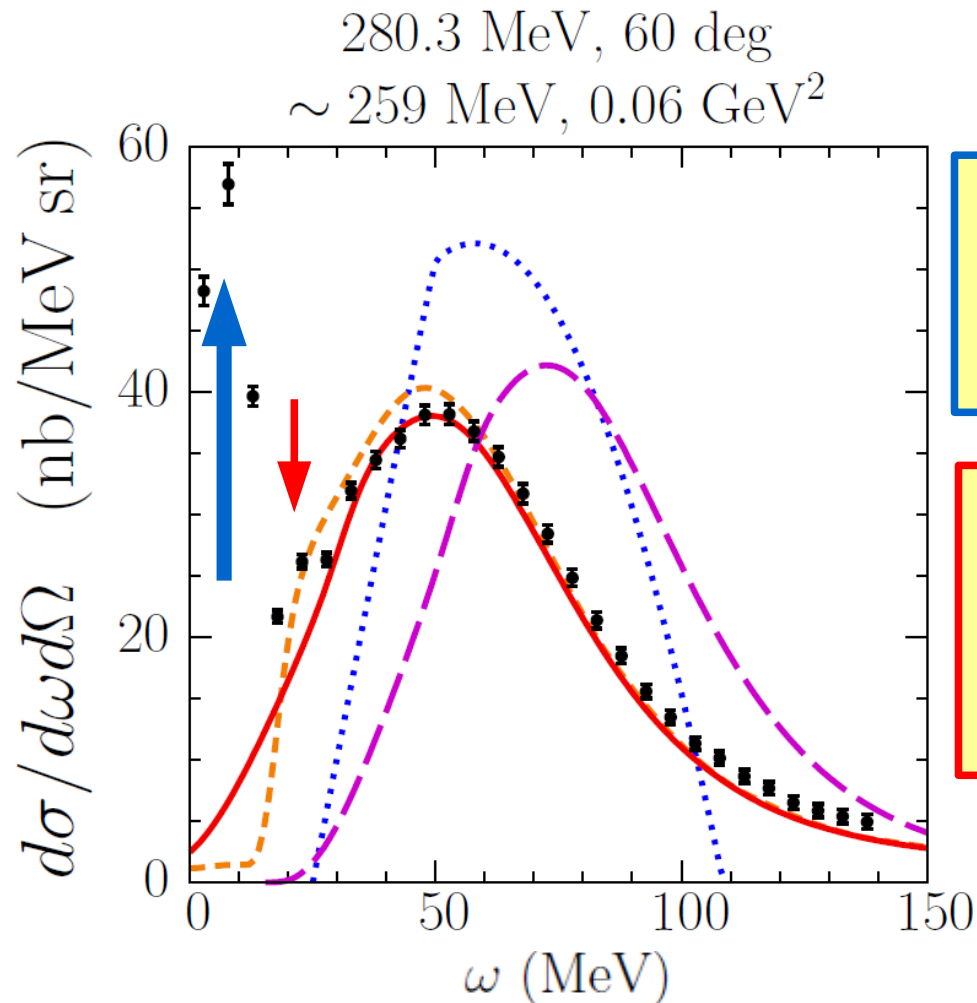


data: Baran *et al.*,
PRL 61, 400 (1988)

Compared calculations



Compared calculations

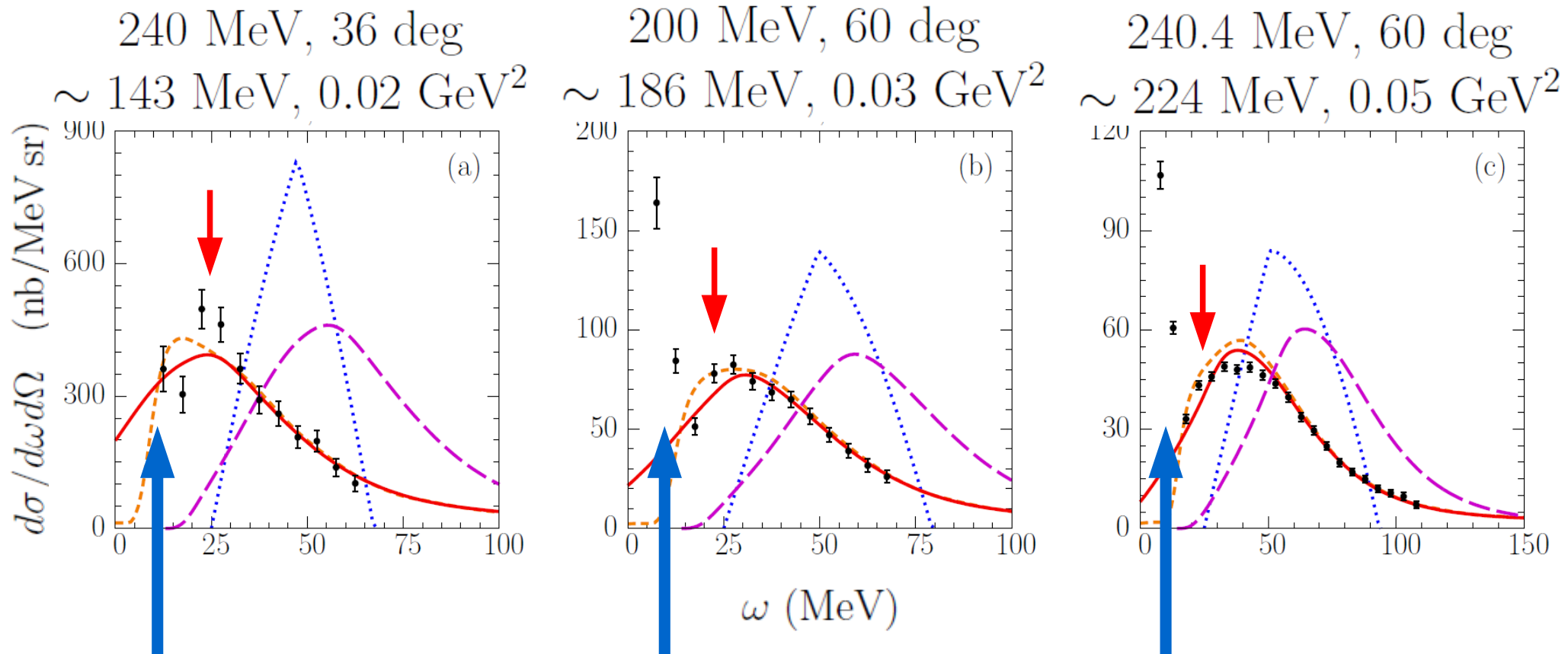


Calcs. include
QE by 1-body
current only

Elastic scattering
and excitation
of low- E_x levels

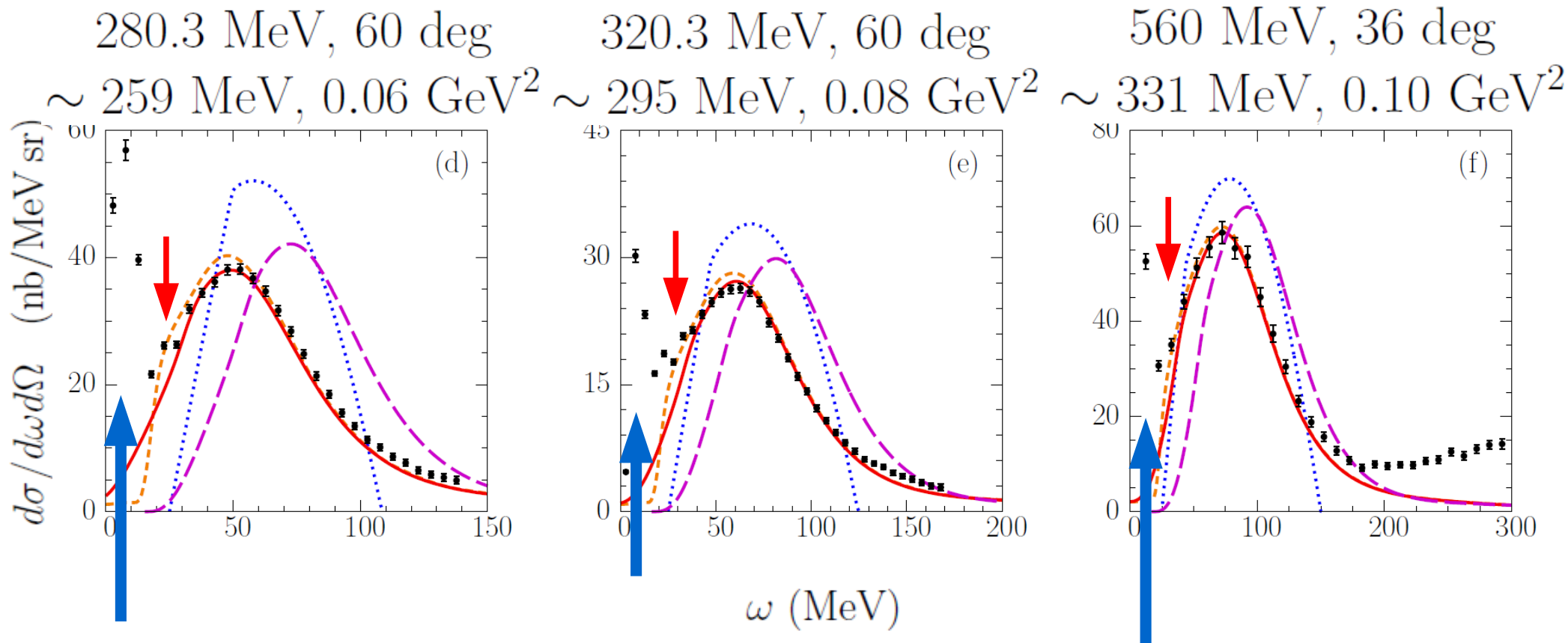
Giant resonance
 $E_x = 22.6 \text{ MeV}$,
 $\Gamma = 3.2 \text{ MeV}$

Comparisons to $C(e,e')$ data



Barreau *et al.*,
 NPA 402, 515 (1983)

Comparisons to $C(e,e')$ data

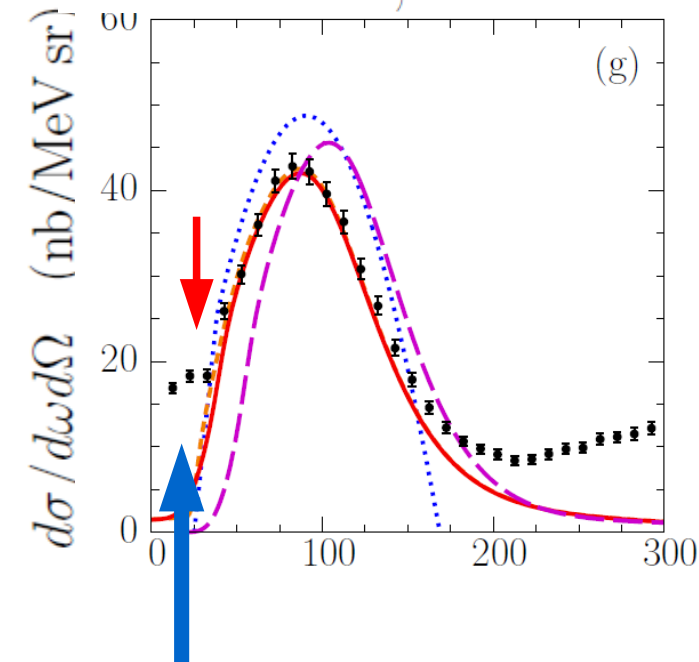


Barreau *et al.*,
NPA 402, 515 (1983)

Comparisons to $C(e,e')$ data

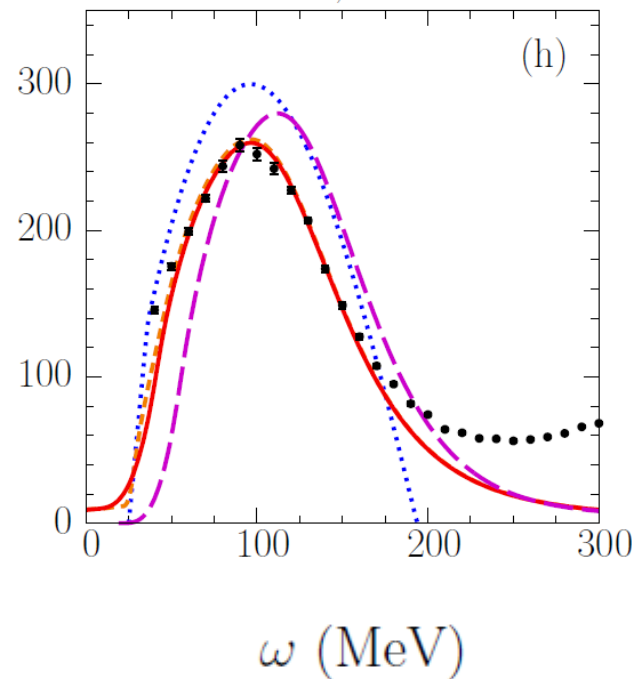
620 MeV, 36 deg

~ 366 MeV, 0.13 GeV^2



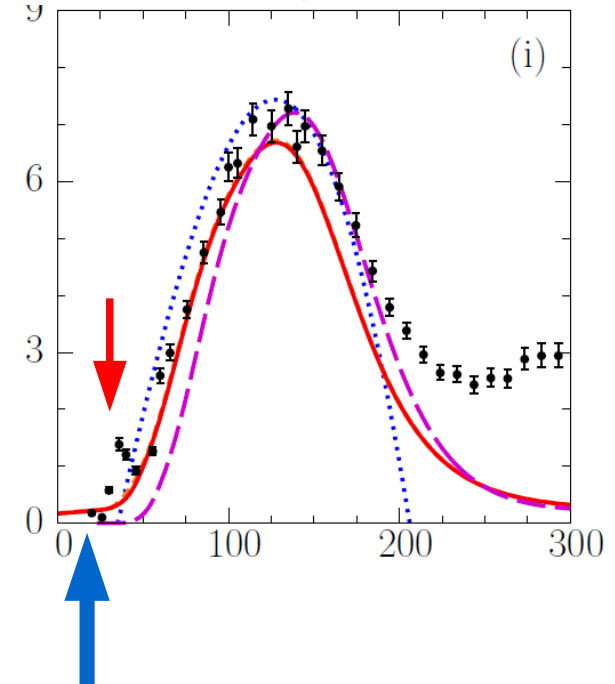
1650 MeV, 13.5 deg

~ 390 MeV, 0.14 GeV^2



500 MeV, 60 deg

~ 450 MeV, 0.19 GeV^2



Barreau *et al.*,
NPA 402, 515 (1983)

Baran *et al.*,
PRL 61, 400 (1988)

Whitney *et al.*,
PRC 9, 2230 (1974)

Comparisons to $C(e,e')$ data

The supplemental material of PRD 91,033005 (2015) shows comparisons to the data sets collected at **54 kinematical setups**

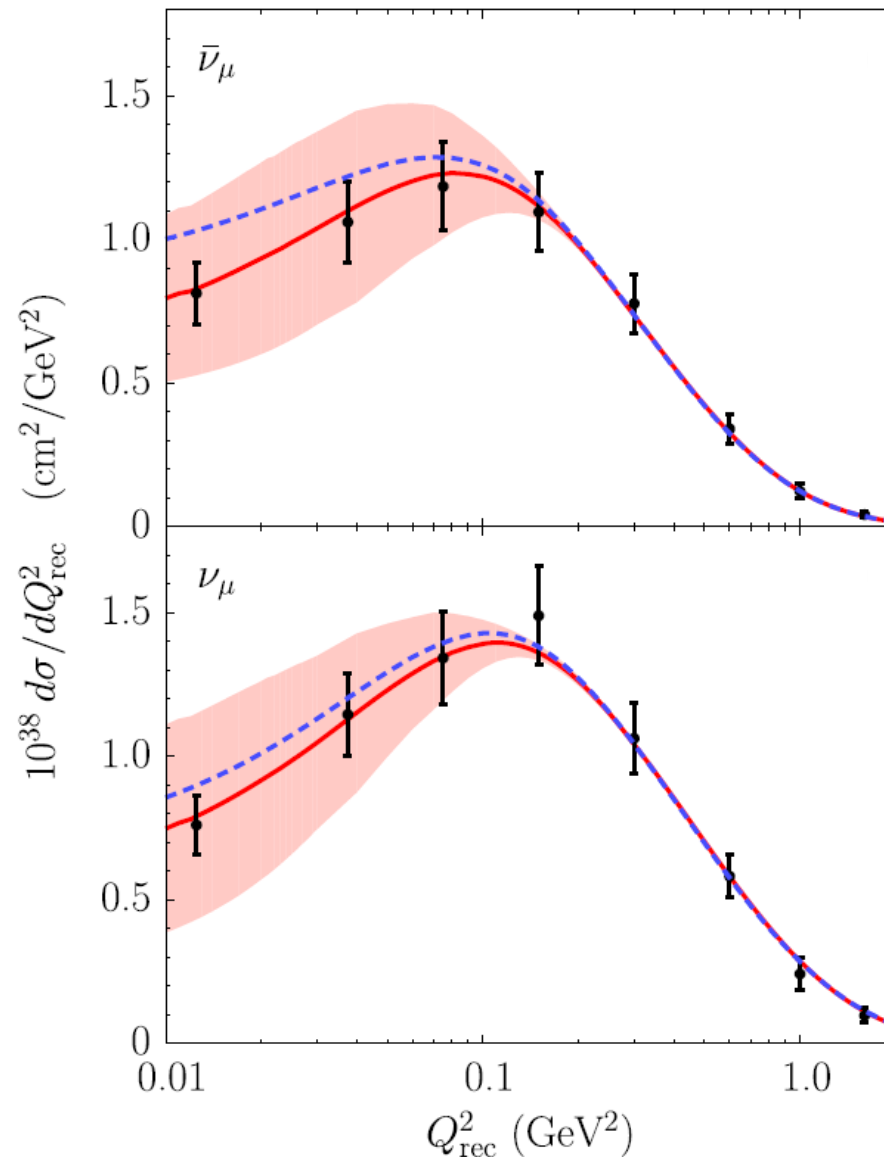
- energies from ~ 160 MeV to ~ 4 GeV,
- angles from 12 to 145 degrees,
- at the QE peak, the values of momentum transfer from ~ 145 to ~ 1060 MeV/c and $0.02 \leq Q^2 \leq 0.86$ (GeV/c) 2 .

CCQE MINERvA data

SF calculations
with FSI

VS.

SF calculation
without FSI



Fields *et al.*,
PRL 111, 022501
(2013)

A. M. A.,
PRD 92, 013007
(2015)

Fiorentini *et al.*,
PRL 111, 022502
(2013)

CCQE MINERvA data

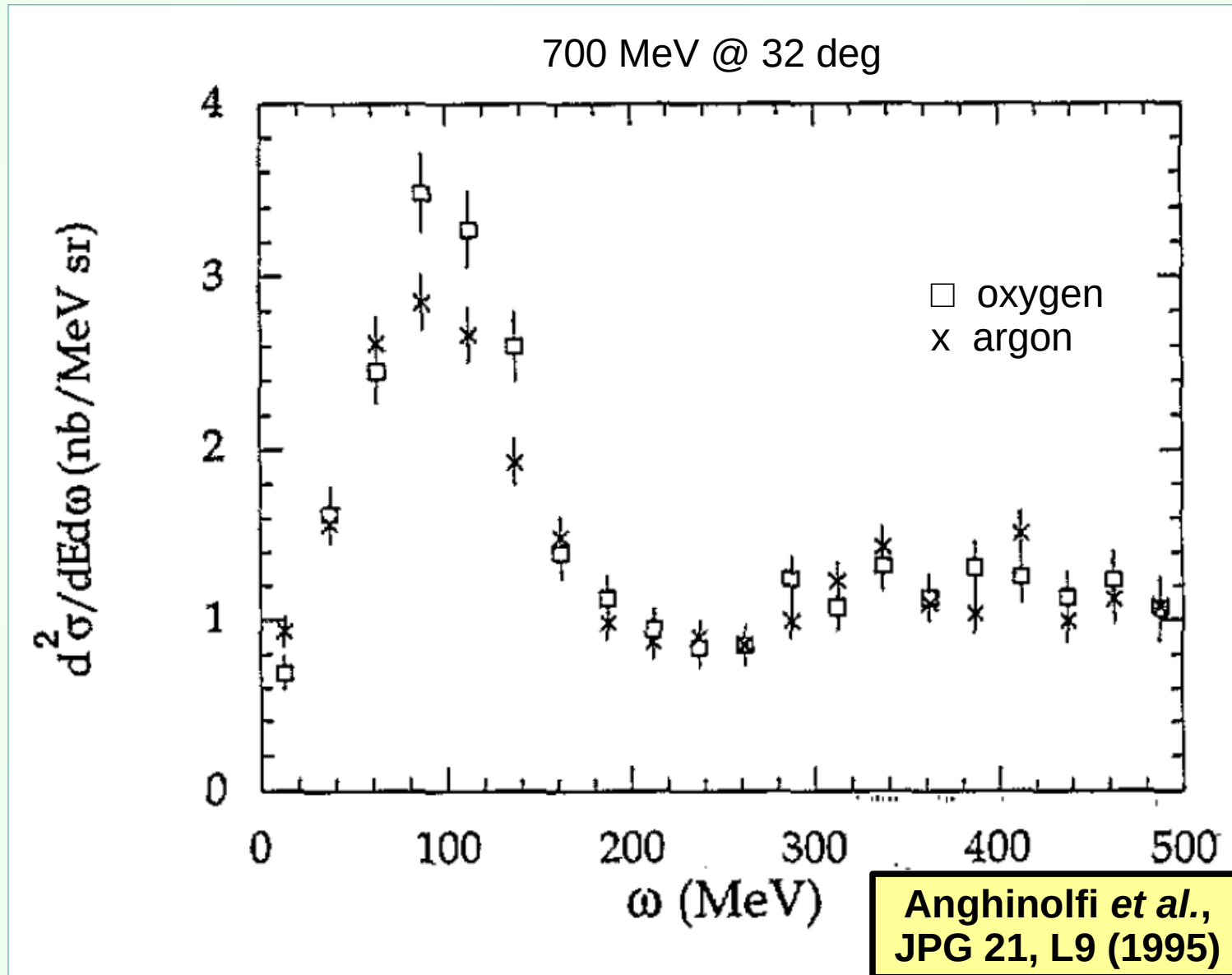
TABLE I. Fit results to the CC QE MINERvA data.

	antineutrino	neutrino	combined fit
	including theoretical uncertainties:		
M_A (GeV)	1.16 ± 0.06	1.17 ± 0.06	1.16 ± 0.06
$\chi^2/\text{d.o.f.}$	0.38	1.33	0.93
	neglecting theoretical uncertainties:		
M_A (GeV)	1.15 ± 0.10	1.15 ± 0.07	1.13 ± 0.06
$\chi^2/\text{d.o.f.}$	0.44	1.38	1.00
	neglecting FSI ($M_A = 1.16$ GeV):		
$\chi^2/\text{d.o.f.}$	2.49	2.45	2.42



**Measurement of the spectral function
of argon in JLab**

What do we know about Ar?



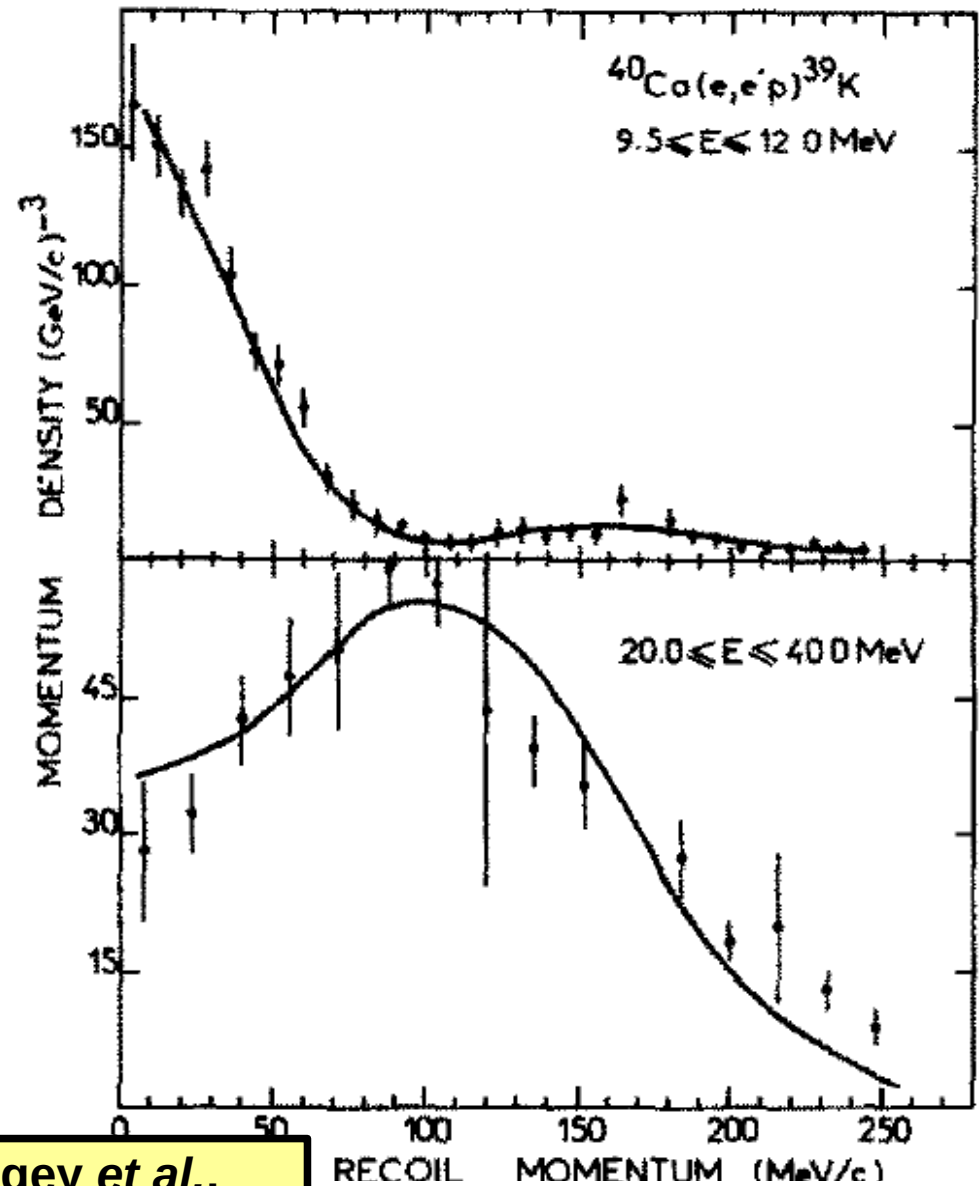
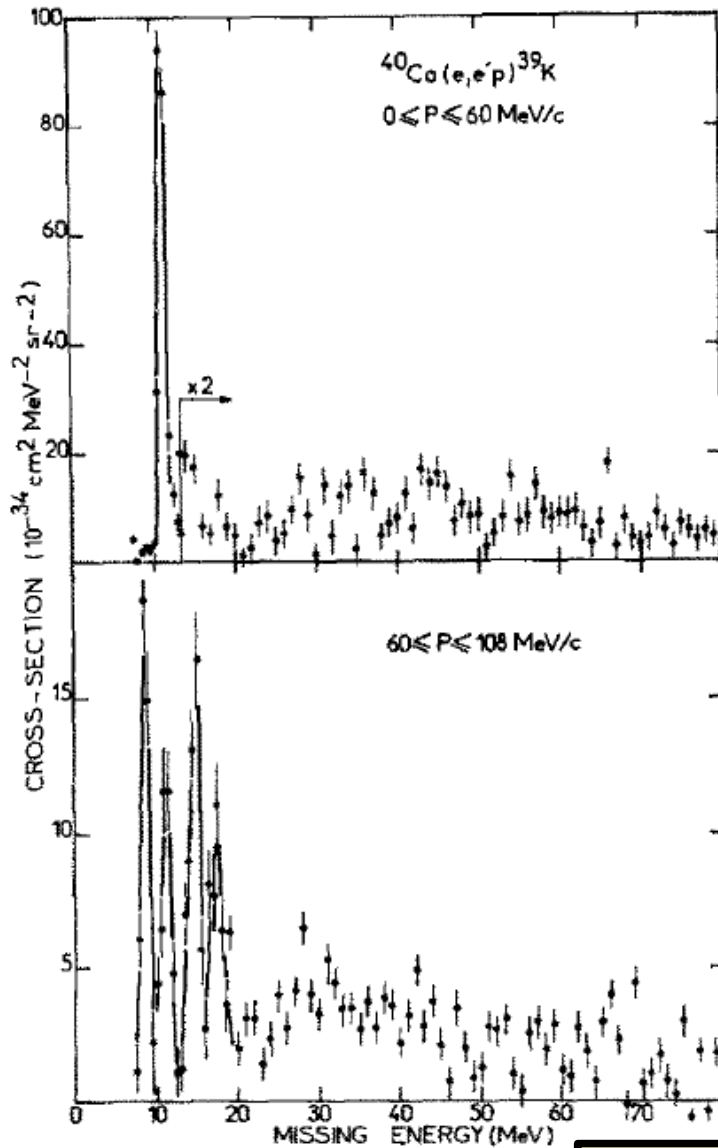
What do we know about Ar?

- nuclear excitations by up to ~ 11 MeV
Cameron & Singh, Nucl. Data Sheets **102**, 293 (2004)
- angular distributions of $^{40}\text{Ar}(p, p')$ for a few excitation lvls.
Fabrici *et al.*, PRC **21**, 830 & 844 (1980); De Leo *et al.*,
PRC **31**, 362 (1985); Blanpied *et al.*, PRC **37**, 1304 (1988)
- angular distributions of $^{40}\text{Ar}(p, d)^{39}\text{Ar}$
Tonn *et al.*, PRC **16**, 1357 (1977)

What do we know about Ar?

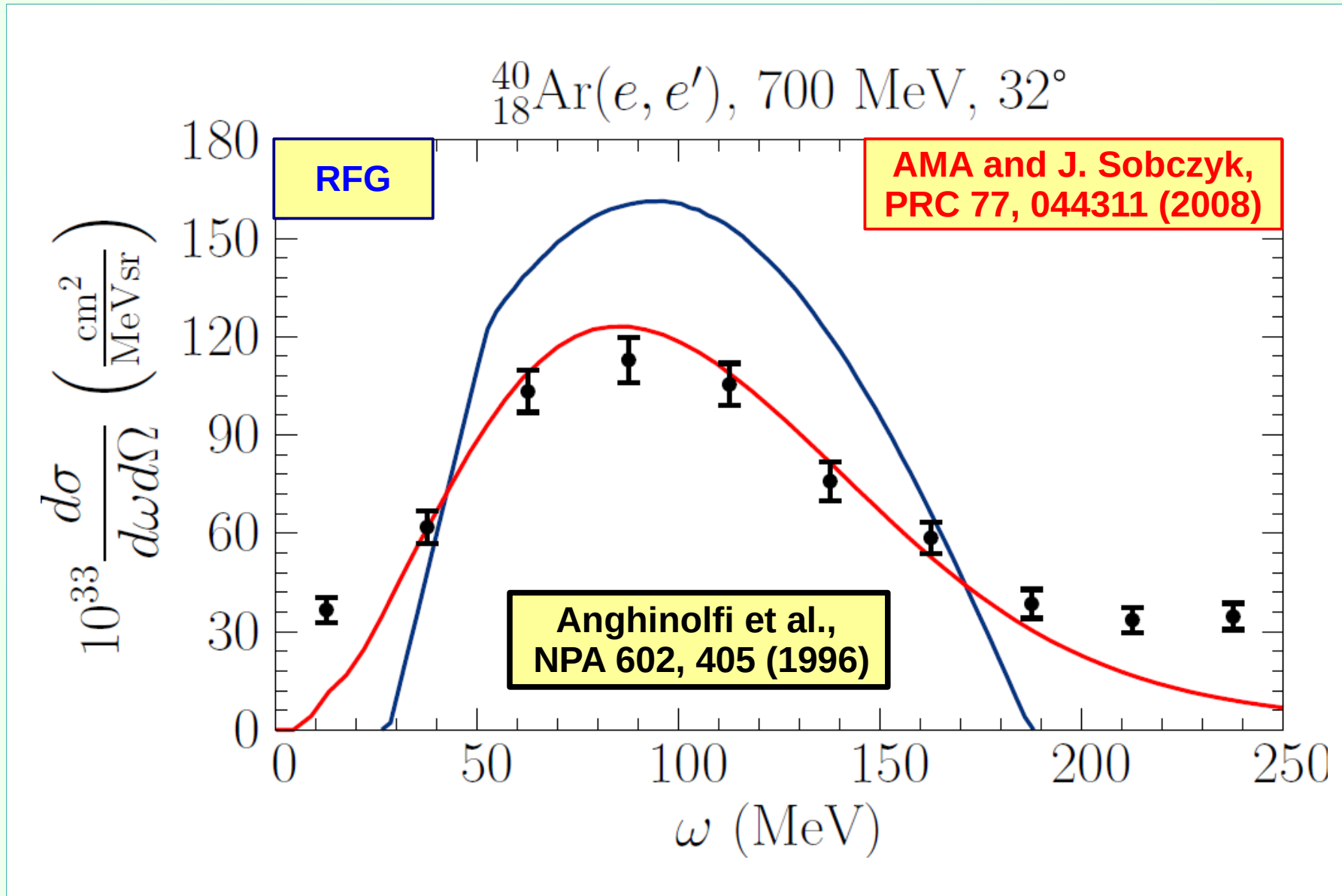
- n -Ar total cross section from energies < 50 MeV
Winters *et al.*, PRC **43**, 492 (1991)
- $^{40}\text{Ar}(\nu_e, e)$ cross section from the mirror $^{40}\text{Ti} \rightarrow ^{40}\text{Sc}$ decay
Bhattacharya *et al.*, PRC **58**, 3677 (1998)
- Gamow-Teller strength distrib. for $^{40}\text{Ar} \rightarrow ^{40}\text{K}$ from $0^\circ(p, n)$
Bhattacharya *et al.*, PRC **80**, 055501 (2009)
- $^{40}\text{Ar}(n, p)^{40}\text{Cl}$ cross section between 9 and 15 MeV
Bhattacharya *et al.*, PRC **86**, 041602(R) (2012)

Spectral function of ^{40}Ca



Mougey *et al.*,
NPA 262, 461 (1976)

Approximated SF of ^{40}Ar



Experiment E12-14-012 at JLab

“We propose a measurement of the coincidence (e,e'p) cross section on argon. This data will provide the experimental input indispensable to construct the argon spectral function, thus paving the way for a reliable estimate of the neutrino cross sections.”

**Benhar *et al.*,
arXiv:1406.4080**

Experiment E12-14-012 at JLab

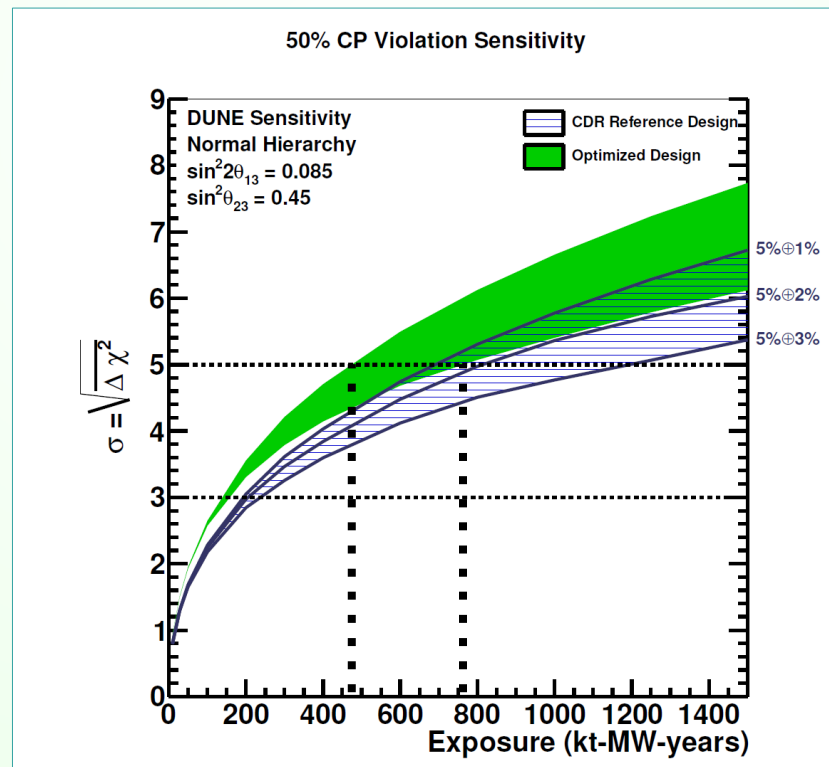
Primary goal: extraction of the proton shell structure of ^{40}Ar from $(e,e'p)$ scattering

- spectroscopic factors,
- energy distributions,
- momentum distributions.

Secondary goal: improved description of final-state interactions in the argon nucleus.

Physics motivation

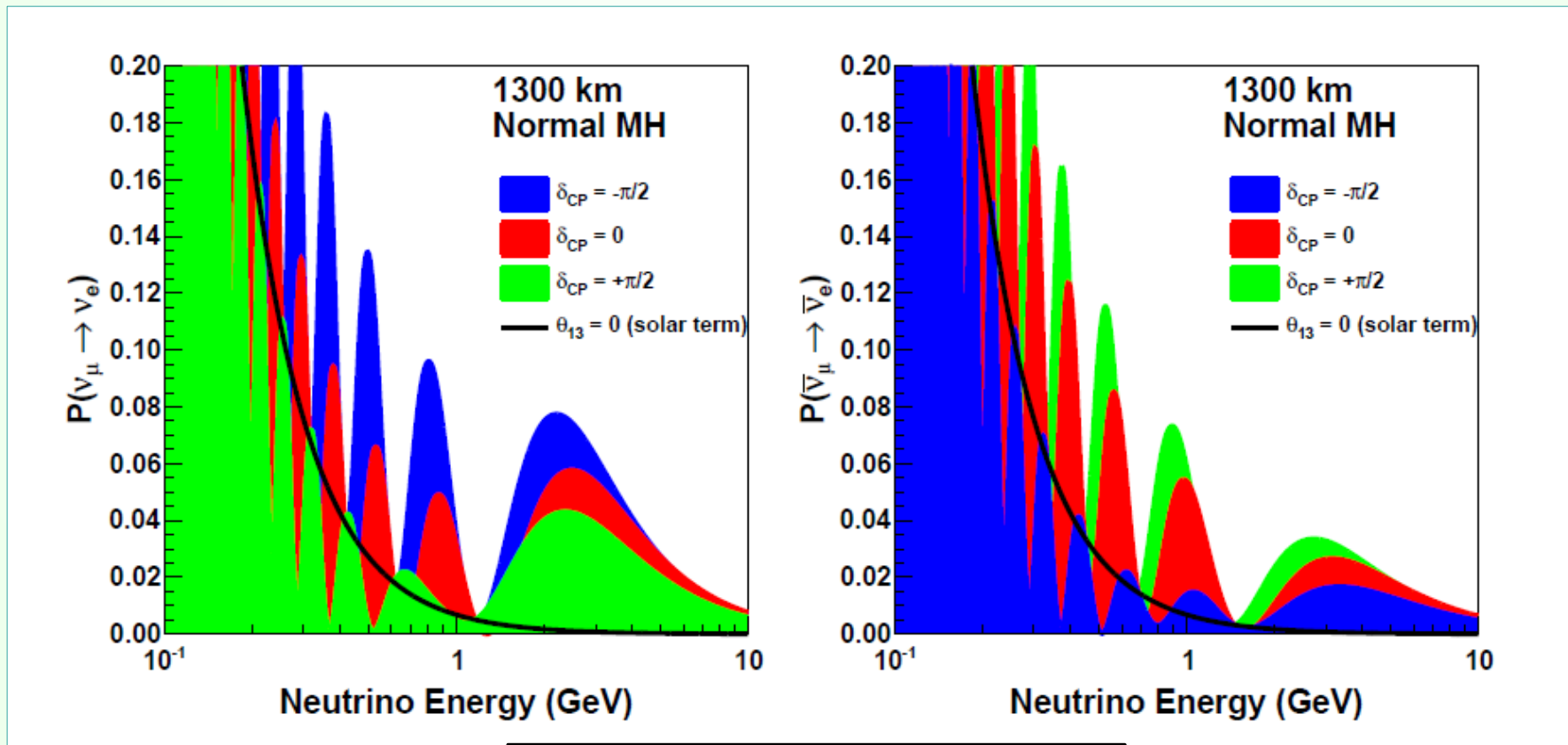
Expected sensitivity of DUNE to CP violation as a function of exposure for a ν_e signal normalization uncertainties between 5% + 1% and 5% + 3%.



Acciari *et al.*, arXiv:1512.06148

Physics motivation

Appearance probability as a function of neutrino energy



Acciari *et al.*, arXiv:1512.06148

Relevance for DUNE

- Neutrino oscillations

Reduction of systematic uncertainties from nuclear effects, especially for the 2nd oscillation maximum.

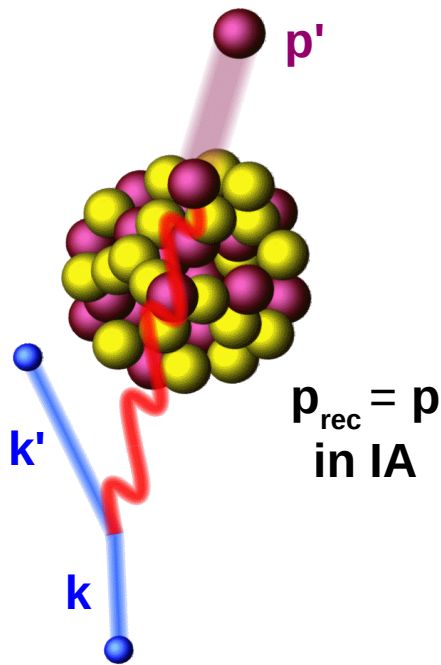
- Proton decay

Probed lifetime affected by the partial depletion of the shell-model states.

- Supernova neutrinos

Information on the valence shells essential for accurate simulations and detector design.

Impulse approximation



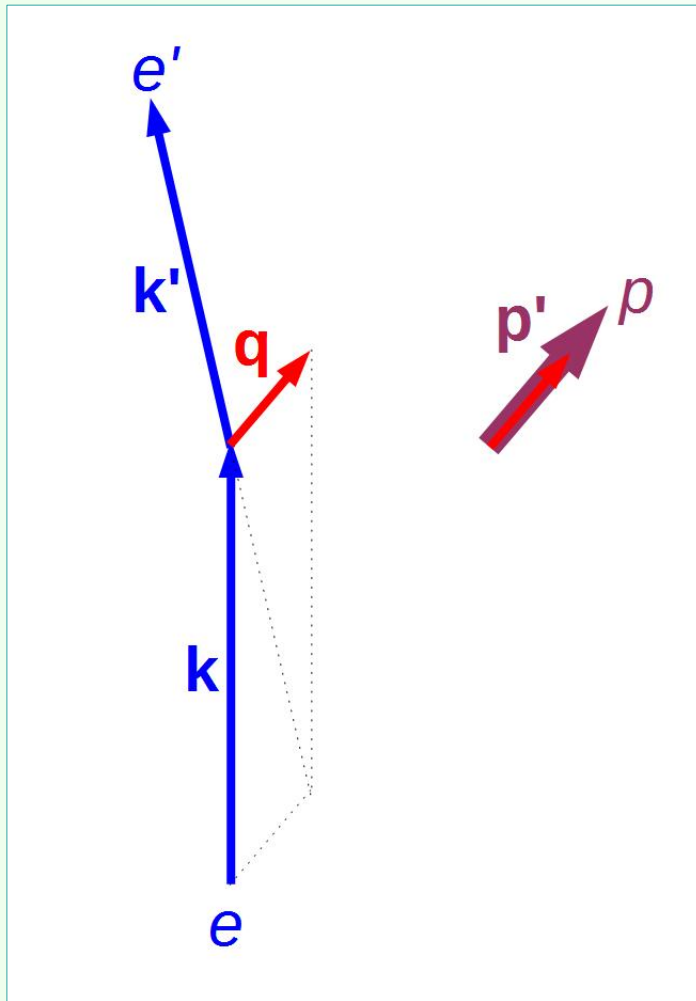
$$\frac{d^6 \sigma_{\text{IA}}}{d\Omega_{k'} dE_{k'} d\Omega_{p'} dE_{p'}} \propto \sigma_{ep} S(\mathbf{p}, E) T_A(E_{p'})$$

σ_{ep} elementary cross section

$S(\mathbf{p}, E)$ spectral function

$T_A(E_{p'})$ nuclear transparency

(Anti)parallel kinematics, $p' \parallel q$



Energy conservation

$$E_k + M_A = E_{k'} + E_{p'} + \sqrt{(M_A - M + E)^2 + p_{\text{rec}}^2}$$

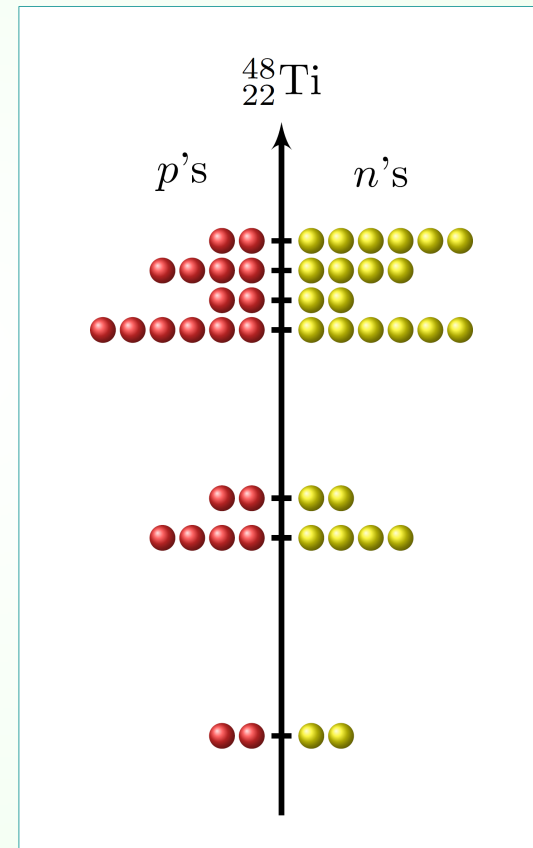
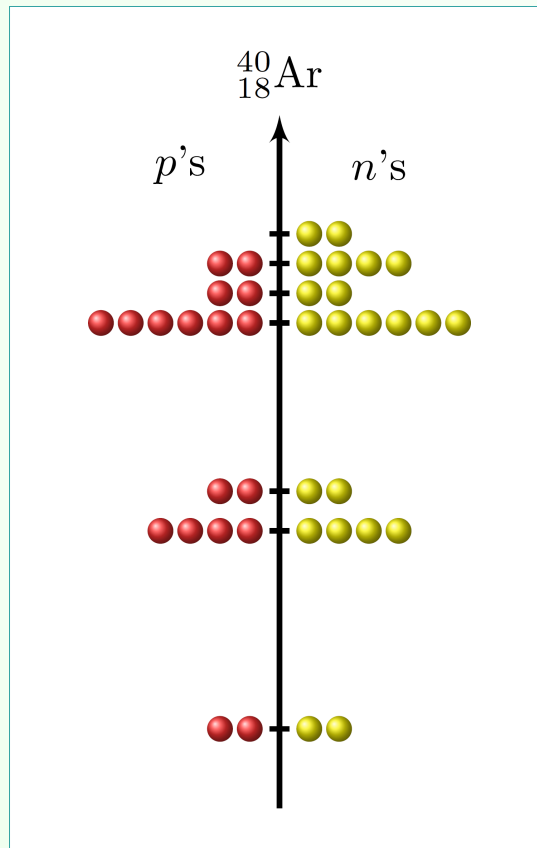
Momentum conservation

$$q = p' + p_{\text{rec}} \rightarrow |q| = |p'| + |p_{\text{rec}}|$$

$$q = p' + p_{\text{rec}} \rightarrow |q| = |p'| - |p_{\text{rec}}|$$

Impulse Approximation, $|p_{\text{rec}}| = |p|$

Neutron spectral function of ^{40}Ar

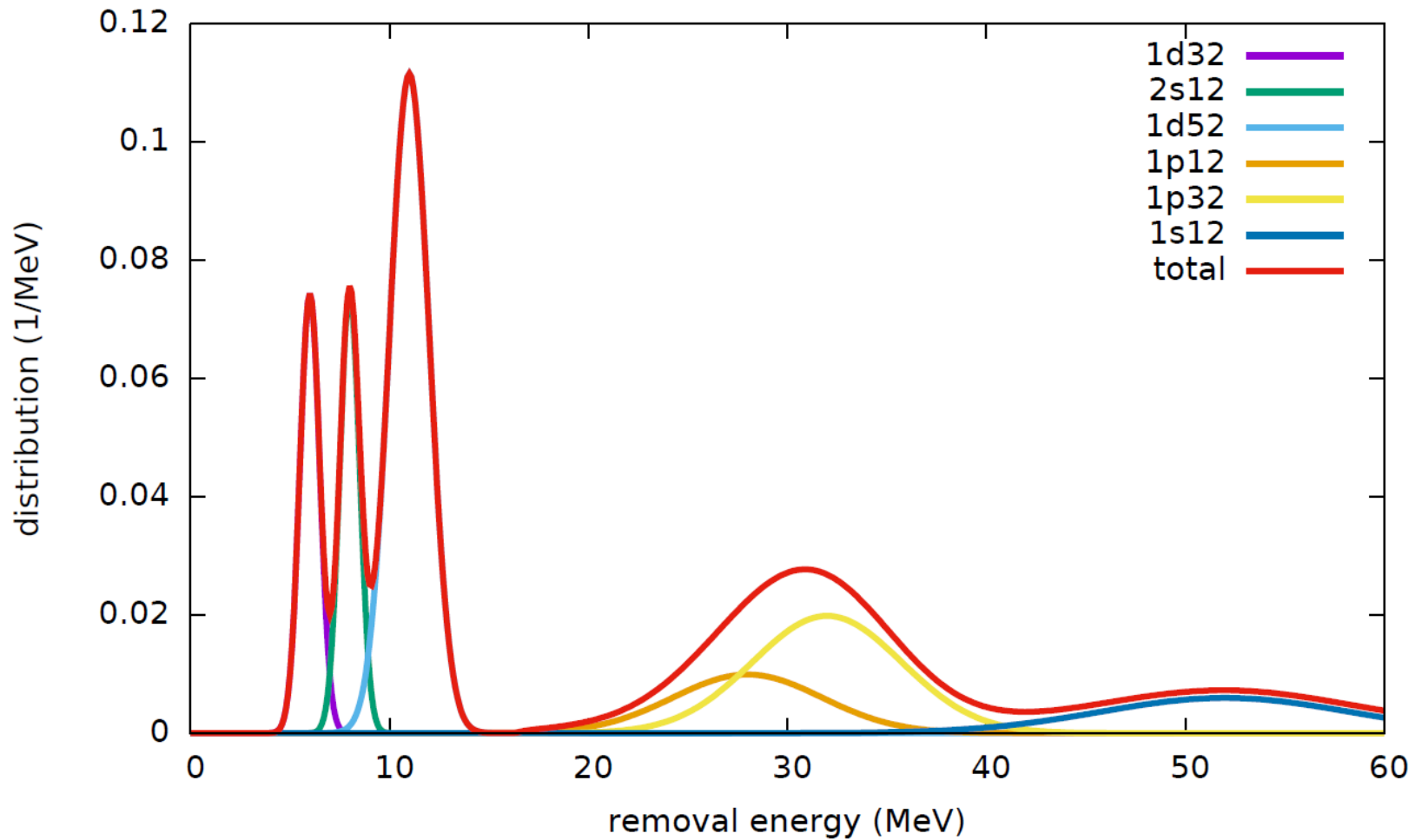


Kinematic settings

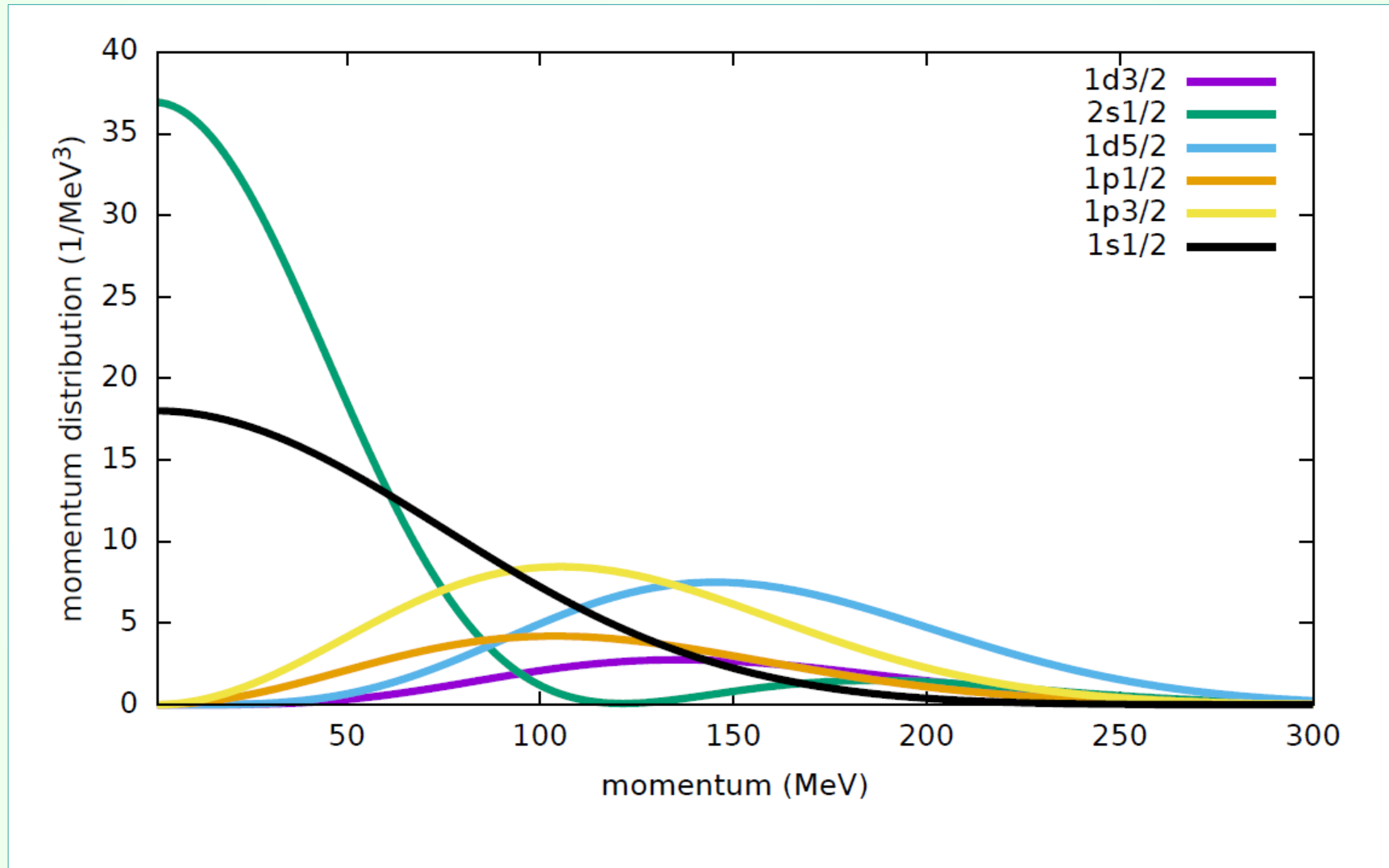
	E_e MeV	$E_{e'}$ MeV	θ_e deg	P_p MeV/ c	θ_p deg	$ \mathbf{q} $ MeV/ c	p_m MeV/ c	Ar events	Ti events
kin1	2222	1799	21.5	915	-50.0	857.5	57.7	44M	13M
kin2	2222	1716	20.0	1030	-44.0	846.1	183.9	63M	21M
kin3	2222	1799	17.5	915	-47.0	740.9	174.1	73M	28M
kin4	2222	1799	15.5	915	-44.5	658.5	229.7	159M	113M
kin5	2222	1716	15.5	1030	-39.0	730.3	299.7	45M	61k
(e, e')	2222		15.5					3M	3M

**Data collected
Feb - Mar 2017**

Expected energy distributions



Momentum distributions

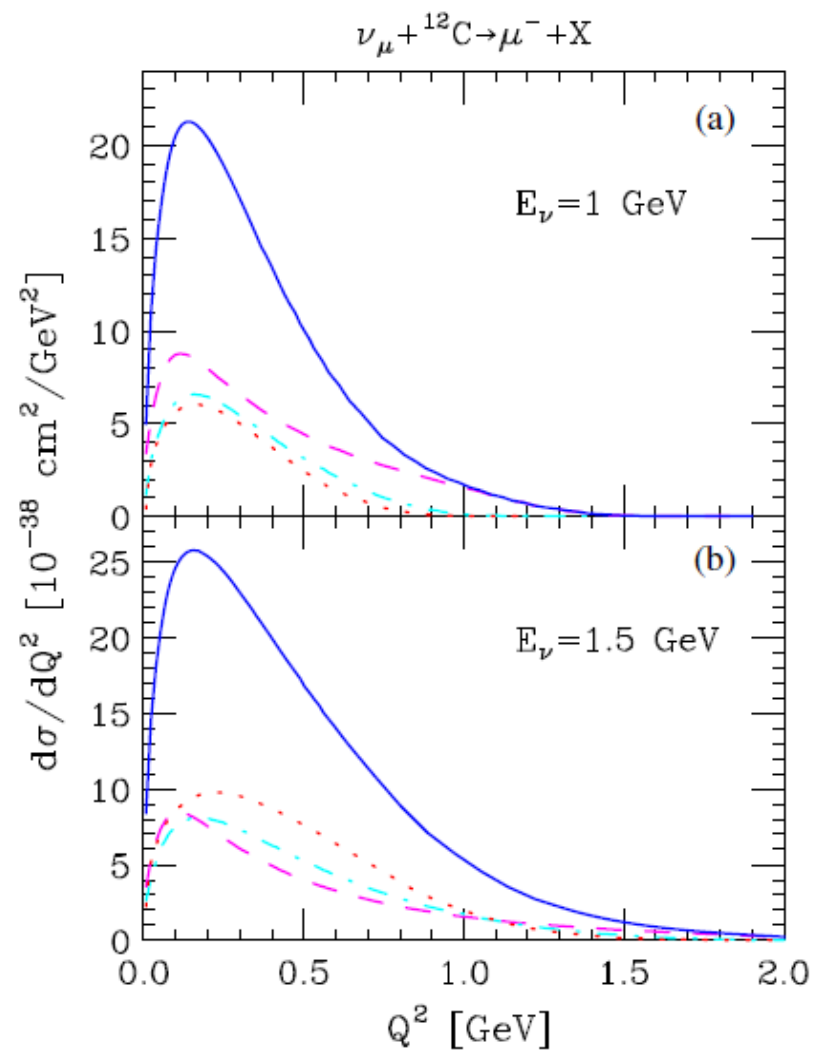
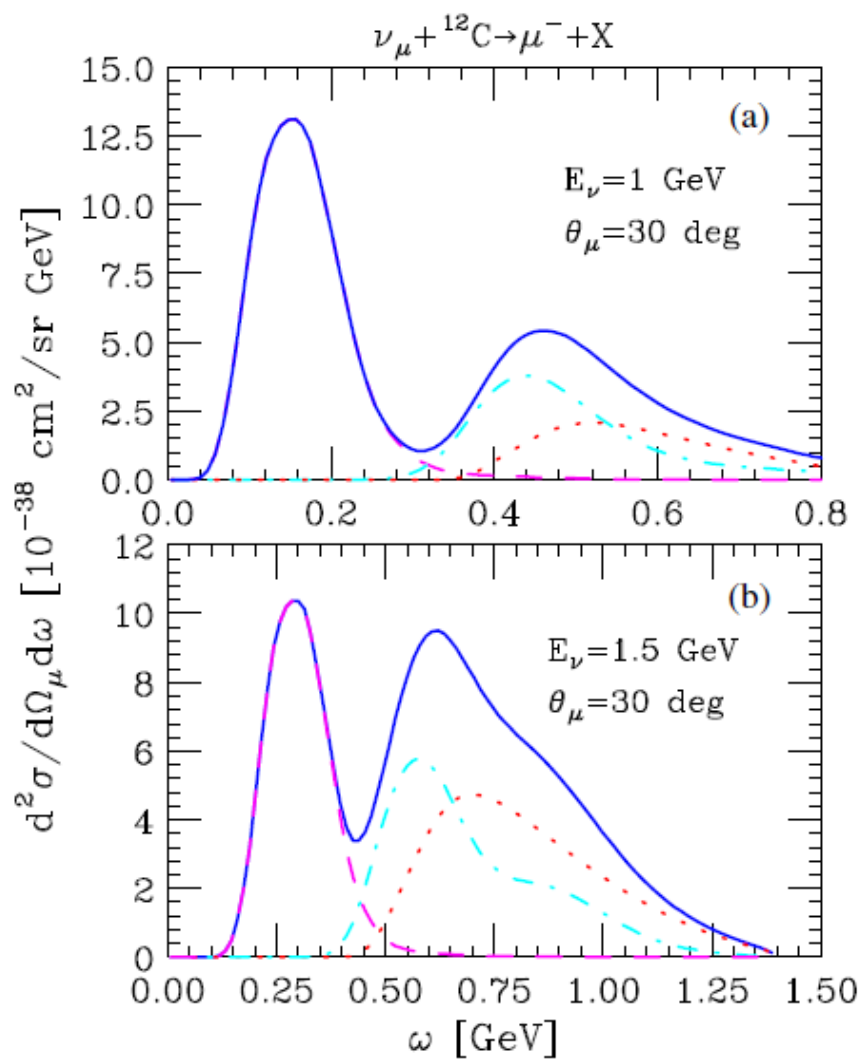


Summary

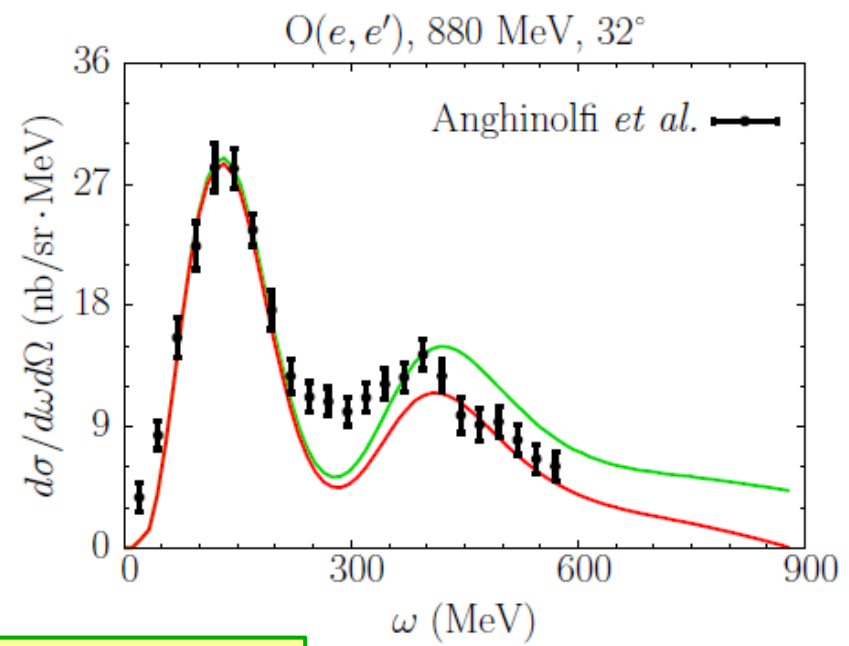
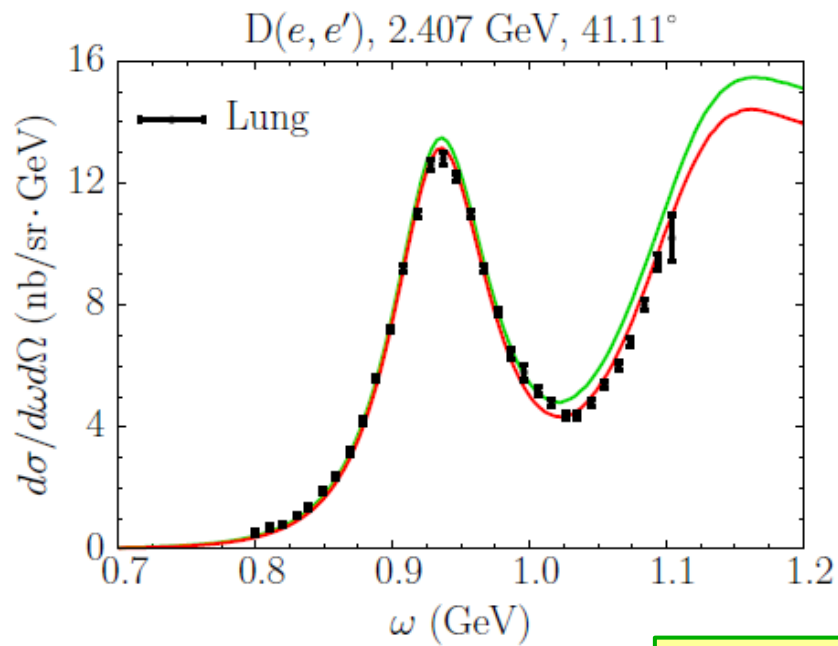
- An accurate description of nuclear effects, including final-state interactions, is crucial for an **accurate reconstruction of neutrino energy**.
- Theoretical models **must be validated** against (e,e') data to estimate their uncertainties.
- The spectral function formalism can be used in Monte Carlo simulations to **improve the accuracy** of description of nuclear effects.
- **JLab experiment** will provide an input to estimate the spectral function of argon, essential for the next generation of neutrino-oscillation experiments.



Backup slides

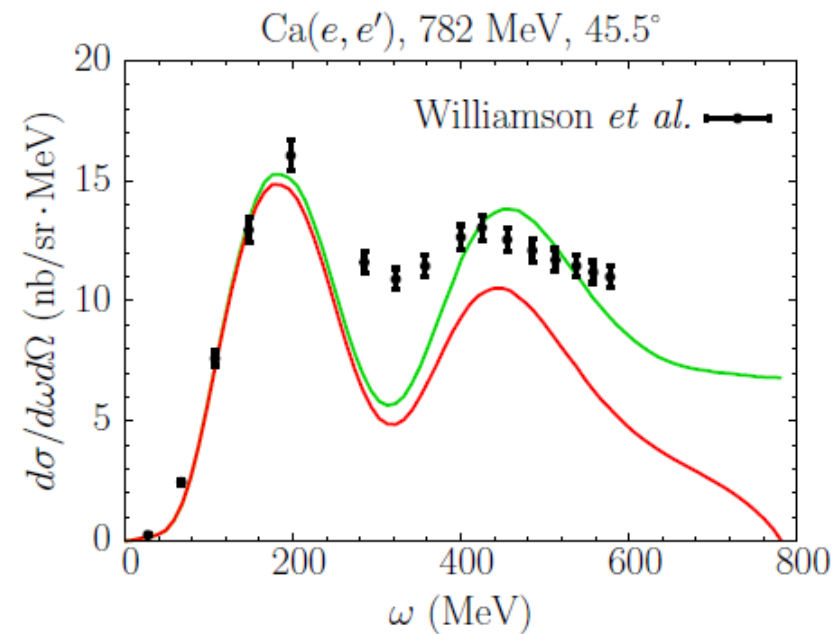
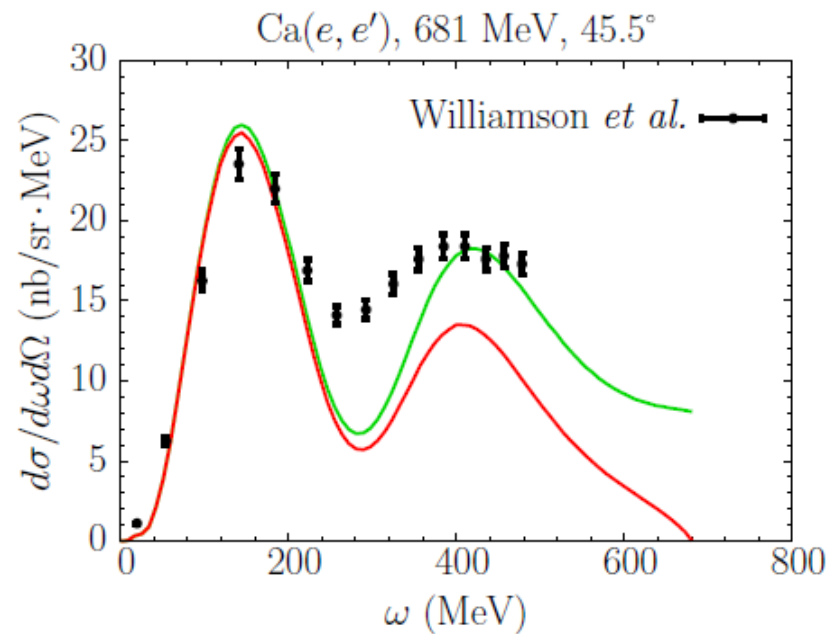


Vagnoni et al., PRL 118, 142502 (2017)

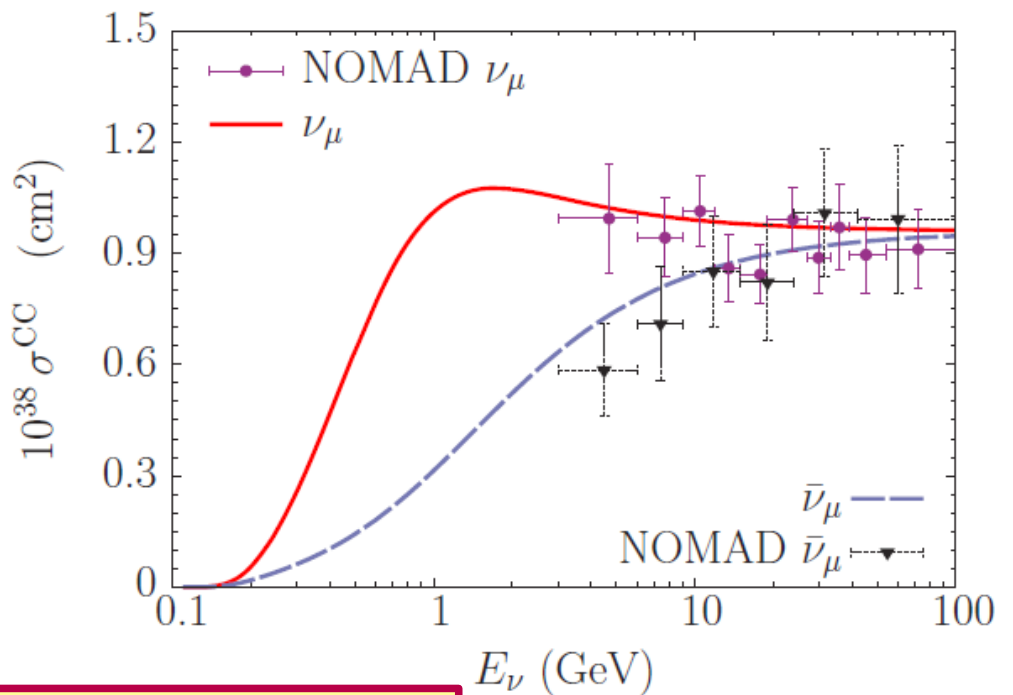
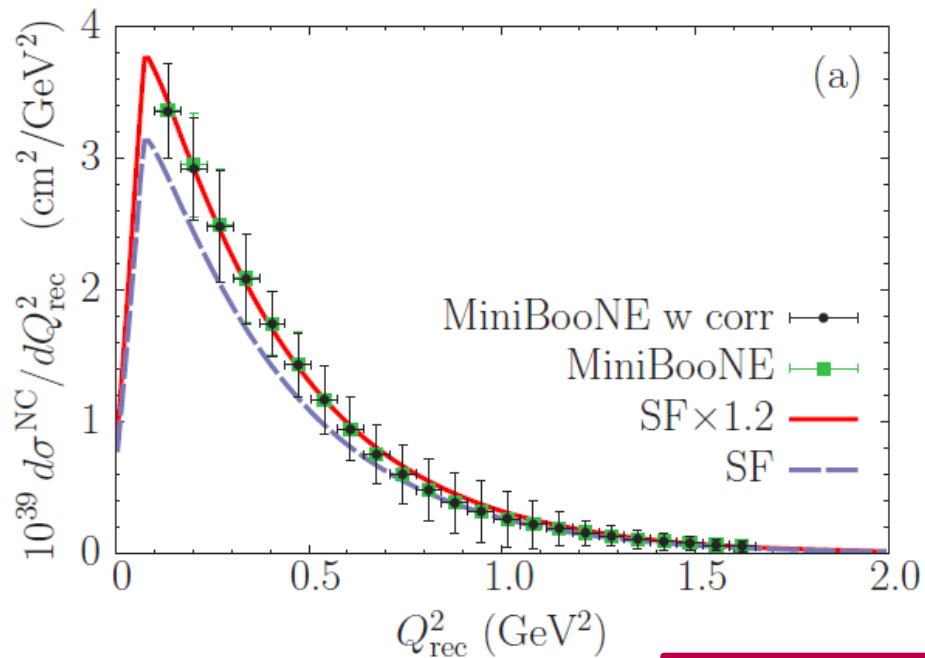
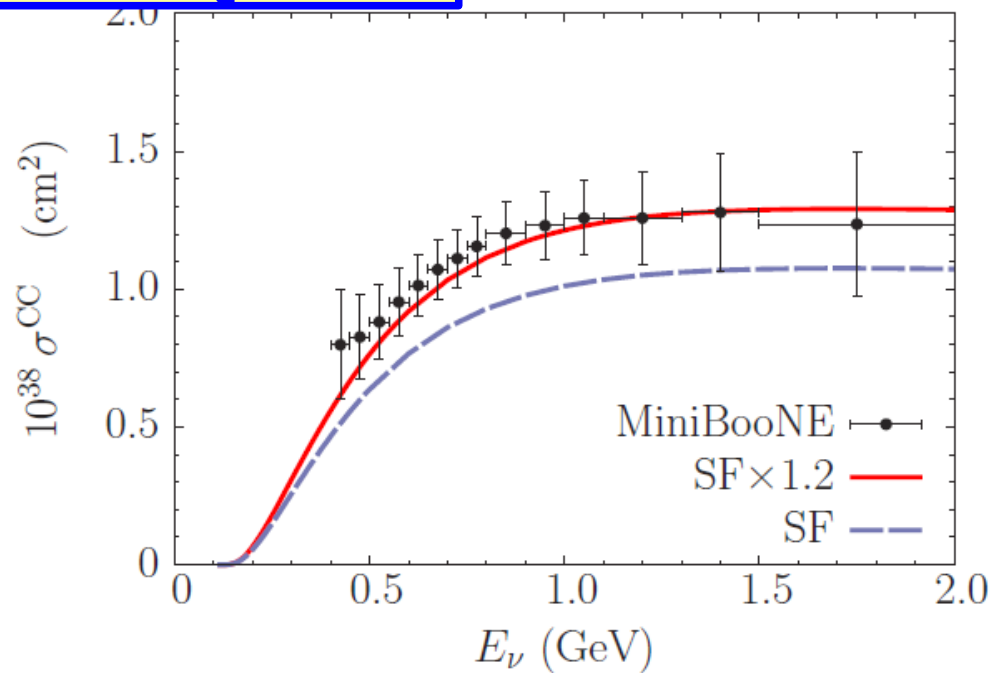
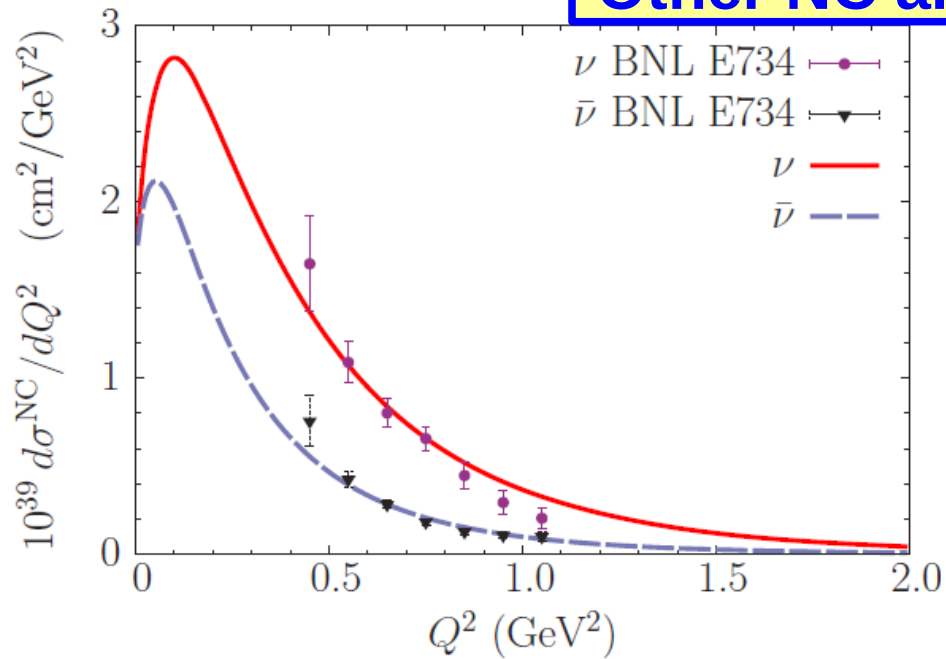


Conserved current

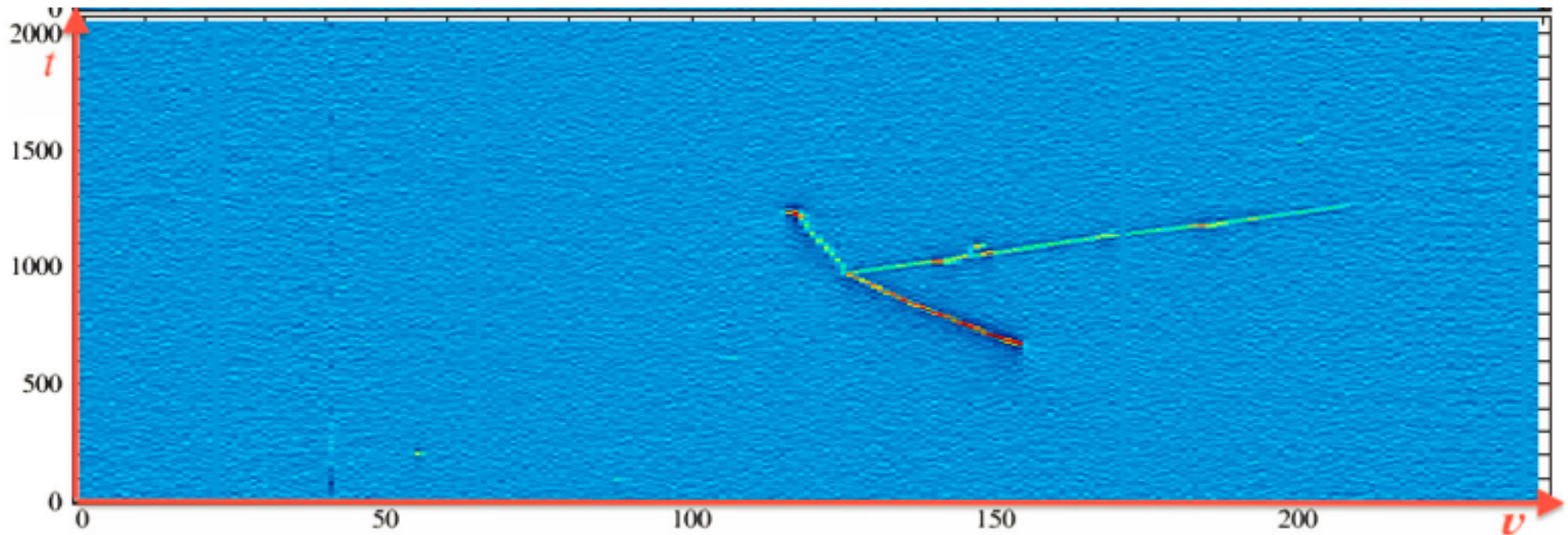
Conserved energy



Other NC and CC QE data



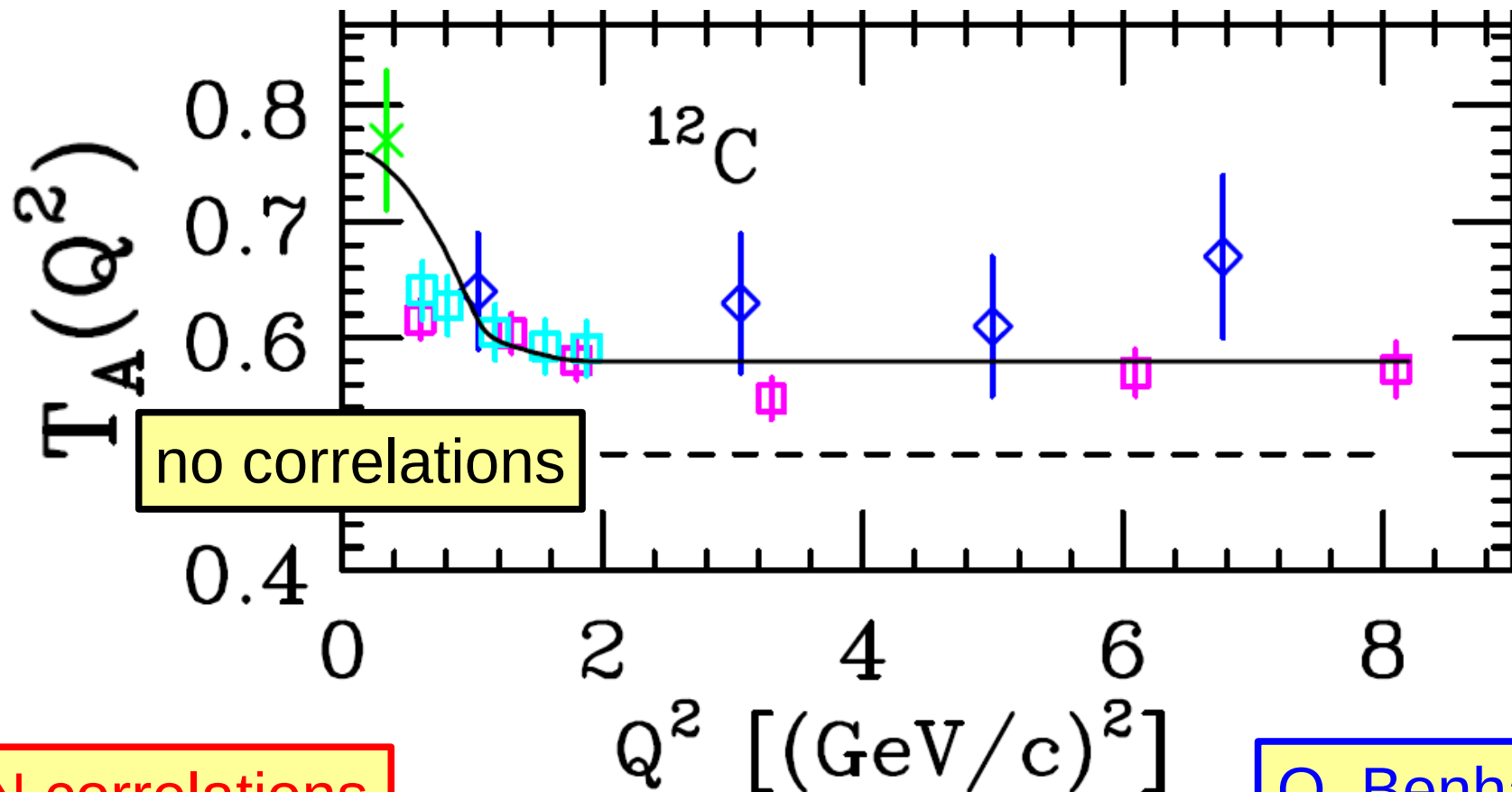
Short-range correlations



Acciari *et al.* (ArgoNeuT), PRD 90, 012008 (2014)

Not SRC, simple π reabsorption:
Weinstein *et al.*, PRC 94, 045501 (2016)

Nuclear transparency

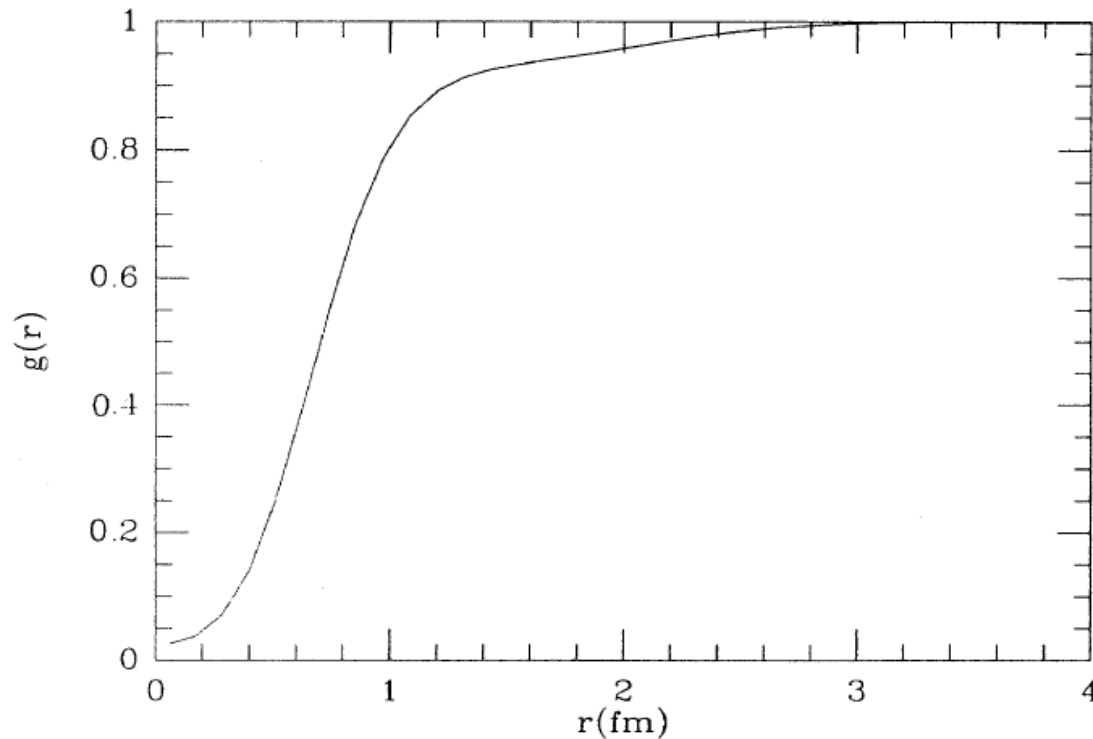


NN correlations
reduce FSI

O. Benhar
@ NuInt05

Short-range correlations

Pair distribution function of NM



Benhar *et al.*, PRC 44, 2328 (1991)

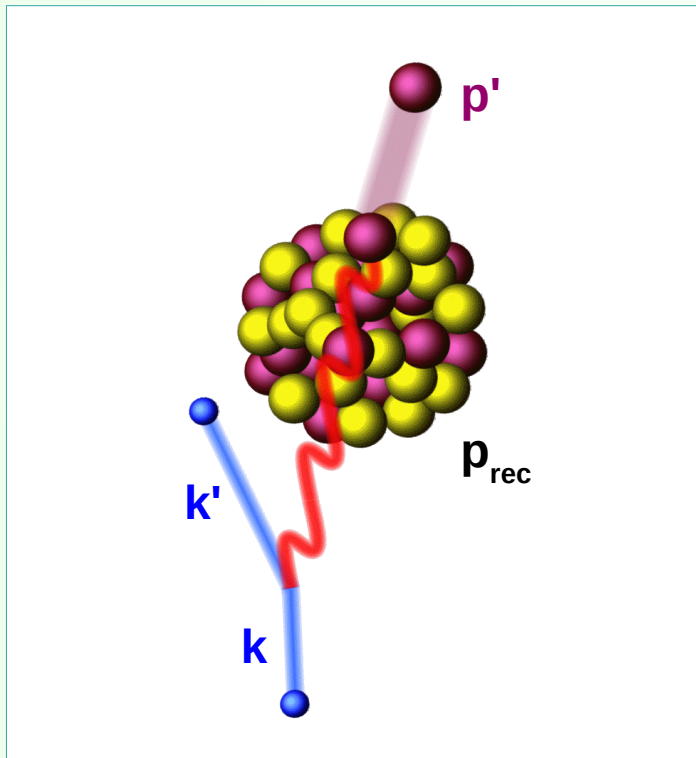
Why the beam energy ~ 2 GeV?

	E_e MeV	$E_{e'}$ MeV	θ_e deg	P_p MeV/ c	θ_p deg	$ \mathbf{q} $ MeV/ c	p_m MeV/ c
A	2200	1777	23.01	915	-50.9	895	20
B	2200	1777	21.66	915	-50.1	855	60
C	2200	1777	20.29	915	-49.1	815	100
D	2200	1777	18.90	915	-48.0	775	140
E	2200	1777	17.49	915	-46.6	735	180
F	2200	1777	16.03	915	-44.9	695	220
G	2200	1777	14.53	915	-42.9	655	260
H	2200	1777	12.96	915	-40.4	615	300
I	2200	1777	11.30	915	-37.3	575	340
J	2200	1777	27.64	915	-52.8	1035	-120

Why the beam energy ~ 2 GeV?

	E_e MeV	$E_{e'}$ MeV	θ_e deg	P_p MeV/ c	θ_p deg	$ \mathbf{q} $ MeV/ c	p_m MeV/ c
A	4400	3977	10.82	915	-56.5	895	20
B	4400	3977	10.19	915	-55.4	855	60
C	4400	3977	9.55	915	-54.1	815	100
D	4400	3977	8.90	915	-52.6	775	140
E	4400	3977	8.24	915	-50.8	735	180
F	4400	3977	7.56	915	-48.8	695	220
G	4400	3977	6.85	915	-46.4	655	260
H	4400	3977	6.12	915	-43.6	615	300
I	4400	3977	5.34	915	-40.1	575	340
J	4400	3977	12.97	915	-59.6	1035	-120

Coincidence electron scattering



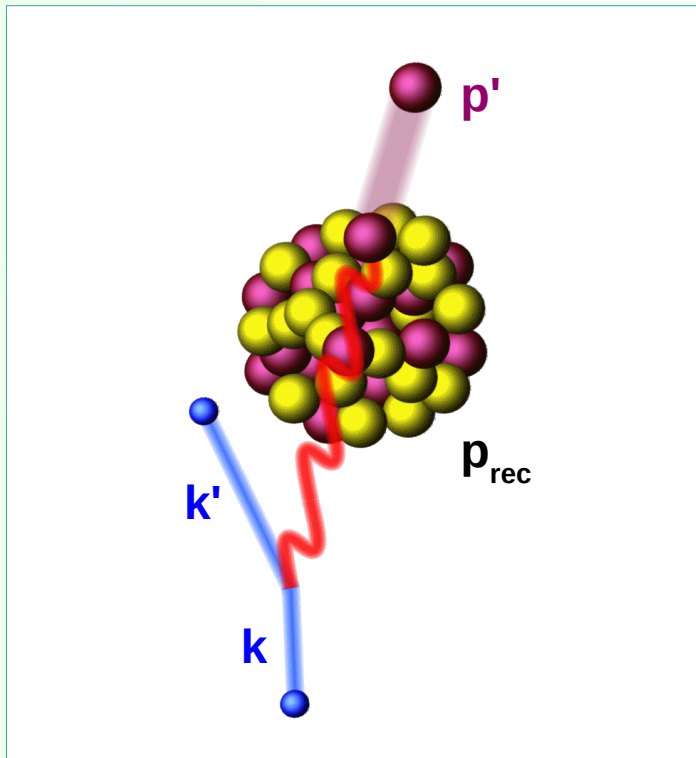
Energy conservation

$$E_k + M_A = E_{k'} + E_{p'} + \sqrt{(M_A - M + E)^2 + \mathbf{p}_{\text{rec}}^2}$$

Momentum conservation

$$\mathbf{k} = \mathbf{k}' + \mathbf{p}' + \mathbf{p}_{\text{rec}}$$

(Anti)parallel kinematics, $\mathbf{p}' \parallel \mathbf{q}$



Energy conservation

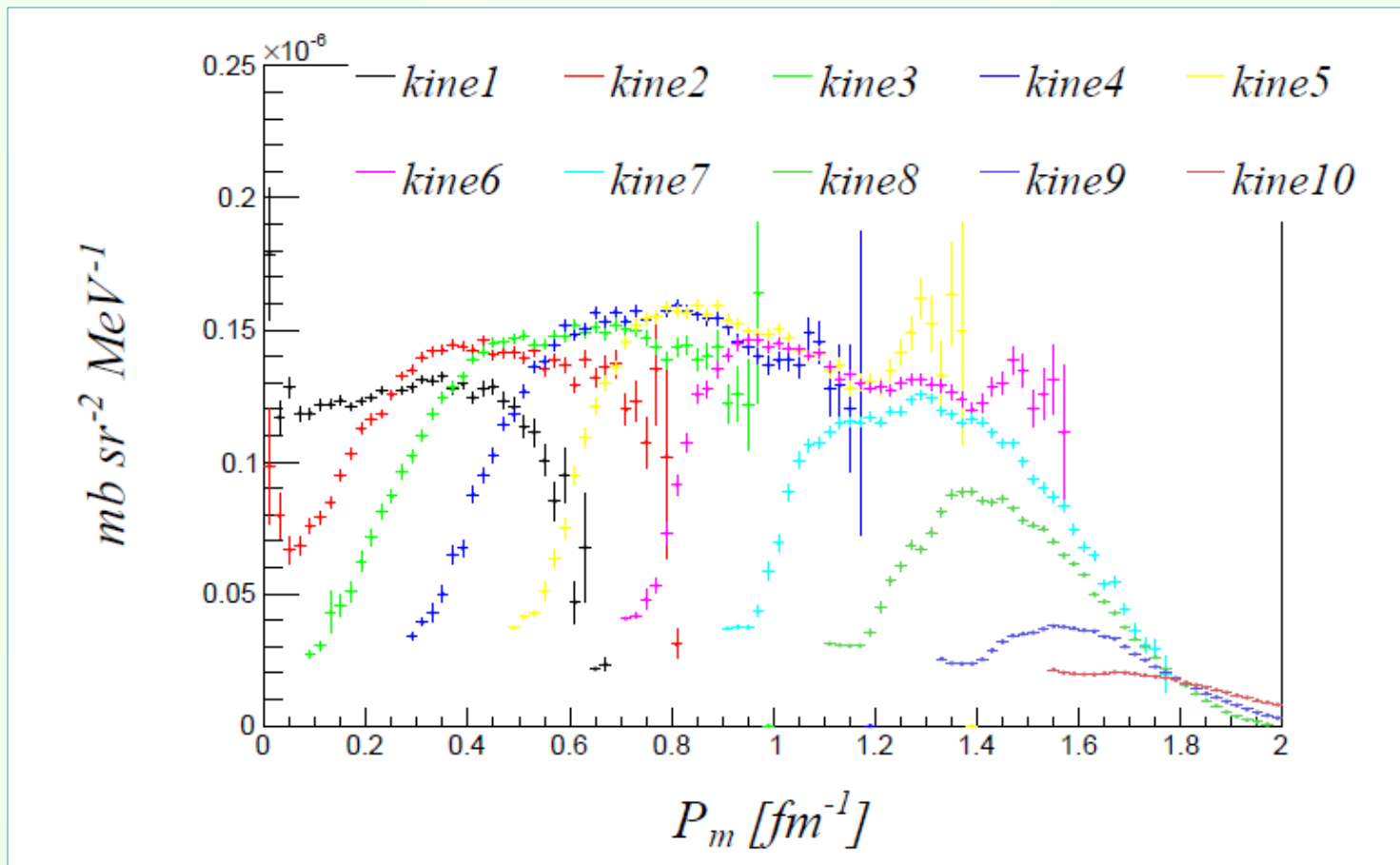
$$E_k + M_A = E_{k'} + E_{p'} + \sqrt{(M_A - M + E)^2 + \mathbf{p}_{\text{rec}}^2}$$

Momentum conservation

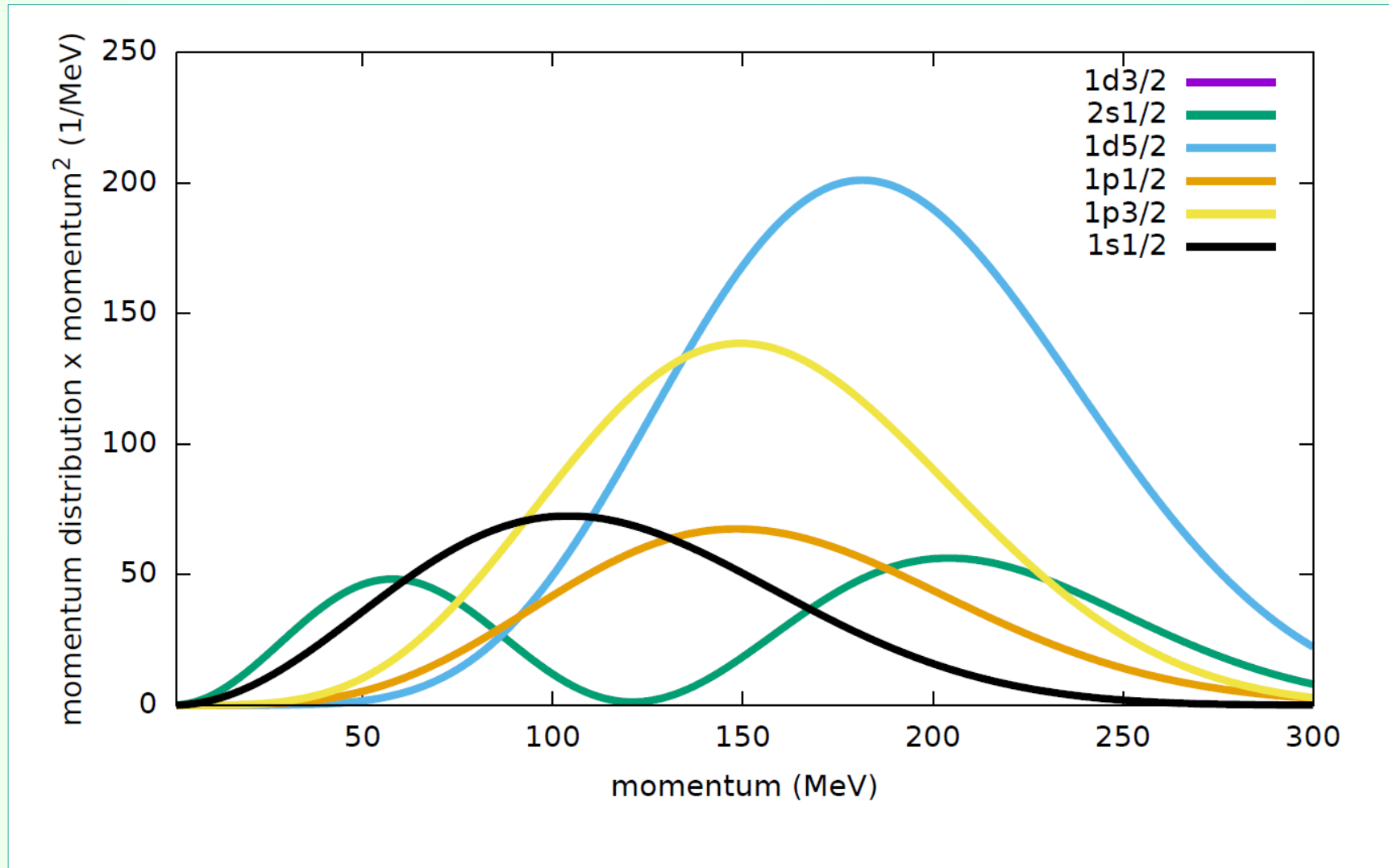
$$\mathbf{q} = \mathbf{p}' + \mathbf{p}_{\text{rec}} \rightarrow |\mathbf{q}| = |\mathbf{p}'| + |\mathbf{p}_{\text{rec}}|$$

$$\mathbf{q} = \mathbf{p}' + \mathbf{p}_{\text{rec}} \rightarrow |\mathbf{q}| = |\mathbf{p}'| - |\mathbf{p}_{\text{rec}}|$$

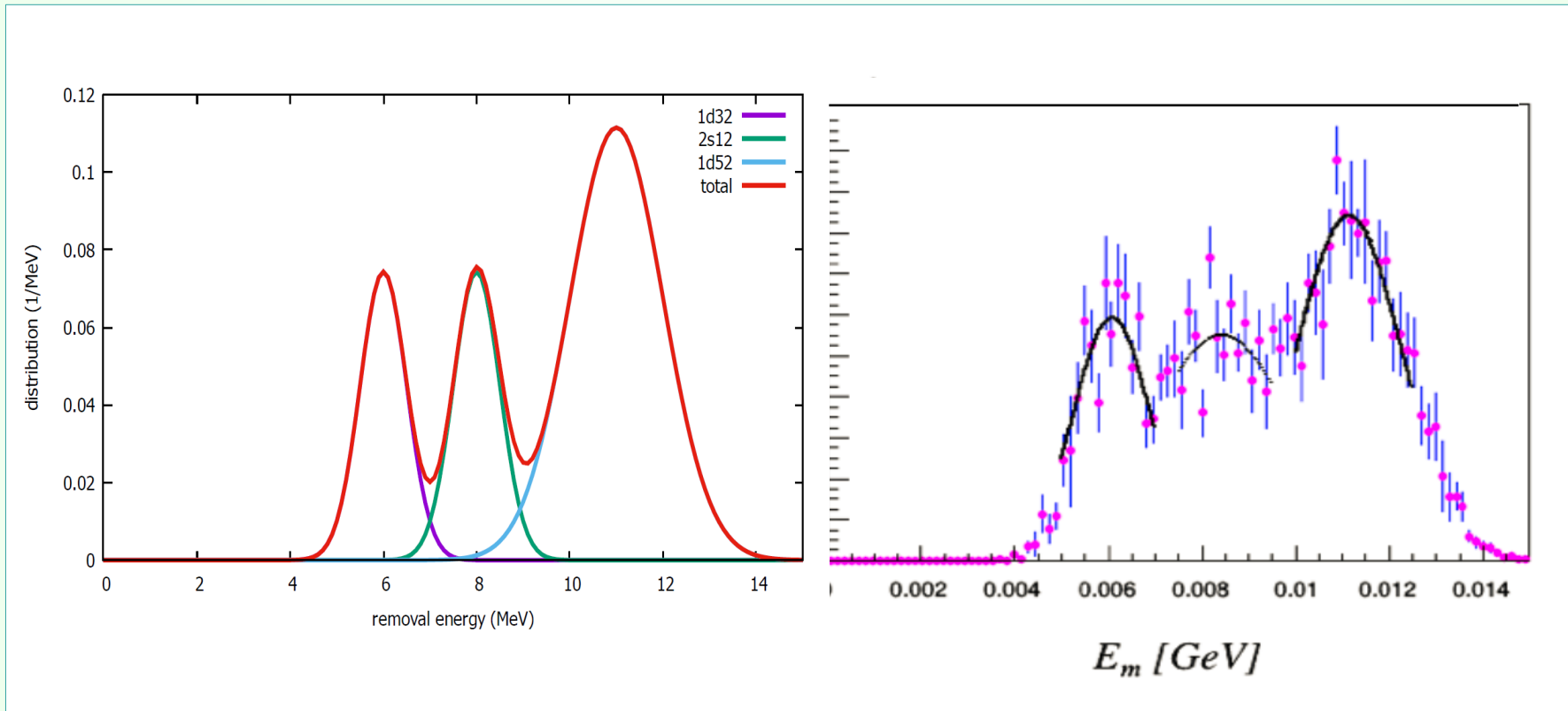
Optimizations



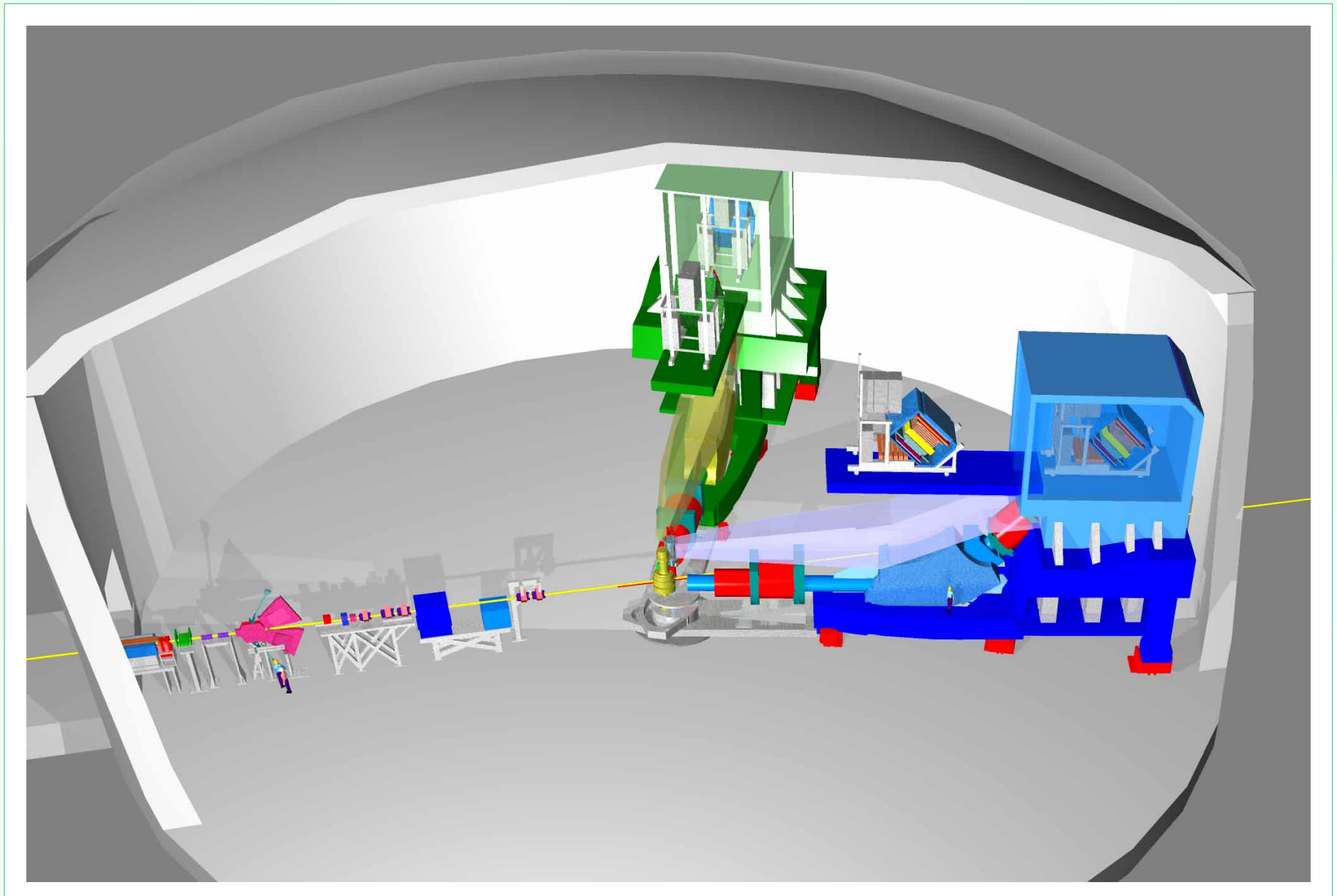
Momentum distributions



Expected energy distributions



Hall A



Argon cell

